

HANDWRITTEN  
NOTES  
OF

(IC ENGINE)

BY  
ENGGBUZZ.COM



## Cycle :-

When a System after undergoing a number of Process is able to attain its original Conditions, it is then to have Completed a Cycle.

If a Cycle is not Completed, then Continuous Work will not be Obtained.

The Following are the Requirements of a Cycle :-

Heat added, Heat Rejected, Workdone (expansion), & Compression.

The order in which, the different operations, should take place,

Heat Added,  $W$

Workdone (expansion)

Heat Rejection

Compression

## Ideal Cycle :-

An ideal Cycle is the cycle in which the expansion and Compression takes place isentropically (Reversibly Adiabatic).

## Reversible and Irreversible process :-

When a System undergoes a path in such a manner, then it is able to attain the original Conditions, when following the same path in the reverse direction, then it is then said to have undergone a Reversible Process.

On the other hand, when the System is not able to attain its original Conditions, when following the reverse path, then it is said to have undergone an irreversible Process.



When the System is able to attain its original Conditions along a different path, then the process is still irreversible.

The Difference between a reversible & an irreversible process is the, Process is process, without & with friction.

A Reversible process is theoretical.

Irreversible process is Actual.

Reversible  $\rightarrow$  Without friction  
 IRReversible  $\rightarrow$  With friction

## Reversible Cycle :-

### 1) Internally Reversible Cycle :-

$$\begin{aligned} du &= 0 \\ mC_v(T_2 - T_1) &= 0 \\ (T_2 - T_1) \cdot \frac{0}{mC_v} &= 0 \\ T_2 &= T_1 \end{aligned}$$

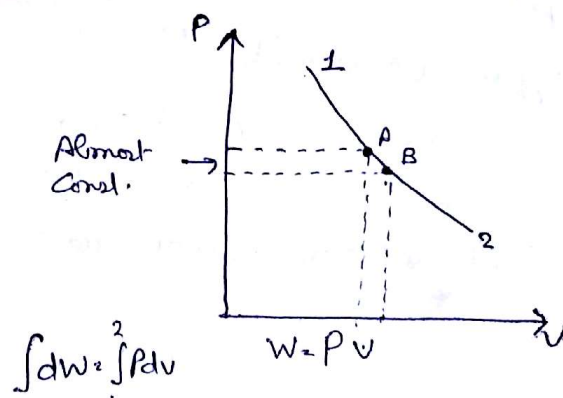
- $\rightarrow$  Expansion and Compression must be an adiabatic process.
- $\rightarrow$  The Heat addition and Rejection must takes place at Constant Temperature.

### Externally Reversible Cycle :-

- $\rightarrow$  Expansion and Compression must be Reversibly adiabatic.
  - $\rightarrow$  The equation  $(H_A - H_R) = W_D$  should be Completely Satisfied.
  - $\rightarrow$  Only Carnot Cycle is externally & Internally Reversible. All other Cycles are only externally Reversible.
- Hence, Carnot Cycle alone is Completely Reversible.

## Quasi-Static Process :-

When a System undergoes a process in such a manner then the final Condition is nearest to the original or equilibrium Condition. The process is then said to be a Quasi static process.



A Quasi Static process is same as, differentially small change in Calculus.

- A Quasi Static process is applied, when a quantity must remain constant, but is varying for any application.
- A Quasi Static process can be used for only a Reversible process.
- Quasi Static process is only theoretical

## Enthalpy:

### Property:-

Properties of System are those quantities which belongs to the system and without which system cannot exist.

"Thus, Pressure, volume, Temperature are, the fundamental properties of System."

It is to be noted that, heat transfer and work done are not the properties of the system.

→ Enthalpy of the system is defined as the total energy present in a system, due to its properties.

→ In thermodynamics, enthalpy (also known as total heat)

is given by,

$$H = U + PV \quad \text{Imp}$$

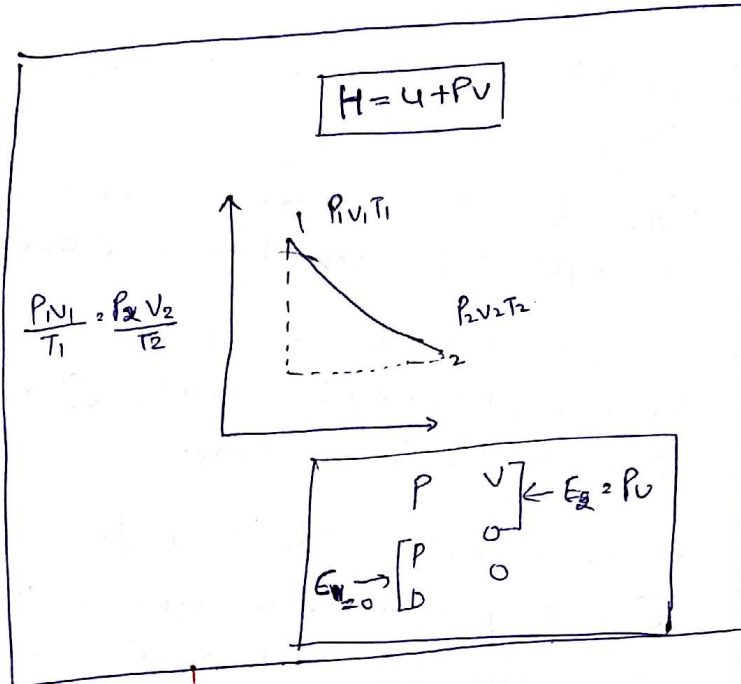
OR

$$H = mC_v T + mRT$$

$$H = mC_v T + m(C_p - C_v) T$$

Imp  $H = mC_p T$  only for Ideal Gases only

Change in enthalpy  $dH = mC_p dT$



$$\begin{aligned}
 H &= U + PV \\
 &= mC_v T + mRT \\
 &= mC_v T + m(C_p - C_v) T \\
 &= H = mC_p T \\
 dH &= mC_p dT
 \end{aligned}$$

Absolute → something which starts from zero 0.

Mayer's eqn<sup>1</sup>

$$R = C_p - C_v$$



# Ideal Cycles for I.C Engines :-

→ The following are requirements for Ideal Cycles of I.C. Engines.

i) Expansion & Compression are Reversibly Adiabatic (Isentropic Process).

→ Heat Rejection Takes place at Constant volume only.

→ Thus it is the Heat Addition, that will be different for different cycles. either at  $P=C$  or  $V=C$

→ When Heat Addition Takes Place at Constant Volume, the cycle is called as Otto cycle or Constant volume cycle.

→ When Heat addition takes place at Constant pressure, the cycle is known as Constant pressure cycle or diesel cycle.

→ In another cycle, Heat addition takes place, first and at Constant volume and then at Const. Pressure. Such a cycle is called as Dual Combustion cycle or Semi diesel cycle.

Heat Rejection → at Constant volume

Heat addition → at either Constant volume / Constant pressure.

Heat Addition at → Constant volume → Otto cycle

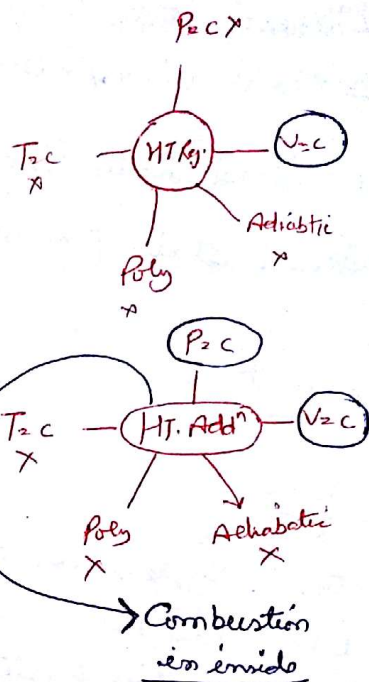
Heat Addition at → Constant Pressure → Diesel cycle

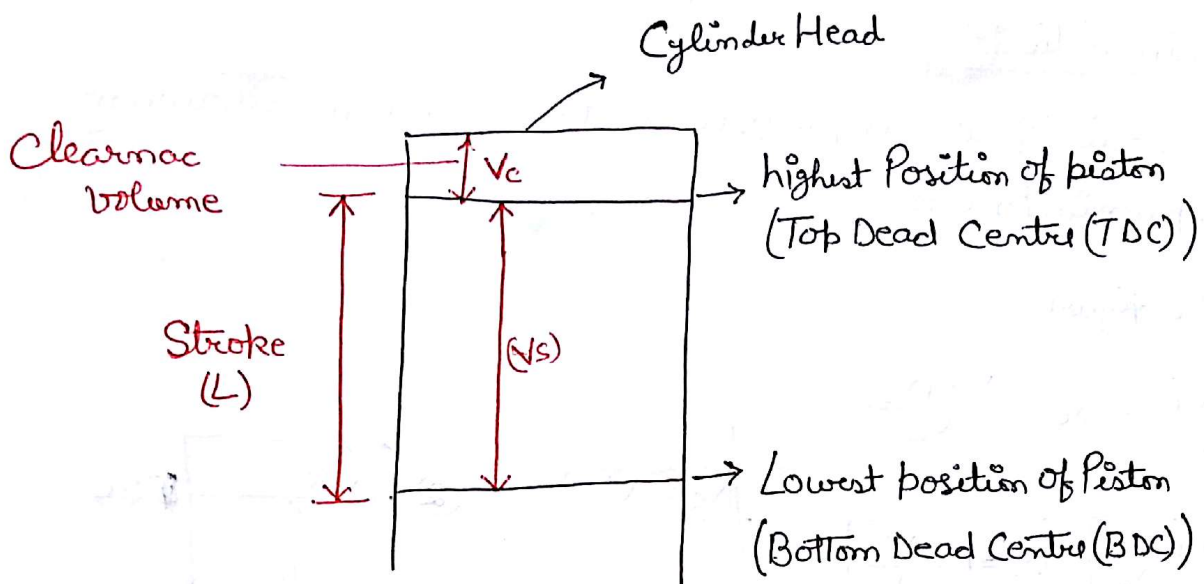
Heat Addition at → first Constant volume then

Constant pressure

Semi diesel cycle (Dual Combustion)

Heat Rejection at Constant volume





Clearance volume:- ( $V_c$ )

It is the space occupied between cylinder head and TDC.

Stroke volume:- ( $V_s$ )

It is the volume covered by the piston for one stroke.

Stroke volume is also known as swept volume.

Clearance Ratio:- ( $C$ )

It is a ratio of the clearance volume to stroke volume of engine and is given by

$$C = \frac{V_c}{V_s}$$



## Compression Ratio :-

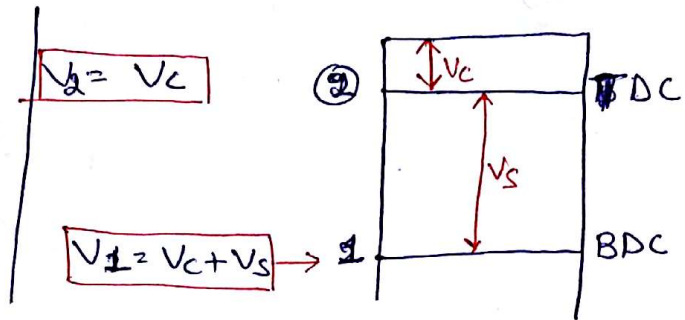
It is the ratio of a larger volume to lesser volume during the Compression process.

From the figure

$$r_c = \frac{V_1}{V_2} \Rightarrow r_c = \frac{V_c + V_s}{V_c}$$

$$r_c = 1 + \frac{V_s}{V_c}$$

$$r_c = 1 + \frac{V_s}{V_c}$$



Compression Ratio is same for All the I C engines

## Expansion Ratio :-

- It is ratio of larger volume to lesser volume during expansion.
- Expansion Ratio is different for different Cycle.
- In general the  $\text{volume ratio} = \frac{\text{large volume}}{\text{Less volume}}$

# Relation between P & T and V & T for An Adiabatic process:

For Adiabatic  $\rightarrow$   $PV^\gamma = C$

$$\Rightarrow P_1 V_1^\gamma = P_2 V_2^\gamma \quad \text{--- (1)}$$

or

$$\Rightarrow \left(\frac{P_2}{P_1}\right) = \left(\frac{V_1}{V_2}\right)^\gamma \quad \text{--- (1a)}$$

$$\Rightarrow \frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2} \quad \text{--- (2) from } (PV = mRT)$$

$$\Rightarrow \frac{P_2}{P_1} = \frac{T_2}{T_1} \times \left(\frac{V_1}{V_2}\right) \quad \text{--- (2a)}$$

$$\Rightarrow \left(\frac{V_1}{V_2}\right)^\gamma = \left(\frac{V_1}{V_2}\right) \frac{T_2}{T_1} \Rightarrow \left(\frac{V_1}{V_2}\right)^\gamma \left(\frac{V_1}{V_2}\right)^{-1} = \frac{T_2}{T_1}$$

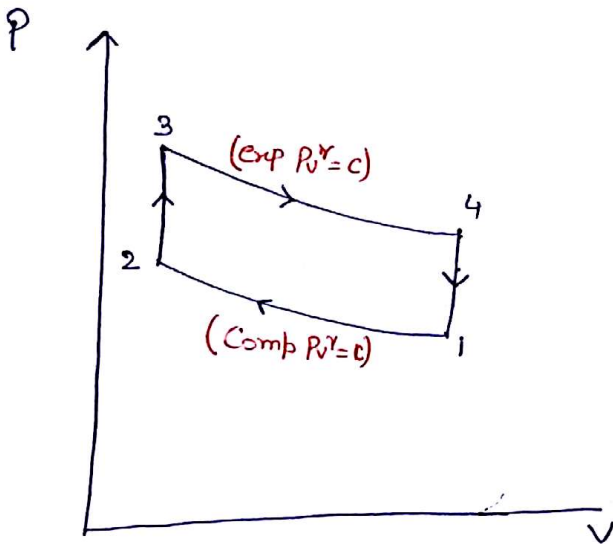
$$\Rightarrow \boxed{\left(\frac{V_1}{V_2}\right)^{\gamma-1} = \frac{T_2}{T_1}} \quad \text{--- (3)}$$

from 1a

$$\Rightarrow \boxed{\left(\frac{P_2}{P_1}\right)^{\frac{\gamma-1}{\gamma}} = \frac{T_2}{T_1}} \quad \text{--- (4)}$$

# Working of Constant volume Cycle or Otto Cycle :-

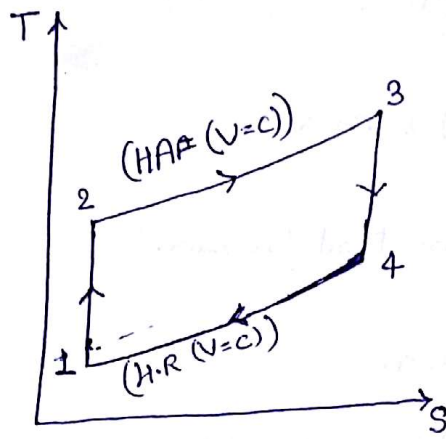
- 1) The Adiabatic Compression (1-2) (Volume decreases, Pressure ↑)  
 (Volume (V) ↓, Pressure (P) ↑, entropy (S) = Const)  
 $\boxed{V \downarrow, P \uparrow, S = c}$
- 2) The Constant volume Heat Addition Process (2-3)  
 (V = c, P ↑, T ↑, S ↑)      [Volume (V) = Const., Pressure (P) ↑, Temp. (T) ↑, entropy (S) ↑]
- 3) The Adiabatic Expansion Process (3-4)  
 (V ↑, P ↓, T ↓, S = Constant)
- 4) Constant volume Heat Rejection Process :- (4-1)  
 (V = Constant, P ↓, T ↓, S ↓)



Slope 1-2 ≠ 3-4  
 bcz, if slope (1-2) = (3-4)  
 then HA = HR  
 & We know that  
 WD = HA - HR  
 $\boxed{WD = 0}$

Otto Cycle (P-V Dia)  
 or  
 Constant volume cycle





T-s Diagram Otto Cycle

Efficiency :-

$$\eta_v = \frac{HA - HR}{HA} \text{ i.e. } \frac{WD}{HA}$$

$$\eta_v = 1 - \frac{HR}{HA}$$

$$\eta_v = 1 - \frac{m C_v (T_4 - T_1)}{m C_v (T_3 - T_2)}$$

$$\eta_v = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1}$$

Efficiency of Otto Cycle,

↳ from eqn D Below

$r_c = \frac{V_1}{V_2}$ , the Compression Ratio, And

Expansion Ratio, is,

$$\frac{V_4}{V_3} = \frac{V_1}{V_2} = r_c \Rightarrow \frac{V_3}{V_4} = \frac{V_2}{V_1} = \frac{1}{r_c}$$

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4}\right)^{\gamma-1} = \left(\frac{1}{r_c}\right)^{\gamma-1} \text{ --- (b)}$$

$$\frac{T_1}{T_2} = \left(\frac{V_2}{V_1}\right)^{\gamma-1} = \left(\frac{1}{r_c}\right)^{\gamma-1} \text{ --- (c)}$$

therefore,  $\left(\frac{1}{r_c}\right)^{\gamma-1} = \frac{T_4}{T_3} = \frac{T_1}{T_2}$

(D)  $\left(\frac{1}{r_c}\right)^{\gamma-1} = \frac{T_4 - T_1}{T_3 - T_2}$  (from Algebraic)

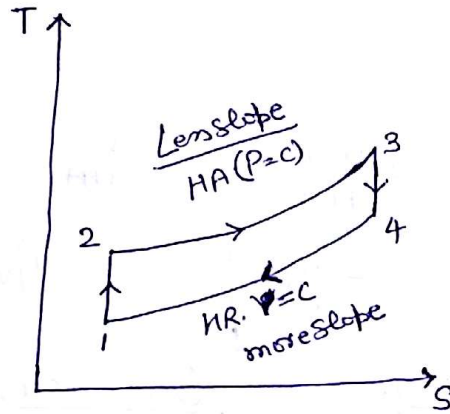
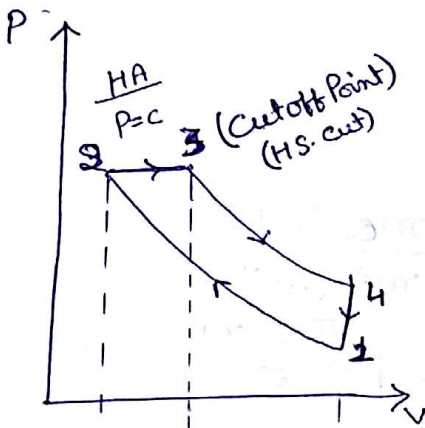
$$\frac{a}{b} = \frac{c}{d} = \frac{a-c}{b-d}$$

$$\frac{8}{4} = \frac{5}{2.5} = \frac{8-5}{4-2.5}$$



# Constant Pressure Cycle or Diesel Cycle :-

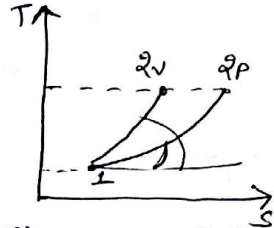
- (1) (1-2) Adiabatic Compression.
- (2) (2-3) Heat Added at Constant Pressure.
- (3) (3-4) Adiabatic Expansion.
- (4) (4-1) Constant volume Heat Rejection.



$$dq_p = m C_p \log_e \frac{T_2}{T_1}$$

$$dq_v = m C_v \log_e \frac{T_2}{T_1}$$

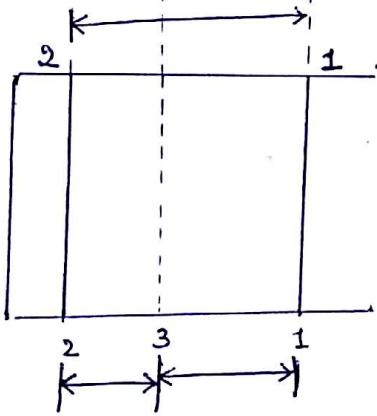
if we take mass & Temp same for both two, change in entropy at const pressure will be high.



Slope at Const P. is less than slope at Const vol.

Slope at Const V. is high

Slope at Const P is less.



Let,  $\frac{V_1}{V_2} = r_c$  - the Compression Ratio

&  $\frac{V_3}{V_2} = \rho$  - the cut off Ratio

The Expansion Ratio =  $\frac{V_4}{V_3} = \frac{V_1}{V_2} \times \frac{V_2}{V_3} = \frac{r_c}{\rho}$

$$(1-2) \quad \frac{T_2}{T_1} = \left(\frac{V_1}{V_2}\right)^{\gamma-1}$$

$$\frac{T_2}{T_1} = (\gamma)^{\gamma-1} \Rightarrow T_2 = T_1 \times (\gamma)^{\gamma-1} \quad \text{--- (1)}$$

(2-3)

$$\boxed{P=C}$$

$$\frac{T_3}{T_2} = \frac{V_3}{V_2} \Rightarrow T_3 = T_2 \frac{V_3}{V_2} \Rightarrow T_3 = T_1 (\gamma^{\gamma-1})^{\rho}$$

$$\Rightarrow T_3 = T_1 \times (\gamma)^{\gamma-1} \times \rho \quad \text{--- (2)}$$

(3-4)

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4}\right)^{\gamma-1} = T_4 = T_1 \gamma^{\gamma-1} \rho \times \left(\frac{\rho}{\gamma}\right)^{\gamma-1}$$

$$\downarrow T_4 = T_1 \gamma^{\gamma-1} \rho^{\frac{\rho\gamma-1}{\gamma-1}}$$

$$T_4 = T_1 \rho^{\gamma} \quad \text{--- (3)}$$

Efficiency of the Cycle is,

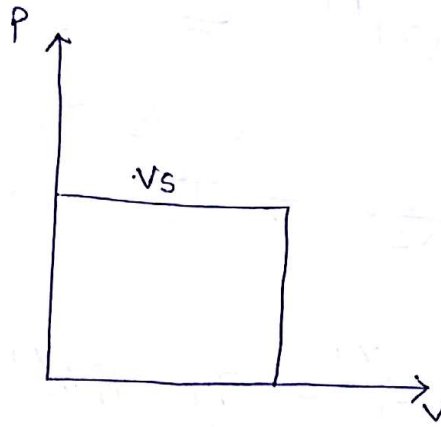
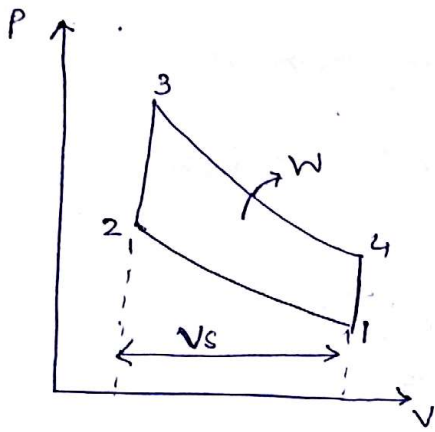
$$\eta_P = 1 - \frac{HR}{HA} \Rightarrow \eta_P = 1 - \frac{m_{Cv} (T_4 - T_1)}{m_{Cp} (T_3 - T_2)}$$

$$\eta_P = 1 - \frac{1}{\gamma} \left( \frac{T_1 \rho^{\gamma} - T_1}{T_1 \gamma^{\gamma-1} \rho - T_1 \gamma^{\gamma-1}} \right)$$

$$\eta_P = 1 - \left(\frac{1}{\gamma}\right)^{\gamma-1} \frac{\rho^{\gamma} - 1}{\gamma(\rho - 1)}$$

most important  
Gate & I.E.S

# Mean Effective Pressure ( $P_m$ or $mep$ ) :-



W <sub>op</sub>	← Mean P.
Min 65	70
71	70
Max 74	70
210	210
W = 210 P <sub>m</sub> = 70	
<del>W = P<sub>m</sub> × Vs</del>	
210 = 70 × 3	
W = P <sub>m</sub> × Vs	

When we consider an imaginary pressure, in such a manner then, if it remains constant and gives us the same workdone for the same change in volume, like that of an actual cycle.

Then the imaginary pressure is known as the mean effective pressure of cycle.

The workdone by taking the mean effective pressure into account is given by,

$$W = P_m \times V_s$$

Important term

$$\text{i.e. Workdone} = mep \times \text{Swept volume}$$

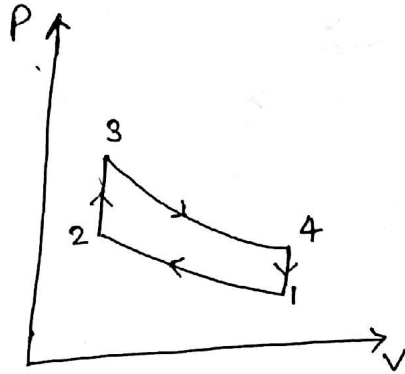


Qm) For the Diagram shown,

Prove that the mep is given by

$$P_m = \frac{\eta_V}{(\gamma-1)(\gamma-1)} \times \Delta P$$

where  $\Delta P = (P_3 - P_2)$



Soln)

$$\eta_V = \frac{WD}{HA} \Rightarrow \frac{P_m \times V_s}{m C_v (T_3 - T_2)}$$

$$\& P V = m R T$$

$$m T = \frac{P V}{R}$$

$$R \rightarrow C_p - C_v$$

$$m T = \frac{P V}{C_p - C_v}$$

$$\eta_V = \frac{P_m V_s}{C_v \left( \frac{P_3 V_3 - P_2 V_2}{C_p - C_v} \right)} \leftarrow V_3 = V_2 = V_c$$

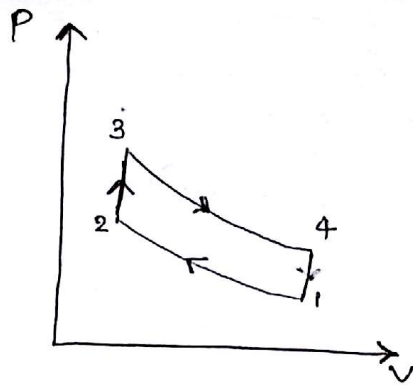
$$= \frac{P_m V_s (C_p - C_v)}{V_c (P_3 - P_2) C_v} = \frac{P_m (\gamma - 1) (\gamma - 1)}{\Delta P} \rightarrow \frac{V_s}{V_c} = (\gamma - 1)$$

$$\rightarrow \frac{C_p}{C_v} = \gamma$$

$$P_m = \frac{\eta_V}{(\gamma-1)(\gamma-1)} \times \Delta P$$



Qm 2) For the Cycle Shown,



Show that,

$$T_2 = T_4 = \sqrt{T_1 T_3}$$

for Maximum Workdone,

Soln

$$WD = HA - HR$$

$$WD = m C_V [(T_3 - T_2) - (T_4 - T_1)]$$

$$\& \left(\frac{T_2}{T_1}\right) = \left(\frac{V_1}{V_2}\right)^{\gamma-1} = r^{\gamma-1} \Rightarrow T_2 = T_1 r^{\gamma-1} \quad \text{--- (1)}$$

$$\text{Also } \frac{T_4}{T_3} = \left(\frac{V_3}{V_4}\right)^{\gamma-1} = \left(\frac{1}{r}\right)^{\gamma-1} = r^{-\gamma+1} \quad T_4 = T_3 r^{-\gamma+1}$$

$$\therefore WD = m C_V [(T_3 - T_1 r^{\gamma-1}) - T_3 r^{-\gamma+1} - T_1]$$

$$\therefore \text{For max. Workdone, } \frac{d(WD)}{d(r)} = 0$$

on differentiating,

$$\therefore -T_1 (\gamma-1) r^{(\gamma-1)-1} - T_3 (-\gamma+1) r^{(-\gamma+1)-1} = 0$$

$$\text{or } -T_1 (\gamma-1) r^{\gamma-2} = T_3 (-\gamma+1) r^{-\gamma}$$

$$-(\gamma-1) \rho c^{\gamma-2} \times \rho c^{\gamma} = -(\gamma-1) \frac{T_3}{T_1}$$

$$(\rho c^{\gamma-1})^2 = \frac{T_3}{T_1} \quad \text{or} \quad \left(\frac{T_2}{T_1}\right)^2 = \frac{T_3}{T_1} \quad \xrightarrow{\text{from 1}} \frac{T_2}{T_1} \left(\frac{V_1}{V_2}\right)^{\gamma-1} = \rho c^{\gamma-1}$$

Therefore,

$$T_2 = \sqrt{T_1 T_3}$$

$$\left(\frac{T_2}{T_1}\right)^2 = \frac{T_3}{T_1} \Rightarrow T_2^2 = \frac{T_3 \times T_1^2}{T_1} \\ T_2 = \sqrt{T_3 T_1}$$

$$\text{or, } \left(\frac{T_3}{T_4}\right)^2 = \frac{T_3}{T_1} \Rightarrow \left(T_3\right)^2 = \frac{T_3 \times T_1^2}{T_1} \quad T_4 = T_1 \\ T_3 = \sqrt{T_3 T_1}$$

$$\therefore T_4 = \sqrt{T_1 T_3}$$

$$\therefore T_4 = T_2 = \sqrt{T_1 T_3}$$

Hence proved.

Qm) The Compression Ratio of an Otto cycle is 7.  
 The initial value of ratio of specific heat is 1.4.  
 Find the Percentage decrease in efficiency of the cycle,  
 when the specific heat at constant volume increase by 1%.

Soln)  $C_{V2} = 1.01 C_{V1}$

$$\gamma_1 = \frac{C_{P1}}{C_{V1}} = 1.4 \Rightarrow C_{P1} = 1.4 C_{V1}$$

$$(C_{P1} - C_{V1}) = R = (C_{P2} - C_{V2})$$

or  $(1.4 C_{V1} - C_{V1}) = C_{P2} - 1.01 C_{V1}$

*its already 100% & then 1% increased so it is 1.01*

$$C_{P2} = 1.41 C_{V1}$$

$$\therefore \gamma_2 = \frac{C_{P2}}{C_{V2}} = \frac{1.41 C_{V1}}{1.01 C_{V1}} = 1.396$$

$$\eta_1 = 1 - \left(\frac{1}{r_c}\right)^{\gamma_1 - 1} = 1 - \left(\frac{1}{7}\right)^{1.4 - 1} = 0.5407$$

$$\eta_2 = 1 - \left(\frac{1}{r_c}\right)^{\gamma_2 - 1} = 1 - \left(\frac{1}{7}\right)^{1.396 - 1} = 0.5372$$

Therefore % decrease in efficiency

$$\% \downarrow \eta = \frac{0.5407 - 0.5372}{0.5407} \times 100\%$$

$\eta = 10.4\%$

Qm) If the Workdone of diesel cycle is increased, its efficiency will

- A) Increase
- B) Remain Same
- C) Decrease
- D) Any thing is Possible

Soln)  $\eta_D = \frac{WD}{HA} = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} \times \frac{r_c^\gamma - 1}{\gamma(r_c - 1)}$

or  $\eta_D = \frac{WD}{H.A} = \frac{r_c^{\gamma-1} \times \gamma(r_c - 1) - (r_c^\gamma - 1)}{r_c^{\gamma-1} \times \gamma(r_c - 1)}$

It may be seen from above equation, that, when the Workdone (Numerator) is increased then the (denominator) equal to Heat Added, will ↑ even more, as there is no negative term in the denominator.  
Hence efficiency will only decrease.

Qm) A Compression Ratio of diesel cycle is 14. Cut off changes from 5-15% of the stroke.  
Determine the Percentage decrease, in the efficiency of the cycle?

Soln)  $r_c = 14 = \frac{V_1}{V_2} = \frac{V_c + V_s}{V_c}$

$\therefore V_s = 13V_c = 13V_2$

$V_3 - V_2 = \frac{5}{100} V_s$

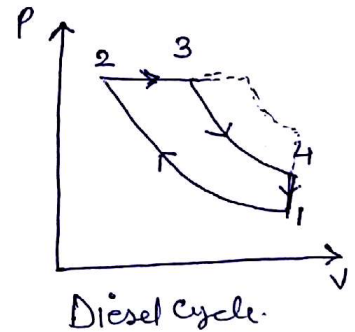
or  $V_3 = 0.05 \times 13V_2 + V_2 = 1.65V_2$

$r = \frac{V_3}{V_2} = \frac{1.65V_2}{V_2}$

$r = 1.65$

$\eta_1 = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} \frac{r_c^\gamma - 1}{\gamma(r_c - 1)} = 1 - \left[\left(\frac{1}{14}\right)^{1.4-1} \times \frac{1.65^{1.4} - 1}{1.4(1.65-1)}\right] = 0.6115$

$\eta_1 = 0.6115$





When cut off take place at 15% of the stroke, then;

$$V_3' - V_2 = \frac{15}{100} V_3$$

$$V_3' = 0.15 \times 13V_3 + V_2 = 2.95V_2$$

$$p' = \frac{V_3'}{V_2} = \frac{2.95V_2}{V_2} = 2.95$$

~~$\eta_2 = 1 - \left(\frac{1}{p'}\right)^{\gamma-1}$~~

$$\eta_2 = 1 - \left(\frac{1}{p'}\right)^{\gamma-1} \frac{(p')^{\gamma} - 1}{\gamma(p' - 1)}$$

$$= 1 - \left(\frac{1}{14}\right)^{1.4-1} \times \frac{2.95^{1.4} - 1}{1.4(2.95 - 1)} = 0.5478$$

Percentage ↑ in efficiency is,

$$\uparrow \% \eta = \frac{0.6115 - 0.5478}{0.6115} \times 100\% = 10.4\%$$

Q21. The engine of the car has 3 cylinders of 68 mm bore & 37.5 mm Crank radius. The Compression Ratio is 8. The clearance volume of each cylinder is \_\_\_\_\_  $\text{cm}^3$ .

Soln) bore =  $d = 68 \text{ mm} = 6.8 \text{ cm}$   
 $r_c = 37.5 \text{ mm} = 3.75 \text{ cm}$   
 $r_c = 8$        $V_c = ?$

$$L = 2 r_c$$

$$= 2 \times 3.75 \text{ cm}$$

$$= 7.5 \text{ cm}$$

$$V_s = \frac{\pi}{4} d^2 \times L$$

$$\frac{V_c + V_s}{V_c} = r_c = 8$$

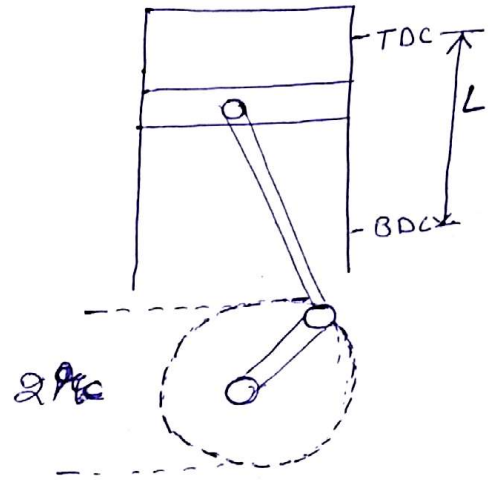
$$V_s = 7V_c$$

$$V_c = \frac{V_s}{7}$$

$$\text{or } V_c = \frac{\frac{\pi}{4} d^2 \times L}{7}$$

$$= \frac{\pi}{4} \times \frac{6.8^2 \times 7.5}{7} \text{ cm}^3$$

therefore  $V_c = 38.9 \text{ cm}^3$  } Ans



Length of Stroke =  $2 r_c$

this is because, for one rotation of piston from TDC to BDC is called 1 i.e. Stroke

$$L = 2 r_c$$

$r_c =$  Crank radius

Qm) 22) An oil engine Work on Diesel Cycle, the Compression Ratio being 15. The temperature at the start of Compression is  $17^{\circ}\text{C}$  & 700 kJ of heat is Supplied at Constant pressure per kg of air and it attains a temperature of  $417^{\circ}\text{C}$  at the end of adiabatic expansion. Take specific heat at constant volume,  $C_v = 0.717 \text{ kJ/kg}\cdot\text{K}$  and Ratio of specific heat,  $\gamma = 1.4$ . The air standard efficiency of the Cycle is \_\_\_\_\_ %.

Soln)

$$r_c = 15 = \frac{V_1}{V_2}$$

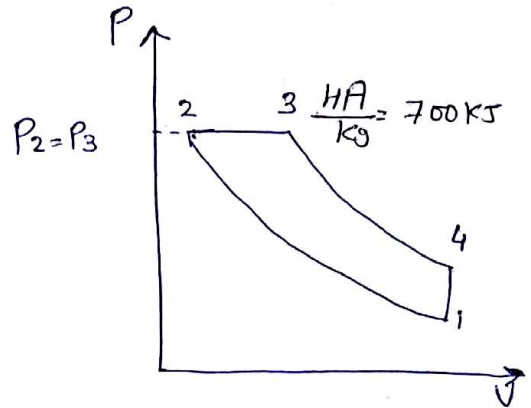
$$T_1 = 17^{\circ}\text{C} = 290 \text{ K}$$

$$T_4 = 417^{\circ}\text{C} = 690 \text{ K}$$

$$C_v = 0.717 \text{ kJ/kg}\cdot\text{K}$$

$$\gamma = 1.4$$

$$\eta_p = ?$$



[Without Heat Addition  
This Problem Can be Solve]

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2}\right)^{\gamma-1}$$

$$\therefore T_2 = 290 \times 15^{1.4-1}$$

$$\boxed{T_2 = 856.7 \text{ K.}}$$

$$\& P_1 V_1^{\gamma} = P_2 V_2^{\gamma}$$

$$P_2 = P_1 \left(\frac{V_1}{V_2}\right)^{\gamma}$$

$$P_2 = P_1 \times 15^{1.4} \text{ bar} = P_3 \quad \boxed{(P_2 = P_3)}$$

$$\frac{P_4}{P_1} = \frac{T_4}{T_1}$$

$$\boxed{\text{As } V=C}$$

$$P_4 = P_1 \frac{690}{290}$$

$$P_4 = \frac{69}{29} P_1$$

$$(3-4) \quad \frac{T_3}{T_4} = \left(\frac{P_3}{P_4}\right)^{\frac{\gamma-1}{\gamma}} \Rightarrow T_3 = 690 \left(\frac{P_1 \times 15^{1.4}}{\frac{69}{29} P_1}\right)^{\frac{1.4-1}{1.4}}$$

$$\boxed{T_3 = 1591.1 \text{ K}}$$



Cutoff ratio  $P = \frac{V_3}{V_2} = \frac{T_3}{T_2}$   $\leftarrow$  (from Charles Law)  $\boxed{P=C}$

$$P = \frac{V_3}{V_2} = \frac{T_3}{T_2} = \frac{1591.1}{856.7} = 1.85$$

$$\eta_p = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} \times \frac{P^\gamma - 1}{\gamma(P-1)}$$

$$= 1 - \left(\frac{1}{15}\right)^{1.4-1} \times \frac{1.85^{1.4} - 1}{1.4(1.85-1)} = 0.607 \text{ or } 60.7\%$$

Qn 23) Air enters a diesel engine with density of  $1.0 \text{ kg/m}^3$ . The Compression Ratio is 21. At Steady State, the air intake is  $30 \times 10^{-3} \text{ kg/s}$  and the net Work output is 15 kW. The mean effective pressure (kPa) is \_\_\_\_\_ (GATE 2015)

Soln)  $d = 1 \text{ kg/m}^3 = \frac{m_a}{\text{Vol. a}}$

$$r_c = 21$$

$$m_a = 30 \times 10^{-3} \text{ kg/sec}$$

$$WD = 15 \text{ kW}$$

$$P_m = ?$$

Let us imagine that the volume of air entering the cylinder during suction is equal to stroke volume.

$$\therefore V_s = \frac{m_a}{d} = \frac{30 \times 10^{-3}}{1} = \text{m}^3/\text{sec}$$

$$\boxed{\frac{N}{m} = \text{Pa}}$$

$$\left(\frac{J}{\text{sec}} = \text{Watt}\right)$$

$$P_m = \frac{WD}{V_s}$$

$$P_m = \frac{15 \times 1000}{30 \times 10^{-3}} \text{ N/m}^2 / \text{ Pascal}$$

$$= 500 \times 1000 \text{ Pa}$$

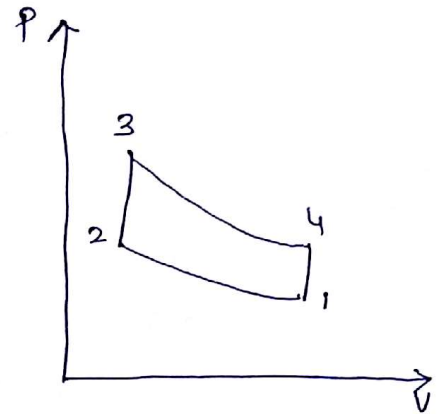
$$\boxed{P_m = 500 \text{ kPa}} \text{ --- mean effective pressure.}$$

$$\boxed{P_m = 500 \text{ kPa}}$$

Qm24) Efficiency of an Otto cycle is 54%. The Compression begins at 1 bar and 15°C. The max. Pressure is 75 bar. Find heat added, heat Rejected and Workdone per kg. Estimate the Compression Ratio and meP of the Cycle.  
 ( $C_v = 0.71$  &  $R = 0.29 \text{ kJ/kgK}$ )

Soln

$$\begin{array}{l} \eta_v = 0.54 \\ P_1 = 1 \text{ bar} \\ T_1 = 15^\circ\text{C} = 288 \text{ K} \\ P_3 = P_{\text{max}} = 75 \text{ bar} \\ \cancel{C_p = 0.71} \\ C_v = 0.71 \\ R = 0.29 \end{array} \left. \begin{array}{l} \frac{hA}{kg} = ? \\ \frac{HR}{kg} = ? \\ \frac{WD}{kg} = ? \\ \text{meP} = ? \end{array} \right\}$$



$C_p - C_v = R$  by Mayer's equation

$C_p = R + C_v$

$C_p = (0.29 + 0.71) \text{ kJ/kg} = 1 \text{ kJ/kgK}$

$\gamma = \frac{C_p}{C_v} = \frac{1}{0.71} = 1.408$

$\eta_v = 0.54$  or  $1 - \left(\frac{1}{r_c}\right)^{1.408-1} = 0.54$

$r_c = 6.7 = \frac{V_1}{V_2}$

$r_c = \frac{V_6 + V_5}{V_c} = 6.7$

$V_5 = 5.7 V_c = 5.72 V_2$

$V_1 = V_c + V_5 = \frac{V_5}{5.7} + V_5$

$\therefore V_5 = 0.81 V_1$

$$P_1 V_1^\gamma = P_2 V_2^\gamma$$

$$P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma = 1 \times 1.67^{1.408} \text{ bar}$$

$$\boxed{P_2 = 14.55 \text{ bar}}$$

$$\eta_V = \frac{WD}{HA}$$

$$HA = HR = WD$$

$$HA = C_V (T_3 - T_2)$$

$$\& \frac{T_2}{T_1} = \left( \frac{V_1}{V_2} \right)^{\gamma-1} \therefore T_2 = 288 \times 1.67^{1.408-1}$$

$$\boxed{T_2 = 624.4 \text{ K}}$$

$$\frac{P_3}{P_2} = \frac{T_3}{T_2}$$

$$\therefore T_3 = 624.4 \times \frac{75}{14.551} = 3218.5 \text{ K}$$

$$\boxed{\uparrow} \\ \boxed{V_3 = V_2}$$

$$\therefore HA = C_V (T_3 - T_2) = 0.71 (3218.5 - 624.5) \text{ kJ/kg}$$

$$HA = 1841.85 \text{ kJ/kg}$$

$$\text{and } WD = \eta_V \times HA = 0.54 \times 1841.85 \frac{\text{kJ}}{\text{kg}} = 994.5 \text{ kJ/kg}$$

$$HR = HA - WD = (1841.85 - 994.5) \text{ kJ/kg} = 847.4 \frac{\text{kJ}}{\text{kg}}$$

Also,  $P_1 V_1 = m R T_1$  (for 1 kg of Air)

$$V_1 = \frac{R T_1}{P_1} = \frac{290 \times 288}{1 \times 10^5} \text{ m}^3 = 0.835 \text{ m}^3/\text{kg}$$

$$\therefore V_3 = 0.81 V_1 \Rightarrow V_3 = 0.81 \times 0.835 \text{ m}^3/\text{kg} \\ V_3 = 0.676 \text{ m}^3/\text{kg}$$

$$P_m = \frac{WD}{V_3} = \frac{994.5 \times 1000}{0.676} \text{ N/m}^2$$

$$P_m = 14 \times 10^5 \text{ N/m}^2$$

Change in kW to Watt  
by multiply 1000



Qm 25) A diesel engine has Stroke to bore Ratio 1.5:1.

Cut off takes place 5% of Stroke. Estimate

- i) Stroke and bore of the engine, if WD/cycle is 1500J.
- ii)  $m_e P$ , if clearance ratio is 10%. The pressure at the end of suction may be taken as 1 bar.
- iii) Efficiency of the cycle.

$$\frac{L}{d} = 1.5 \quad d = ? \quad L = ?$$

$$(V_3 - V_2) = \frac{5}{100} V_s$$

$$\frac{WD}{\text{Cycle}} = 1500J$$

$$(W_1 + W_2 + W_3) = 1500J$$

$$m_e P = ?$$

$$C = \frac{V_c}{V_s} = 0.1$$

$$P_1 = 1 \text{ bar}$$

$$V_c = 0.1 V_s = V_2$$

$$V_1 = V_c + V_s = 0.1 V_s + V_s = 1.1 V_s = V_4$$

$$V_3 = 0.05 V_s + 0.1 V_s = 0.15 V_s$$

$$r = \frac{V_1}{V_2} = \frac{1.1 V_s}{0.1 V_s} = 11$$

$$r = \frac{V_3}{V_2} = \frac{0.15 V_s}{0.1 V_s} = 1.5$$

$$P_1 V_1^\gamma = P_2 V_2^\gamma \text{ or } P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma$$

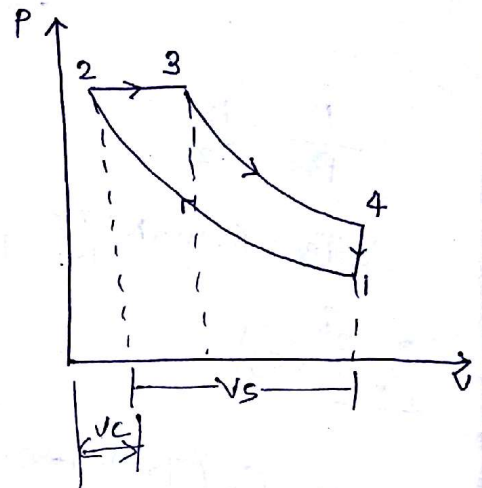
$$P_2 = 1 \times 11^{1.4} \text{ bar} = 28.7 \text{ bar} = P_3$$

Imp. must remember.

$$P_2 = P_3$$

$$P_3 V_3^\gamma = P_4 V_4^\gamma \text{ or } P_4 = P_3 \left( \frac{V_3}{V_4} \right)^\gamma = 28.7 \times \left( \frac{0.15 V_s}{1.1 V_s} \right)^{1.4} \text{ bar} = 1.76$$

$$P_4 = 1.76 \text{ bar}$$



(Adiabatic Compression)  $W_1 = \frac{P_1 V_1 - P_2 V_2}{\gamma - 1} = \frac{(1 \times 1.1 V_s - 28.7 \times 0.1 V_s) \times 10^5}{1.4 - 1} = -4.43 \times 10^5 \text{ Vs J}$

(Const V=c)  $W_2 = P_2 (V_3 - V_2) = 28.7 \times 10^5 (0.15 V_s - 0.1 V_s) \text{ J} = 1.4325 \times 10^5 \text{ Vs J}$

(Adiabatic Expansion)  $W_3 = \frac{P_3 V_3 - P_4 V_4}{\gamma - 1} = \frac{(28.7 \times 0.15 V_s - 1.76 \times 1.1 V_s) \times 10^5}{1.4 - 1} = 5.92 \times 10^5 \text{ Vs J}$

$\oint W_1 + W_2 + W_3 = \frac{WD}{\text{Cycle}} = 1500 \text{ J}$

$-4.43 \times 10^5 + 1.4325 \times 10^5 + 5.92 \times 10^5 \text{ Vs} = P_m \times V_s = 1500 \text{ J}$

$(-4.43 + 1.4325 + 5.92) \times 10^5 \text{ Vs} = P_m \times V_s = 1500 \text{ J}$

$P_m = 2.92 \times 10^5 \text{ N/m}^2 = 2.92 \text{ bar}$

$V_s = 5.15 \times 10^{-3} \text{ m}^3$

$\frac{\pi}{4} d^2 \times L = 5.15 \times 10^{-3} \text{ m}^3$

$\frac{\pi}{4} d^2 \times 1.5d = 5.15 \times 10^{-3} \text{ m}^3$

$\therefore d = 0.163 \text{ m} = 16.3 \text{ cm}$

$L = 24.45 \text{ cm}$

$\eta_p = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} \frac{r^{\gamma}-1}{\gamma(r-1)}$

$\eta_p = 1 - \left(\frac{1}{11}\right)^{1.4-1} \frac{1.5^{1.4}-1}{1.4(1.5-1)}$

$\eta_p = 0.5816$

or

$\eta_p = 58.16\%$

Qn 26) The pressure & temperature of a diesel cycle at the start of compression are 1 bar & 30°C respectively. The compression ratio is 15. Pressure at the end of expansion was 3.5 bar. Find the % of working stroke at which heat is supplied per kg of air. (Take  $\gamma = 1.4$ ,  $C_p = 1.008 \text{ kJ/kgK}$ ).

Soln) Given Data:-

$$P_1 = 1 \text{ bar}$$

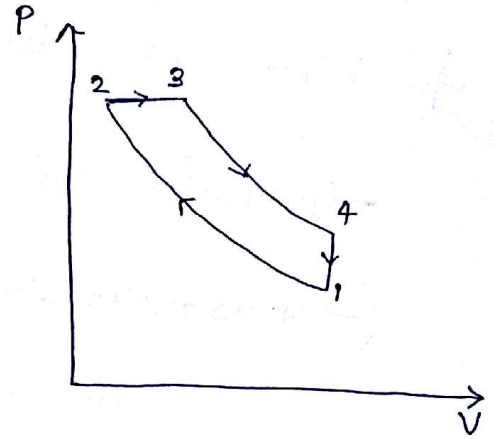
$$T_1 = 30^\circ\text{C} = 303\text{K}$$

$$r = 15 = \frac{V_1}{V_2}$$

$$P_4 = 3.5 \text{ bar}$$

$$\gamma = 1.4$$

$$C_p = 1.008 \text{ kJ/kgK}$$



$$V_3 - V_2 = \frac{x}{100} \times V_5$$

$$\therefore x = \frac{V_3 - V_2}{V_5} \times 100 = ?$$

$$\text{or } x = \frac{\frac{V_3}{V_2} - 1}{\frac{V_5}{V_2}} \times 100 = ?$$

$$\boxed{\frac{V_5}{V_2} = r - 1}$$

$$\text{or } x = \frac{\frac{T_3}{T_2} - 1}{r - 1} \times 100 = ? \quad \text{--- (1)}$$

$$P_1 V_1^\gamma = P_2 V_2^\gamma$$

$$\text{or } P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma$$

$$P_2 = 1 \times 15^{1.4} \text{ bar}$$

$$\boxed{P_2 = 44.3 \text{ bar} = P_3}$$



$$\& \frac{T_2}{T_1} = \left(\frac{V_1}{V_2}\right)^{\gamma-1} \therefore T_2 = \frac{303 \times 15^{1.4-1}}{1} \text{ K}$$

$$\therefore T_2 = 895.1 \text{ K}$$

Process (4-1)

$$\frac{T_4}{T_1} = \frac{P_4}{P_1} \text{ or } T_4 = 303 \times \frac{3.5}{1} = 1060.5 \text{ K}$$

$$T_4 = 1060.5 \text{ K}$$

And (Adiabatic Process)

$$\frac{T_3}{T_4} = \left(\frac{P_3}{P_4}\right)^{\frac{\gamma-1}{\gamma}}$$

$$T_3 = 1060.5 \left(\frac{44.3}{3.5}\right)^{\frac{1.4-1}{1.4}} \text{ K} = 2190.66 \text{ K}$$

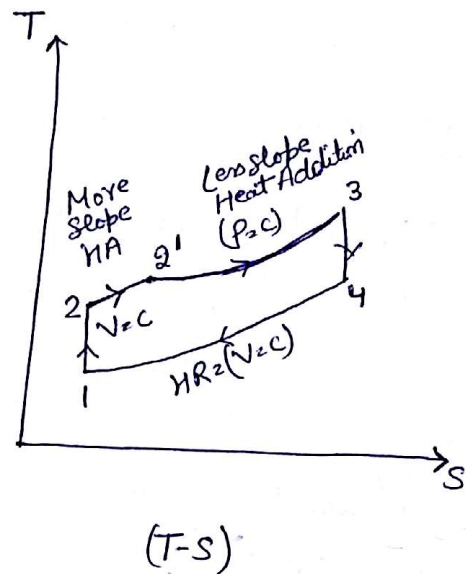
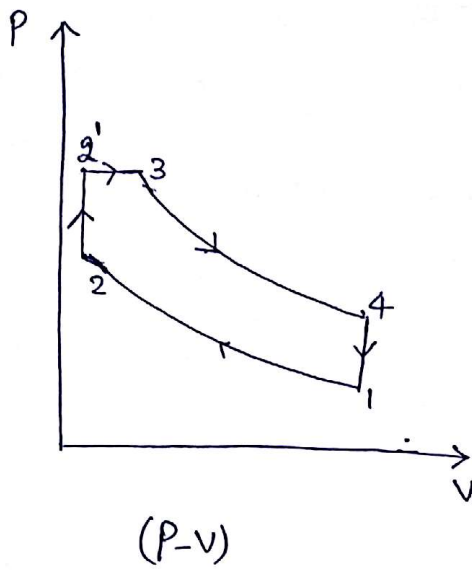
$$T_3 = 2190.66 \text{ K}$$

From (1)

$$x = \frac{2190.6}{895.1} - 1}{1.5 - 1} \times 100\%$$

$$x = 10.3\%$$

# The Dual Combustion Cycle Or The Semi Diesel Cycle :- $T \uparrow$ (No Spark Plug)



- For Dual Cycle, the heat addition takes places, first at Constant volume, then at atmospheric Pressure.
- If Heat addition takes places, first at Constant pressure & then at Constant volume, then the efficiency of cycle will be reduced. Besides the Piston will halt in the middle of its motion for the Constant volume heat addition & then continuing its motion for the Expansion process.
- \* This is not Possible in Practice.
- For, Higher Efficiency of dual cycle, the heat addition at Constant volume, will be much as, then the heat addition at Constant Pressure.
- Heat Addition at Constant Pressure is, 2-3 times more than Heat addition at Constant volume.

→ The Ratio of the Pressures, during the Constant vol. Heat addition is known as explosion Ratio.

$$\left[ \text{In the figure explosion Ratio } \alpha = \frac{P_2'}{P_2} \right]$$

→ For the, Same Peak pressure, the efficiency of diesel cycle is higher than that of the dual cycle, as its Compression Ratio ( $r_c$ ) is higher.

→ For, diesel Cycles, Compression Ratio  $r_c = 16 - 20$

→ For Dual Cycles, Compression Ratio  $r_c = 12 - 16$

→ Since, the Compression Ratio for Dual Cycle is less, hence, the stroke length ~~enhances~~ <sup>& hence</sup> the size of dual engine will be smaller than that of the Diesel cycle engine.

→ The Sound Pollution for the Dual Cycle engine is much less than that of the Diesel cycle engine.

→ The maintenance of Dual Cycle engine is easier & so also is the maintenance cost.

→ Due to Above reasons, the present day diesel engines employ Dual Cycles more than the Diesel Cycles.



## Efficiency of Dual Cycle:-

Let,

$$\frac{V_1}{V_2} = r_c, \quad \text{the Compression ratio}$$

$$\& \quad \frac{P_2'}{P_2} = \alpha \quad \text{The explosion Ratio}$$

$$\rho = \frac{V_3}{V_2'} = \frac{V_3}{V_2} \quad \text{the Cut off Ratio}$$

The Expansion Ratio is

$$\frac{V_4}{V_3} = \frac{V_1}{V_2} \times \frac{V_2}{V_1} = \frac{r_c}{\rho}$$

Adiabatic Compression  $\rightarrow$   $PV^\gamma = C$

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2}\right)^{\gamma-1} \Rightarrow T_2 = T_1 \times r_c^{\gamma-1} \quad \text{--- (1)}$$

H.A. at Constant Volume ( $V=C$ )

$$\frac{P_2'}{P_2} = \frac{T_2'}{T_2} \Rightarrow T_2' = T_1 r_c^{\gamma-1} \alpha \quad \text{--- (2)}$$

H.A. at Constant Pressure ( $P=C$ )

$$\frac{T_3}{T_2'} = \frac{V_3}{V_2'} \Rightarrow T_3 = T_1 r_c^{\gamma-1} \alpha \rho \quad \text{--- (3)}$$

Adiabatic expansion

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4}\right)^{\gamma-1} \Rightarrow T_4 = T_1 \times r_c^{\gamma-1} \alpha \rho \left(\frac{\rho}{r_c}\right)^{\gamma-1}$$

$$T_4 = T_1 \alpha \rho^\gamma \quad \text{--- (4)}$$

$$\eta_s = 1 - \frac{HR}{HA}$$

$$= 1 - \frac{m C_v (T_4 - T_1)}{m C_v (T_2' - T_2) + m C_p (T_3 - T_2')}$$

or

$$\eta_s = 1 - \frac{T_1 \alpha e^\gamma - T_1}{(T_1 r^{\gamma-1} \alpha - T_1 r^{\gamma-1}) + \gamma (T_1 r^{\gamma-1} \alpha P - T_1 r^{\gamma-1} \alpha)}$$

$$\therefore \eta_s = 1 - \left(\frac{1}{r}\right)^{\gamma-1} \frac{\alpha e^\gamma - 1}{(\alpha - 1) + \gamma (P - 1) \alpha}$$

emp objective

Efficiency of Dual Cycle

Qm 27 In an engine working on the dual cycle, the Pressure and temperature at the beginning of Compression are 1.03 bar and 30°C. The temp. at the end of Compression is 400°C. and the max. temp. of the cycle is 2000°C. The heat added at constant pressure is 2.5 times that at constant volume. Determine the max. Pressure & the efficiency of the cycle?

Soln)  $P_{max} = P_3 = ?$   $\eta_s = ?$

$$P_1 = 1.03 \text{ bar}$$

$$T_1 = 30^\circ\text{C} = 303 \text{ K}$$

$$T_2 = 400^\circ\text{C} = 673 \text{ K}$$

$$T_{max.} = T_3 = 2000^\circ\text{C} = 2273 \text{ K}$$

$$H_{Ap} = 2.5 H_{Av}$$

$$H_{Ap} = 2.5 H_{Av}$$

$$m C_p (T_3 - T_2') = 2.5 m C_v (T_2' - T_2)$$

$$\therefore 0.56 (2273 - T_2') = (T_2' - 673)$$

$$T_2' = 1247.4 \text{ K}$$

$$r = \frac{V_1}{V_2} = \left(\frac{T_2}{T_1}\right)^{\frac{1}{\gamma-1}} = \left(\frac{673}{303}\right)^{\frac{1}{1.4-1}} = 7.35$$

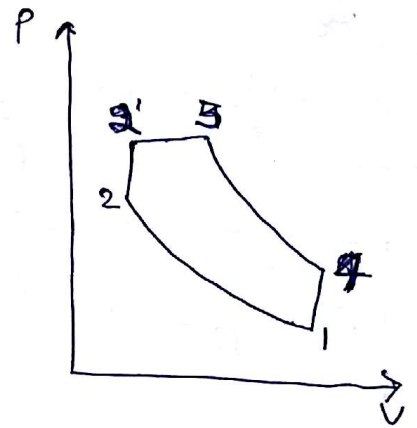
$$P_1 V_1^\gamma = P_2 V_2^\gamma$$

$$\text{Or } \frac{P_2}{P_1} = \left(\frac{V_1}{V_2}\right)^\gamma$$

$$P_2 = P_1 \left(\frac{V_1}{V_2}\right)^\gamma = 1.03 \times 7.35^{1.4} = 16.8 \text{ bar.}$$

$$\text{Also } = \frac{P_2'}{P_2} = \frac{T_2'}{T_2} \text{ as } \Rightarrow P_2' = 16.8 \times \frac{1247.4}{673} = 31.1 \text{ bar} = P_{max.}$$

As  $(V=C)$





Cutoff Ratio  
Explosion Ratio

$$p = \frac{V_3}{V_2} = \frac{T_2}{T_2} = \frac{2273}{1247.4} = 1.83 \quad \text{As } (V=c)$$

$$\text{Explosion Ratio} = \alpha = \frac{P_2'}{P_2} = \frac{31.1}{16.8} = 1.85$$

$$\eta_s = 1 - \left(\frac{1}{\alpha}\right)^{\gamma-1} \frac{\alpha (p^\gamma - 1)}{(\alpha - 1) + \gamma(p-1)\alpha}$$

$$= 1 - \left(\frac{1}{1.85}\right)^{1.4-1} \times \frac{1.85 \times 1.83^{1.4} - 1}{1.4(1.83-1)1.85 + (1.85-1)}$$

$$\eta_s = 0.503\% \quad \text{or} \quad 50.36\%$$

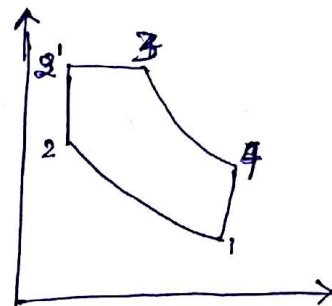
Qm) In a Dual Cycle, Pressure & temperature at the start of Compression are 1 bar at 90°C. The Compression Ratio is 13. The total Heat Added per kg of Air is 1675 KJ. Half of this Heat added takes place at Constant volume.

Take  $\gamma = 1.4$  for Compression. *only for Compression only.*

$$R = 0.287 \text{ KJ/kgK}$$

$$C_v = [0.71 + 20 \times 10^{-5} T (\text{kelvin})] \text{ KJ/kgK}$$

for Product of Combustion.



Determine,

→ Percentage of Working Stroke during Heat addition.

Soln

$$x = \frac{\frac{T_3}{T_2'} - 1}{\gamma - 1} \times 100\% \quad \text{--- (1)}$$

$$H_{AV} = \frac{1675}{2} \text{ KJ/kg}$$

$$P_1 = 1 \text{ bar}$$

$$T_1 = 90^\circ\text{C} = 363 \text{ K}$$

$$P_2 V_2^\gamma = P_1 V_1^\gamma$$

$$P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma$$

$$P_2 = 1 \times 13$$

$$P_2 = 1 \times 13^{1.4} = 36.26 \text{ bar}$$

Process (2)  $P V^\gamma = c$  As adiabatic

$$P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma$$

$$\frac{T_2}{T_1} = \left( \frac{V_1}{V_2} \right)^{\gamma-1}$$

$$T_2 = T_1 \left( \frac{V_1}{V_2} \right)^{\gamma-1}$$

$$T_2 = 363 \times 13^{1.4-1} = 1012.7 \text{ K}$$

$$T_2 = 1012.7 \text{ K}$$

$$C_v(T_2' - T_2) = H A v \quad \text{taking Quasi static Process Here.}$$

$$\Rightarrow \int_2^{2'} C_v dT = \int dH A v$$

$$\Rightarrow \text{or } \int_2^{2'} (0.71 + 20 \times 10^{-5} T) dT = \frac{1675}{2}$$

$$\Rightarrow \int_2^{2'} 0.71 dT + \int_2^{2'} 20 \times 10^{-5} T dT = \frac{1675}{2}$$

$$\Rightarrow 0.71 \int_2^{2'} dT + 20 \times 10^{-5} \int_2^{2'} T dT = \frac{1675}{2}$$

$$\Rightarrow 0.71 (T_2' - T_2) + 10^{-4} ((T_2')^2 - (T_2)^2) = \frac{1675}{2}$$

$$\Rightarrow 0.71 (T_2' - 1012.7) + 10^{-4} (T_2')^2 - 1012.7^2 = \frac{1675}{2}$$

$$\boxed{T_2' = 1853.1 \text{ K}}$$

$$\Rightarrow C_p - C_v = R \quad \text{or } C_p = R + C_v$$

$$\Rightarrow C_p = 0.287 + (0.71 + 20 \times 10^{-5} T)$$

$$\Rightarrow C_p = 0.997 + 20 \times 10^{-5} T \quad \text{Specific heat changes Here}$$

$$\Rightarrow 0.997 [T_3 - T_2'] + 10^{-4} T_3^2 - T_2'^2 = \frac{1675}{2}$$

$$0.997 (T_3 - 1853.1) + 10^{-4} (T_3^2 - 1853.1^2) = \frac{1675}{2}$$

$$\boxed{T_3 = 2440.17 \text{ K}}$$

$$\eta = \frac{2440.17}{1853.1} \times 100\% = 2.64\%$$



# Working Of A Four Stroke Petrol Engine :-

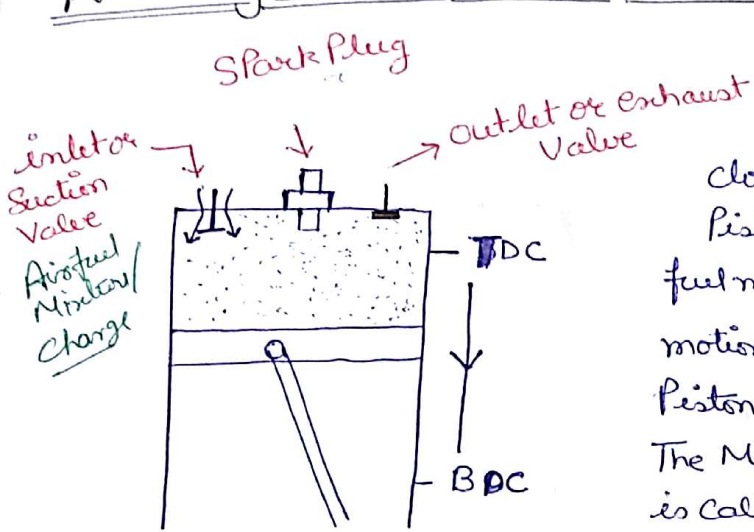


Figure 1 :- Suction Stroke

Piston is at TDC. Inlet valve (i.v) is fully opened and the outlet valve is closed. Energy is supplying from the shaft to the piston and piston goes downwards. Fresh air fuel mixture (AFM) is taken in during the downward motion of the piston. At the end of suction process, the piston is at BDC & cylinder is filled with fresh (AFM). The motion of the piston during suction (TDC to BDC) is called **the Suction Stroke**.

→ At the end of suction stroke, inlet valve closes and the piston begins to move up (due to continuous rotation of the shaft) compression takes place, for the air fuel mixture inside the cylinder until the piston reaches TDC this motion of piston is known as the **Compression Stroke**.

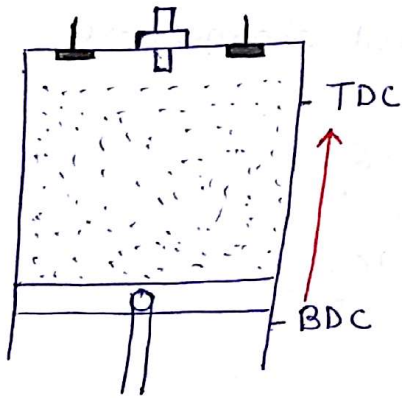
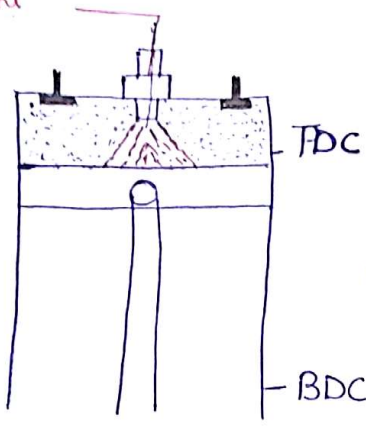


Figure 2 :- Compression Stroke

Current



At the end of the Compression Stroke i.e., when the piston is at TDC, current is supplying to the spark plug & Sparking takes place. The fuel particles in the AFM inside the cylinder gets ignited and Comb<sup>n</sup> takes place at constant volume. In actual practice, piston undergoes change in direction at TDC during heat addition. Both valves remain closed at this instant. The voltage available during Heat Addition is about 1000V.

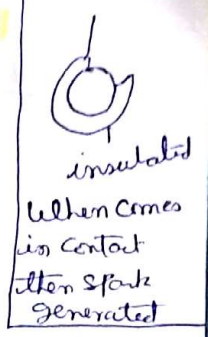
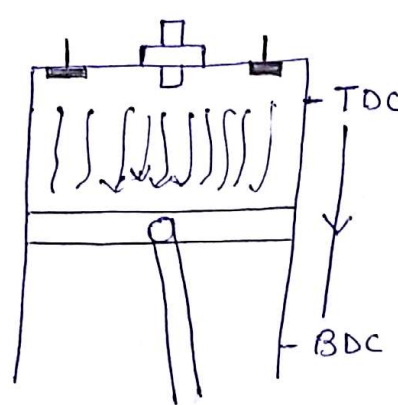


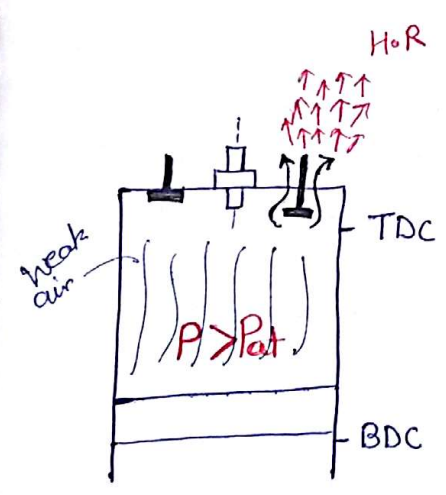
Figure 3:- Heat Added at Constant volume

After, Heat Addition the hot gases expand and pushes the piston down from TDC to BDC. This motion of the piston is known as the expansion/Power stroke.



Both valves remains closed. The Pressure of the charge, inside the cylinder at the end of expansion stroke is above the atmospheric pressure.

Figure 4:- Expansion or Power Stroke



At the end of expansion stroke (piston is at BDC) outlet valve opens. (It is open by another CAM). The expanded gases leaves the cylinder through the exhaust valve and heat rejection takes place at constant volume. In actual practice piston undergoes change in direction at BDC during Heat Rejection.

Figure 5:- Heat Rejection at constant volume.

(Via) (CAM)  
(Here gas have flow energy)  
at this time when changing dir<sup>n</sup> 95% HR<sup>t</sup>



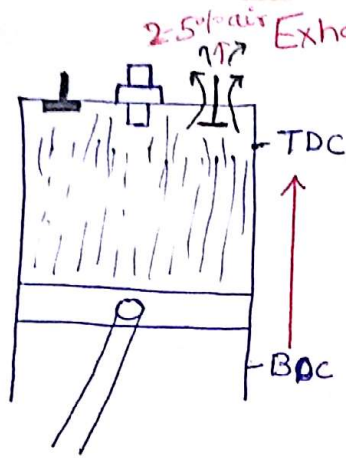


Figure 6: Exhaust Stroke

The inlet valve remains closed throughout the Heat Rejection. After HR, Piston Begins to move up from BDC. The left over gases (about 95% of the expanded gases leaves the cylinder during Heat Rejection), so left over gases - but out off the exhaust valve by the upward motion of the piston. This motion is known as the exhaust stroke & it continues until the piston reaches TDC. At the end of stroke (exhaust), the cylinder will be filled with exhaust gases in the clearance volume.

Valve open but  
No Entry of Air

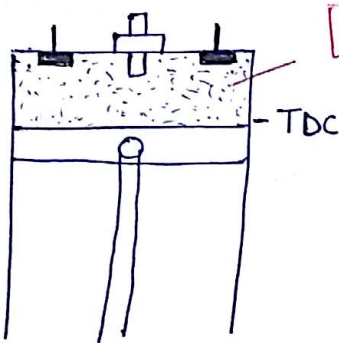


Figure 7:-

Exhaust Gas in clearance vol  
 $P = 1.3 \text{ bar}$

The Pressure of the exhaust gas in clearance volume is about 1.2 - 1.3 bar. The outlet valve closes and the inlet valve opens. Suction stroke begins for the next cycle. but, fresh air fuel mixture does not enter in at the start of this suction stroke. Hence, the exhaust gas in the clearance volume expands to fill the vacuum, created by the downward motion of piston. When the pressure inside cylinder is become equal to atmospheric pressure then the fresh AFM begins to enter in. For the remaining of the suction stroke.

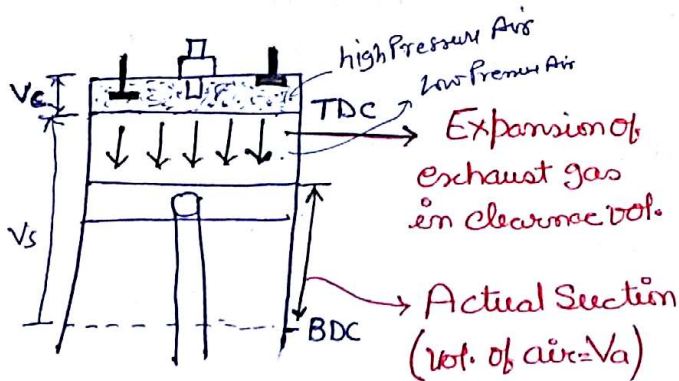


Figure 8:-

$$\eta_v = \frac{V_a}{V_s}$$

When pressure of clearance vol  $P_c = 1.03$  is gas down & become equal to  $P_{atm}$  then pressure at inlet will be  $\uparrow$  than  $\downarrow$  then charge is in.

It may be seen from the figure that, actual volume of air enter in cylinder during the suction stroke is less than the stroke volume (Actual volume =  $V_a$ ).

The Ratio of the actual volume to the stroke volume is defined as volumetric efficiency  $\eta_v$  of engine. and is given by.

$$\eta_v = \frac{V_a}{V_s}$$



# Two Stroke Engine :-

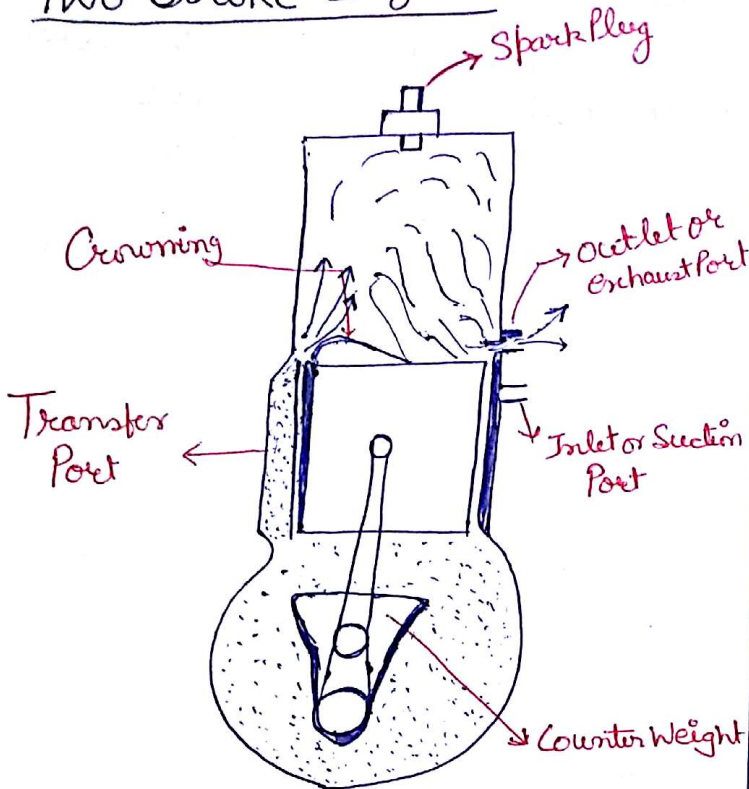


Figure 1

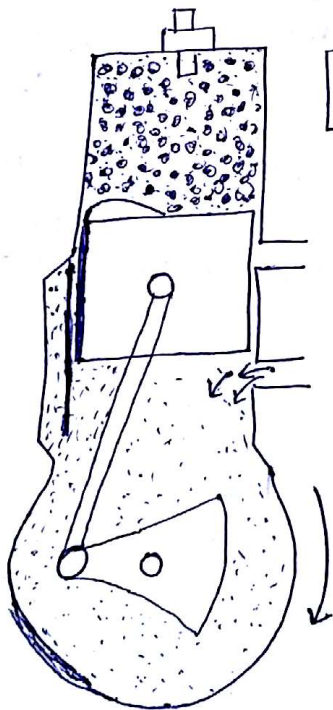


Figure 2

The Piston is at BDC. The Transfer port is open on both sides of the piston.

The Partly Compressed fresh AFM below the piston flows through the Transfer Port and occupies the space above the piston.

It may be seen that both the transfer and exhaust port are open at the same time. Hence some fresh AFM flowing out of a transfer port will also leave the exhaust port. To prevent this loss a crown is introduced at the top of the piston. The fresh AFM entering the space above the piston & flowing in the direction of transfer port will collide with the crown & rise to the top. In the mean time, the fresh AFM above the piston pushes out the left over expanded gases of the previous cycle through the exhaust port. This process of the fresh AFM pushing out the expanded gases is known as Scavenging.

When the piston is at the end of moving up, the space inside the cylinder above the piston is filled with the charge of fresh AFM.

When the piston complete about 30% of upward motion (Compression stroke). The inlet port open to the space below the piston. Further upward motion of the piston, fresh AFM of the next cycle is sucked into the engine's cylinder in the space below the piston. From the carburettor, through the inlet port. This suction continues until the piston reaches (TDC) (end of compression).

Current

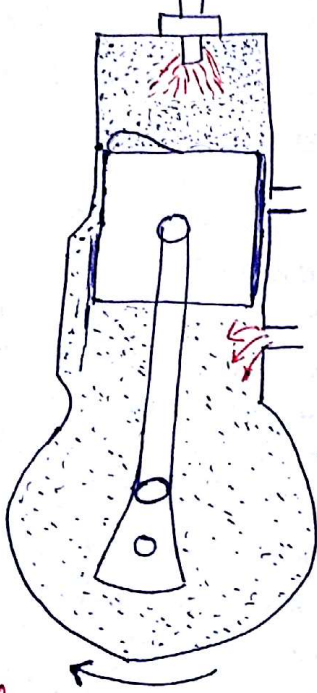


Figure 3

After Compression, Heat addition takes place, at Constant volume (Piston is at TDC). hence, current is supplied to the spark plug at this stage. The voltage available for the spark plug is about 10000 Volts.

After Heat Addition the hot gases push the piston down from TDC & useful power is obtained. When the piston completes about 70% of the power stroke, the inlet port closes, further downward motion of piston will partly compress the fresh A/F of the next cycle, in the space below the piston.

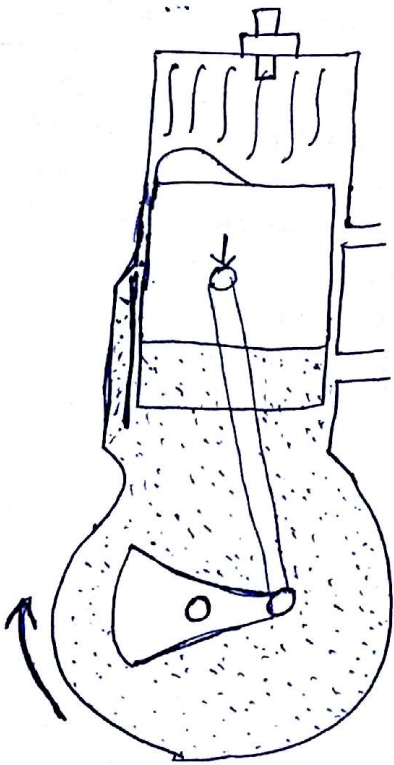


Figure 4



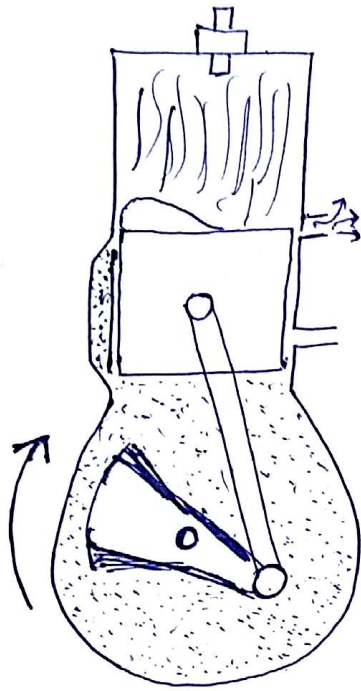


figure 5

When the Piston Completes about 90% of the Power flow, the outlet Port is open to the space above the piston & major portion of the expanded gases leaves the Cylinder out of the exhaust Port during the remaining downward stroke of the Piston.

When the piston Reaches BDC, the operations are repeated in the same manner as expands.



## I.C. Engine Calculations

### 1) Calculations for volumes

a) Two Stroke Engine :- One Cycle — Two Stroke — One Suction

One Cycle — Two Stroke — One Suction — Vol. of air =  $V_s$  — One Rotation

∴ for  $N$  rotations,  $\text{Volume of air taken in} = V_s \times N$  <sup>\*\* imp</sup>

### b) Four Stroke Engine

One Cycle — Four Stroke — 2 rotation over — One Suction Completed Vol of air =  $V_s$   
(Volume of air =  $V_s$ )

∴ Average volume of Air per rotation =  $\frac{V_s}{2}$

for  $N$  rotations

$\text{Volume of Air} = \frac{V_s}{2} \times N = V_s \times \frac{N}{2}$

## 2) Mechanical Efficiency :- $\eta_m$ (Piston efficiency)

Piston input  $\rightarrow$  integrated Workdone

Piston output  $\rightarrow$  Brake Workdone

The Energy input to the Piston is due to the expansion of air. (Pressure & Volume changes). Hence, the Work input to the piston is determined from the pressure volume diagram. The P-V diagram is also known as the indicator diagram. Hence the Work input to the piston is called the indicated Workdone [IWD]

The Workoutput of the piston, is the energy available at the Shaft of the engine and is determined by applying a brake mechanism (Dynamometer) to the Shaft. Hence, the Work output of the piston is known as the Brake Workdone (BWD).

The Ratio of the Brake Workdone to indicated Workdone is defined as the Mechanical efficiency of engine and is given

by;

$$\eta_m = \frac{\text{BWD}}{\text{IWD}} = \frac{\text{Brake Workdone}}{\text{Indicated Workdone}}$$

or

$$\eta_m = \frac{b_{\text{mep}} \times V_s}{i_{\text{mep}} \times V_s}$$

$$\therefore \eta_m = \frac{b_{\text{mep}}}{i_{\text{mep}}}$$

### 3) Calculations For Brake Work Done :-

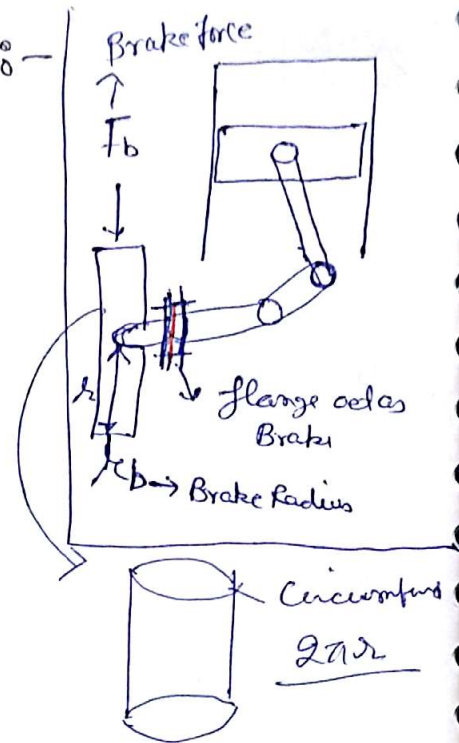
For N Rotations;

$$BWD = F_b \times 2\pi r_b \times N$$

$F_b \rightarrow$  Brake force

$r_b \rightarrow$  Radius of drum

$N \rightarrow$  No. of Rotation



### 4) Power :- (P)

$$P = \frac{W.D}{\text{time}}$$

Or

$$P = \frac{W.D}{\text{Sec}}$$

Power in Watts

$$1 \text{ Watt} = \frac{\text{Joule}}{\text{Sec}}$$

$$\text{Indicated Power} = \frac{\text{Indicated Workdone}}{\text{Sec}}$$

$$B.P = \frac{BWD}{\text{Sec}}$$



## 5) Heat Added and Thermal Efficiency :-

$$\frac{\text{Heat Added}}{\text{Kg fuel}} = \text{Calorific Value}$$

$$\text{Heat Added/Sec} = \text{Calorific value} \times m_f/\text{sec}$$

Or

$$\frac{HA}{\text{Sec}} = \frac{HA}{\text{Kg fuel}} \times m_f/\text{Sec}$$

$$m_f \rightarrow \text{mass of fuel}$$

$$\eta_{Th} = \frac{W.D}{HA}$$

$$\eta_{IT} = \frac{I.W.D}{HA}$$

$$\eta_{BT} = \frac{B.W.D}{HA}$$

## 6) Specific fuel Consumption (Sfc) :-

$$Sfc = \frac{m_f \text{ (Kg/hr)}}{\text{Power (Kw)}}$$

when Power  $\rightarrow$  Brake Power

$$bsfc = \frac{m_f \text{ (Kg/hr)}}{\text{B. Power Kw}}$$

when Power  $\rightarrow$  Indicated Power

$$Isfc = \frac{m_f \text{ (Kg/hr)}}{\text{I. Power}}$$

$$\text{Average Piston Speed} \approx 2LN \quad \text{Imp}$$

Qn 14 Fuel Consumption of a Diesel engine is  $10 \text{ gm/sec}$ , when the power output is  $160 \text{ kW}$ . If the mechanical efficiency is  $75\%$ , then the indicated specific fuel consumption is \_\_\_\_\_  $\text{kg/kwh}$ .

Soln  $m_f/\text{sec} = 10 \text{ gm}$

Brake Power =  $160 \text{ kW}$

$\eta_m = 0.75$  or  $75\%$

$i_sfc = ?$

$$bsfc = \frac{m_f/\text{hr}}{B. \text{Power}} = \frac{10 \times 3600}{160} = \frac{9}{40} \text{ kg/kwhr}$$

$$\eta_m = \frac{B. \text{Power}}{I. \text{Power}} = \frac{B. \text{Power}/m_f/\text{hr}}{I. \text{Power}/m_f/\text{hr}} = \frac{1}{bsfc} = \frac{i_sfc}{bsfc}$$

$$i_sfc = \frac{9}{40} \times 0.75 \frac{\text{kg}}{\text{kwhr}} = 0.1675 \text{ kg/kwhr}$$

$$i_sfc = 0.1675 \text{ kg/kwhr}$$

Qn 15) A Car engine operates at a fuel-air ratio of 0.05, volumetric efficiency of 90% & indicated mean effective pressure is 6 bar. If the calorific value of fuel is 45000 kJ/kg & density of air at intake is 1 kg/m<sup>3</sup>, then the indicated thermal efficiency of the cycle is \_\_\_\_\_ %.

Soln)  $\frac{m_f}{m_a} = 0.05$        $\eta_{vol} = 0.9$        $i_{meP} = 6 \text{ bar}$

$\frac{HA}{kg \text{ fuel}} = 45000 \text{ kJ}$        $\rho_a = 1 \text{ kg/m}^3$        $\eta_{IT} = ?$

for 1 kg of fuel,  $m_a = \frac{1}{0.05} \text{ kg} = 20 \text{ kg}$

$\therefore \frac{m_a}{V_a} = \rho_a \Rightarrow V_a = \frac{m_a}{\rho_a} = \frac{20}{1} \text{ m}^3 / \text{kg fuel}$

$\eta_{vol} = \frac{V_a}{V_s} \Rightarrow V_s = \frac{V_a}{\eta_{vol}} = \frac{20}{0.9} \text{ m}^3 / \text{kg fuel}$

$IWD / \text{kg fuel} = i_{meP} \times V_s / \text{kg fuel} = (6 \times 10^5) \frac{20}{0.9} \cdot J \Rightarrow \frac{12000}{0.9} \text{ kJ}$

$\eta_{IT} = \frac{IWD / \text{kg fuel}}{HA / \text{kg fuel}} = \frac{12000}{0.9 \times 45000} = 0.292$  i.e equal to ~~29.2~~ 29.2%.

Qn 16) A 4 cylinder two stroke petrol engine has a mean effective fuel pressure of 10 bar & the mechanical efficiency of 75%. The size of cylinder is 10 cm in diameter and 15 cm stroke. The speed is 2500 RPM. Determine the Brake Power of the engine & its Brake specific fuel Consumption  $\eta_{BT} = 30\%$ ,  $CV = 42000 \text{ kJ/kg}$ .

Soln) 4 cylinder, 2 Stroke

$m_{eP} = 10 \text{ bar}$

$\eta_m = 0.75$

$d = 10.0 \text{ cm} = 0.1 \text{ m}$

$L = 15.0 \text{ cm} = 0.15 \text{ m}$

$N = 2500 \text{ RPM}$

B. Power = ?

bstc = ?

$\eta_{BT} = 0.3$

$HA / \text{kg fuel} = 42000 \text{ kJ/kg}$



$$\frac{b_{meP}}{i_{meP}} = \eta_m$$

$$\Rightarrow b_{meP} = \eta_m \times i_{meP}$$

$$b_{meP} = 0.75 \times 10 \text{ bar}$$

$$\boxed{b_{meP} = 7.5 \text{ bar}}$$

$$V_s = \left( \frac{\pi}{4} d^2 \times L \right) 4 \times \frac{N}{60}$$

(As air comes in 4 cylinder at same time)

$$V_s = 4 \times \frac{\pi}{4} \times 0.1^2 \times 0.15 \times \frac{2500}{60} \text{ m}^3/\text{sec} = 0.196 \text{ m}^3/\text{sec} \quad \boxed{V_s = 0.196 \text{ m}^3/\text{s}}$$

$$\text{Brake Power} = \frac{\text{BWP}}{\text{sec}} = b_{meP} \times \frac{V_s}{\text{sec}} = (7.5 \times 10^5) \times \frac{0.196}{1000} = 147.26 \text{ kW}$$

$$\boxed{\text{Brake power} = 147.26 \text{ kW}}$$

$$\eta_{BT} = \frac{\text{BWP}/\text{sec} \text{ or } \text{HA}/\text{sec}}{\text{HA}/\text{sec}} = \frac{147.26 \text{ kJ or HA/kJ fuel} \times \text{m}^3/\text{sec} = \text{HA}/\text{sec}}{0.3} = \frac{147.16}{0.3 \text{ kJ}}$$

$$b_{stc} = \frac{\text{mg/hr}}{\text{B. Power}} = \frac{147.26 \times 3600}{0.3 \times 42000 \times 147.26} \text{ kg/kwhr}$$

$$\boxed{b_{stc} = 0.2857 \text{ kg/kwhr}}$$

(Q.17)

## Difference between Two Stroke & Four Stroke Petrol Engine :-

Two Stroke engine



1) One Cycle - One Rotation

Four stroke Engine



One Cycle - Two Rotations

- 2) The valves of 4 stroke engine are replaced by 3 different ports of a 2 stroke engine
- 3) In two stroke engine, the lubricating oil is mixed with the fuel. In four stroke engine, the lubricating oil is taken in separate
- 4) The flywheel of a four stroke engine is bigger in size, than a two stroke engine for single cylinder engines
- 5) The size of a two stroke engine is bigger than that of a four stroke engine. Hence, the radiation losses are more in two stroke engines. The thermal efficiency of two stroke engine is thus lesser.
- 6) In two stroke engines the lubricating oil will flow along with the fuel, hence, small quantity of lubricating oil undergoes combustion and thus, gets burnt. Hence, for the piston motion after heat addition, the heat losses are more due to friction. Hence, the work output of two stroke engine is less than that of four stroke engine.
- 7) The size of the flywheel is much bigger for a four stroke engine than that of two stroke engine.
- 8) In two stroke engines, the transfer port and exhaust port are open at the same time. Hence, some fresh AFM escapes out of the exhaust port without undergoing any combustion. Due to this reason, the mileage of two stroke engine is much less than that of a four stroke engine

9) The Actual Power output of a two stroke engine is about 70% of the Ideal Power, whereas, for four stroke engines, it is around 90%.

10) Due to the above reasons the overall efficiency of the two stroke engine is much less than that of four stroke engine.

Due to this reason the two stroke engines are being replaced by four stroke engines.



## Difference between a petrol engine & Diesel Engine :-

- 1) In a Diesel Engine, the Air and the fuel do not mix before to the entry in engine cylinder. Thus diesel engines do not have a Carburettor.
- 2) For diesel engines, self ignition temperature is reached at the end of Compression, which is good enough for igniting the fuel. Hence, diesel engine do not have a spark plug.
- 3) For the separate entry of fuel, After the Compression stroke, a Nozzle is provided for diesel engines (Nozzles are also known as injectors). Petrol engines do not have the nozzles.
- 4) For the Same Compression Ratio, the efficiency of Petrol engine is higher than that of a diesel engine. But this is theoretical.
- 5) In Practice, the Compression Ratio of a diesel engine is 1.5-3 times more than that of a Petrol engine. Hence, efficiency of a diesel engine is only higher.
- 6) For diesel Engines, Compression ratio  $\rightarrow$  14-16  
for Petrol engines Compression ratio  $\rightarrow$  6-10
- 7) In the Case of Petrol Engine, ICA takes place at Constant vol. and at constant pressure for diesel engines.
- 8) At cruising (economy) speed (30-60) AFR for petrol engine is 16. & for diesel engine is b/w 25-35.

Q.2) The following Data refers to Single Cylinder 4 stroke diesel Engine.

Brake power = 73.5 kW, the speed is 4000 rpm.

Brake mean effective pressure is 8.5 bar.

Mechanical efficiency is 80%.

Brake specific fuel Consumption is 0.36 kg/kWh

Calorific value of fuel is 42260 kJ

Determine the ~~stroke~~ bore of the engine.

When it is equal to the stroke.

Also find the Brake thermal efficiency & Indicated mean effective pressure.

Sol.)  $BP = 73.5 \text{ kW}$

$$N = 4000 \text{ rpm}$$

$$b_{mep} = 8.5 \text{ bar}$$

$$\eta_m = 0.8$$

$$B_{sfc} = 0.36 \text{ kg/kWh}$$

$\frac{HA}{\text{kg fuel}}$   $CV = 42260 \text{ kJ}$

$$L = d = ?$$

$$\eta_{BT} = \eta_{mep} = ?$$

$$BWD/\text{sec} = b_{mep} \times V_s/\text{sec}$$

$$V_s = \frac{73.5 \times 1000}{8.5 \times 10^5} \text{ m}^3/\text{sec} = 0.0864 \text{ m}^3/\text{sec}.$$

$$\text{or } \frac{\pi}{4} d^2 \times L \times \frac{N}{60 \times 2} = 0.0864 \text{ m}^3/\text{sec}.$$

$$\Rightarrow \frac{\pi}{4} d^2 \times d \times 400 = 0.0864 \text{ m}^3/\text{sec}$$

$$d = 0.321 \text{ m} = 32.1 \text{ cm} = 4$$

$$HA/\text{sec} = HA/\text{kg fuel} \times M_f/\text{sec} = 43260 \times M_f/\text{sec} \quad \text{--- (a)}$$

$$b_{\text{stc}} = \frac{M_e/\text{hr}}{B.P}$$

$$M_f = 0.36 \times 73.5 \text{ kg/hr}$$

$$M_f = 26.46 \text{ kg/hr}$$

$$HA/\text{sec} = 43260 \times \frac{26.46}{3600} = 317.9 \text{ KJ}$$

$$HA/\text{sec} = 317.9 \text{ KJ}$$

$$\eta_{\text{BT}} = \frac{BWD/\text{sec}}{HA/\text{sec}} = \frac{73.5}{317.9} = 0.2311 \text{ or}$$

$$\eta_{\text{BT}} = 23.11\%$$

$$\frac{b_{\text{mep}}}{i_{\text{mep}}} = \eta_m \text{ or } i_{\text{mep}} = \frac{8.5}{0.8} \text{ bar} = 10.625 \text{ bar}$$

$$i_{\text{mep}} = 10.625 \text{ bar}$$



Qn) The following Data are known for 4 cylinder 4 stroke Petrol engine. Cylinder dimensions are; 11 cm bore, 13 cm Stroke. The engine speed is 2250 rpm. The brake power is 50 kW. frictional Power is 15 kW. The mass of fuel Consumed is 10.5 kg/hr. The calorific value of the fuel is 50000 kJ/kg. Air Inhalation is 300 kg/hr. Ambient Conditions are 15°C and 1.03 bar.

Determine bmep,  $\eta_{vol}$ , Thermal efficiency &  $\eta_m$  of the engine?

Soln

4 Cylinder

4 Stroke

$$d = 11 \text{ cm} = 0.11 \text{ m}$$

$$L = 13 \text{ cm} = 0.13 \text{ m}$$

$$N = 2250 \text{ rpm}$$

$$B.P = 50 \text{ kW} = \text{BWD/sec}$$

$$F.P = 15 \text{ kW}$$

$$m_f = 10.5 \text{ kg/hr}$$

$$H.A/\text{kg fuel} = 50000 \text{ kJ}$$

$$m_a = 300 \text{ kg/hr}$$

$$\text{Ambient temp} = T_1 = 15^\circ\text{C} = 288 \text{ K}$$

$$P_1 = 1.03 \text{ bar}$$

$$V_s = \frac{\pi}{4} d^2 \times L \times \frac{N}{2 \times 60} \times 4$$

$$= 4 \times \frac{\pi}{4} \times 0.11^2 \times 0.13 \times \frac{2250}{2 \times 60} \text{ m}^3/\text{sec} = 0.0927 \text{ m}^3/\text{sec}$$

$$V_s = 0.0927 \text{ m}^3/\text{sec}$$

$$b_{mep} = \frac{\text{BWD/sec}}{V_s/\text{sec}} = \frac{50 \times 1000 \text{ N/m}^2}{0.0927} = \frac{50 \times 1000}{0.0927 \times 10^5} \text{ bar} = 5.4 \text{ bar}$$

$$b_{mep} = 5.4 \text{ bar}$$

$$b_{mep} = ?$$

$$\eta_{vol} = ?$$

$$\eta_{BT} = ?$$

$$\eta_m = ?$$

(Inhalation provided above in Question to find Actual volume)

$$P_1 V_a = m_a R_a T$$

$$V_a = \frac{m_a \times R_a \times T}{P_1} = \frac{300}{3600} \times \frac{287 \times 288}{1.03 \times 10^5} \text{ m}^3/\text{sec}$$

$$V_a = 0.66 \text{ m}^3/\text{sec}$$

$$\eta_{\text{vol}} = \frac{V_a}{V_s} = \frac{0.66}{0.927} = 0.723 \text{ or } 72.3\%$$

$$\eta_{\text{vol}} = 0.723 \text{ or } 72.3\%$$

$$\text{I. Power} = \text{B. Power} + \text{F. Power} = (50 + 15) \text{ kW} = 65 \text{ kW}$$

$$\text{I. Power} = 65 \text{ kW}$$

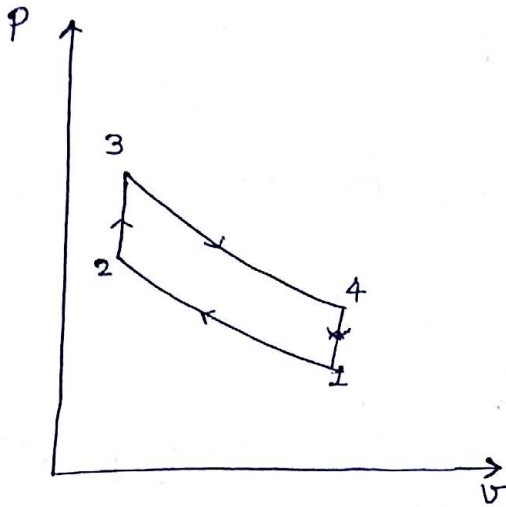
B.P & F.P are both  
Kind of Loss

$$\eta_m = \frac{\text{B. Power}}{\text{I. Power}} = \frac{50}{65} = 0.7692 \text{ or } 76.92\%$$

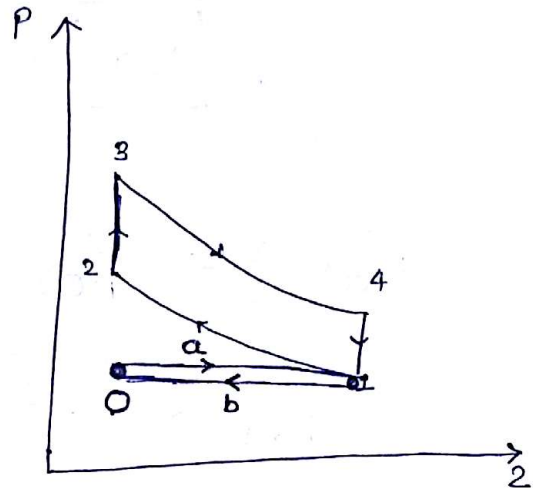
$$\eta_m = 0.7692 \text{ or } 76.92\%$$

Imp. topic

# Difference between the Theoretical and Actual Four Stroke Petrol Engine:-



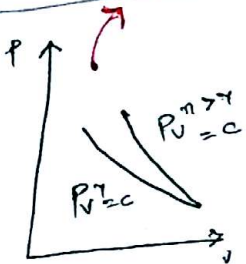
Otto Cycle



0-a-1 :- Suction } At Const. atmospheric Pressure  
 1-b-0 :- Exhaust }

Theoretical P-v diagram

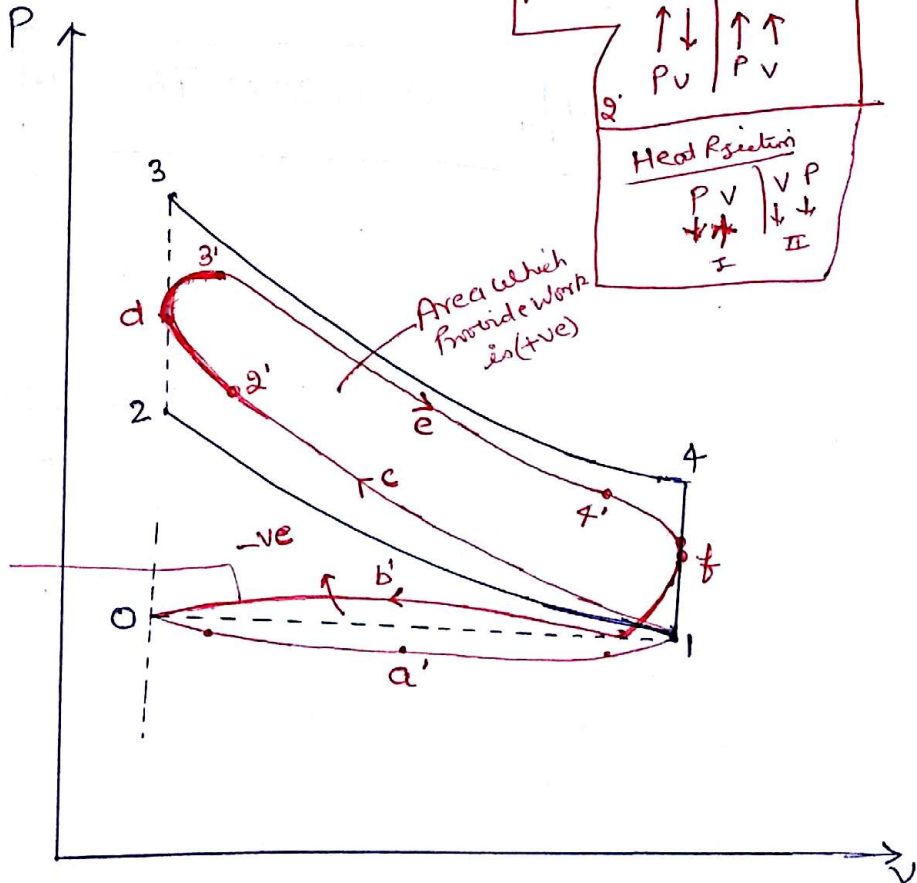
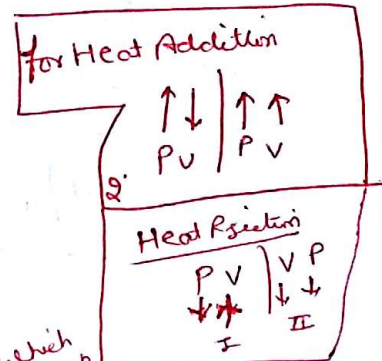
Important  
 When Pressure & Volume ↑ both  
 Value of Polytropic Index can be (-ve)  
 and it can be  $-\infty$  to  $+\infty$



diagonal factor =  $\frac{A_{net}}{Ideal Area}$

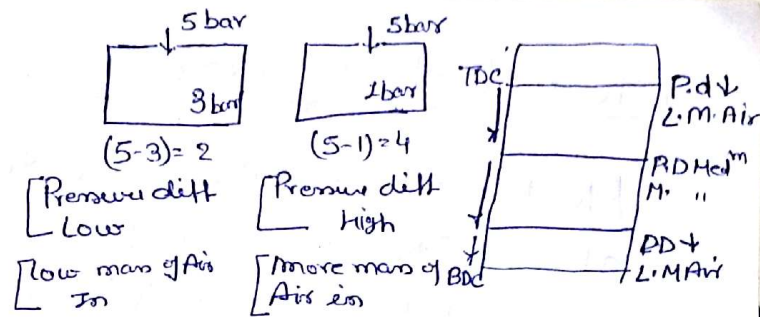
Pumping loss

Actual dia is not fixed  
 so we have average mean Area  
 $(A = h_m \times l)$   
 $\rightarrow h_m = \frac{A}{l}$   
 Mean height



Actual diagram





## Actual Suction:

Air at atmospheric pressure, flow from the Carburettor to engine cylinder (high pressure → low pressure). Hence suction pressure will be below atmospheric pressure. The piston speed is less at the start of suction stroke. Hence, this less air will be sucked in at the beginning. Thus, the difference b/w Atmospheric pressure & suction pressure will also be less. Later, as the piston picks up speed (during the middle of suction stroke), more mass of air will enter. The pressure difference will also be known. Finally the speed decreases and the piston comes to rest at BDC.

Hence, less air will enter & pressure difference will also be less. The actual suction process is therefore given by,  $0-a'-1$ .

## Actual Compression:

Due to heat carried away by cool water, the actual compression process is polytropic & work of compression is higher (Area is more). It means that the slope of the actual compression process will be more than that of adiabatic compression. Hence, the index of compression

$(n > \gamma)$ .

Actual compression process is given by  $1-c-2'$

## Actual Heat Addition :-

Heat Addition takes place during a changing dir<sup>n</sup> of of Piston at TDC. The volume of charge first  $\downarrow$  then  $\uparrow$ . The pressure  $\uparrow$  throughout the heat addition. The Heat addition process is given by  $2'-3-d'$ .

## Actual Expansion :-

Due to Heat carried away by Cool Water, the actual Polytropic expansion process will have lesser work output (Area is less). The expansion process is shown by  $3'-e-4'$ .

## Actual Heat Rejection :-

During Heat Rejection, the piston undergoes change in dir<sup>n</sup> at BDC. The volume of gases first  $\uparrow$  and then  $\downarrow$ . The pressure  $\downarrow$  throughout the heat Rejection. The Heat Rejection process is given by the curve  $4'-f-1'$ .

## Actual Exhaust :-

The left over Gases after Heat Rejection is pushed by the next upward motion of the Piston out of the Cylinder through the exhaust valve (high pressure to lesser pressure). Thus, the exhaust pressure will be above atmospheric pressure. Depending on the piston speed, the exhaust process is given by  $1'-b'-0$ .

It may be seen that the <sup>in</sup> ~~area~~ actual diagram area is of dia gram by Combined section & exhaust process ( $0-a'-1'-1'-b'-0$ ) and is known as Pumping loss of the engine.

This area is treated as (-ve). The area formed by the other operations is taken +ve and the net area is determined.



→ The Ratio of the net area to the area of a ideal diagram is known as diagram factor of the engine. And is given by

Diagram factor;

$$df = \frac{\text{Actual Indicated Workdone}}{\text{Ideal Indicated Workdone}}$$

The mean height of the diagram is given by

mean height;—

$$h_m = \frac{\text{Area of the Diagram}}{\text{Length of diagram}}$$

$$\& \quad I_{meP} = h_m \times (\text{Spring Scale})$$



Q17) Following observation were taken during trial of single cylinder 4-T oil engine running at full load positive area is  $6.5 \text{ cm}^2$ , the area of negative diagram is  $0.5 \text{ cm}^2$ . Length of diagram is  $4 \text{ cm}$ . The spring stiffness is  $10 \text{ bar/cm}$  speed is  $400 \text{ RPM}$ . The net brake load is  $35 \text{ kg}$ . Diameter of brake drum is  $120 \text{ cm}$ . The mass of fuel per hour is  $3 \text{ kg}$ . The calorific value of fuel is  $42000 \text{ kJ}$ . The bore of the engine is  $16 \text{ cm}$  and stroke is  $20 \text{ cm}$ . Calculate IP, BP,  $\eta_m$  &  $\eta_{bth}$ .

Soln)  $h_m = \frac{6.5 - 0.5}{4} \text{ cm} = 1.5 \text{ cm}$

$i_{mep} = h_m \times (\text{Spring Stiffness})$   
 $= 1.5 \times 10 \text{ bar} = 15 \text{ bar}$

$N = 400 \text{ RPM}$

$F_b = 35 \text{ kg} = 35 \times 9.8 \text{ N}$

$D_b = 120 \text{ cm} = 1.2 \text{ m}$

$r_b = 0.6 \text{ m}$

$m_f = 3 \text{ kg/hr}$      $HA / \text{kg fuel} = 42000 \text{ kJ}$

$L = 20 \text{ cm} = 0.2 \text{ m}$

$d = 16 \text{ cm} = 0.16 \text{ m}$

IP = ?       $\eta_m = ?$

BP = ?       $\eta_{bth} = ?$

$V_s = \frac{\pi d^2 L}{4} \times \frac{N}{2 \times 60}$

$V_s = \frac{\pi}{4} \times 0.16^2 \times 0.2 \times \frac{400}{2 \times 60} \text{ m}^3/\text{sec}$

$V_s = 0.0134 \text{ m}^3/\text{sec}$

IP = IWD/sec =  $i_{mep} \times V_s$

$= \frac{(15 \times 10^5) \times 0.0134}{1000} \text{ kW}$

$IP = 20.1 \text{ kW}$

BP = BWD/sec =  $F_b \times \frac{2\pi r_b}{1000} \times \frac{N}{60} = \frac{35 \times 9.8 (2\pi \times 0.16) \times 400}{60 \times 1000} \text{ kW}$

$BP = 8.6 \text{ kW}$

$$\eta_m = \frac{B.P}{I.P} = \frac{8.6}{20.1} = 0.49 \text{ or } 49.9\%$$

$$\eta_m = 0.49 \text{ or } 49.9\%$$

$$HA/sec = HA/197 \text{ fuel} \times \text{mf/sec} = 42000 \times \frac{3}{360} \text{ KJ} = 35 \text{ KJ}$$

$$HA = 35 \text{ KJ}$$

$$\eta_{BT} = \frac{BWD/sec}{HA/sec} = \frac{8.6}{35} = 0.246 \text{ or } 24.6\%$$

$$\eta_{BT} = 0.246 \text{ or } 24.6\%$$

Q.7) A 6 Cylinder 4-T SI engine of 10x12 cm (bore/stroke) is tested at 4800 rpm on a dynamometer arm (Brake Radius) of 55 cm. During a 10 minute test, the dynamometer reaches 45 kg & engine consumed 5 kg of petrol. The calorific value is 45 MJ. The carburettor receives the air at 29°C & at one bar (1 bar) at 10 kg/min then, calculate;

- 1) BP
- 2) Bmep
- 3) Bstc
- 4) BSAC → Brake Specific Air Consumption
- 5) ~~Br~~  $\eta_{bth}$
- 6) Air/Fuel Ratio
- 7) Volumetric efficiency

Soln) 10x12 (bore/stroke)

$$N = 4800 \text{ rpm}$$

$$r_b = 55 \text{ cm} = 0.55 \text{ m}$$

$$F_b = 45 \text{ kg} = (45 \times 9.8) \text{ N}$$

$$m_f = \frac{5}{10} \text{ kg/min}$$

$$H_A / \text{kg fuel} = 45 \text{ MJ} = 45000 \text{ kJ}$$

$$T_1 = 29^\circ\text{C} = 302 \text{ K}$$

$$P_1 = 1 \text{ bar} \quad m_a = 10 \text{ kg/min}$$

$$B.P = ? \quad b_{mep} = ? \quad BSAC = ? \quad BSAC = ? \quad \eta_{bth} = ? \quad AFR = ? \quad \eta_v = ?$$

$$B.P = F_b \times \frac{2\pi r_b}{1000} \times \frac{N}{60} = \frac{(45 \times 2\pi \times 0.55)}{1000 \times 60} \times 4800 \text{ kW} = 121.9 \text{ kW}$$

$$\boxed{B.P = 121.9 \text{ kW}}$$

$$V_s = 6 \left( \frac{\pi}{4} d^2 \times L \times \frac{N}{2 \times 60} \right) = 6 \times \frac{\pi}{4} \times 0.1^2 \times 0.12 \times \frac{4800}{2 \times 60} \text{ m}^3/\text{sec} = 0.226 \text{ m}^3/\text{sec}$$

$$\boxed{V_s = 0.226 \text{ m}^3/\text{sec}}$$

$$b_{mep} = \frac{BWD/\text{sec}}{V_s/\text{sec}} = \frac{121.9 \times 1000}{0.226 \times 10^5} = 5.4 \text{ bar}$$

$$\boxed{b_{mep} = 5.4 \text{ bar}}$$



$$b_{stc} = \frac{m_f/hr}{B.P} = \frac{5/10 \times 60}{121.9} = 0.246 \text{ Kg/kwhr}$$

$$\boxed{B_{stc} = 0.246 \text{ Kg/kwhr}}$$

$$b_{sac} = \frac{m_a/hr}{B.P} = \frac{10 \times 60}{121.9} \frac{\text{Kg}}{\text{kwhr}} = 4.92 \text{ Kg/kwhr}$$

$$\boxed{b_{sac} = 4.92 \text{ Kg/kwhr}}$$

$$HA_{sec} = HA/\text{kg fuel} \times m_f/\text{sec} = 45000 \times \frac{5}{60 \times 10} \text{ KJ} = 375 \text{ KJ}$$

$$\boxed{HA_{sec} = 375 \text{ KJ}}$$

$$\eta_{BT} = \frac{BWD_{sec}}{HA_{sec}} = \frac{121.9}{375} = 0.325 \text{ or } 32.5\%$$

$$\boxed{\eta_{BT} = 0.325 \text{ or } 32.5\%}$$

$$AFR = \frac{m_a}{m_f} = \frac{10}{5/10} = 20$$

$$\boxed{AFR = 20}$$

$$P_i V_i = m_a R_a T_i \text{ or } V_a = \frac{m_a R_a T_i}{P_i} = \frac{10}{60} \times \frac{287 \times 302}{1 \times 10^5} \frac{\text{m}^3}{\text{sec}}$$
$$= 0.144 \frac{\text{m}^3}{\text{sec}}$$

$$\eta_{vol} = \frac{V_a}{V_s} = \frac{0.144}{0.226} = 0.637 \text{ or } 63.7\%$$

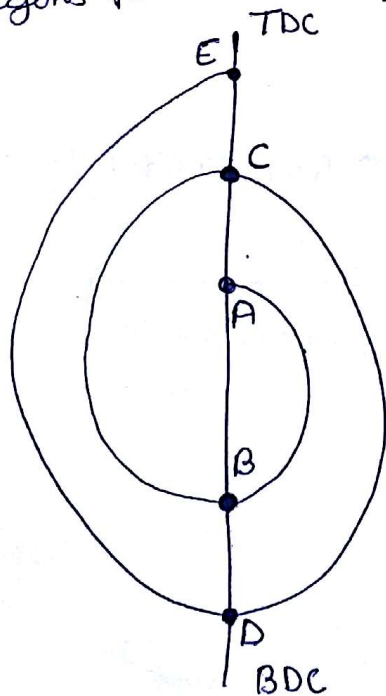
$$\boxed{\eta_{vol} = 0.637 \text{ or } 63.7\%}$$

Very important

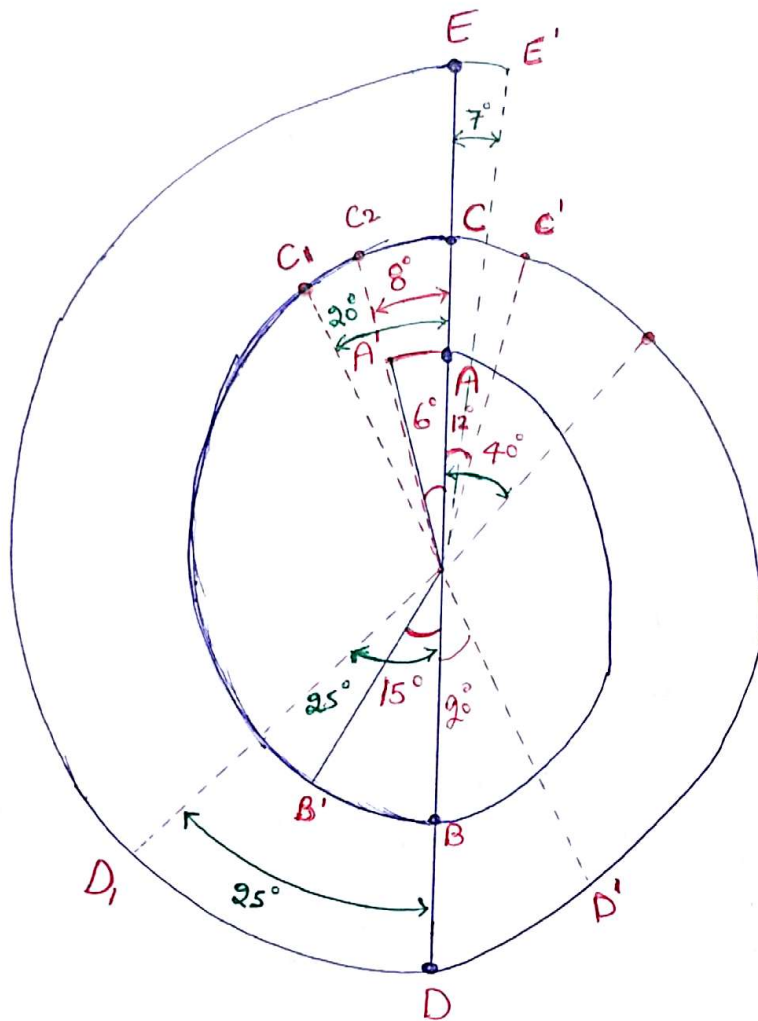
## Difference b/w Theoretical and Actual valve timing of

### Four stroke Petrol Engine :-

- At (A), end of exhaust stroke and beginning of Suction stroke, Piston is at TDC. Inlet valve is fully open.
- (A-B) Rotation of Shaft during Suction stroke Inlet valve Remains fully open.
- At (B), end of Suction stroke, piston is at BDC, Compression stroke begins, inlet valve fully closed.
- (B-C), Rotation of Shaft during Compression stroke, both Valves remains closed.
- At (C), End of Compression stroke, piston is at TDC. Heat Addition begins and also gets over.
- (C-D), Rotation of Shaft during expansion stroke both Valves remain closed.
- At (D), end of of expansion stroke, Piston is at BDC, Exhaust valve is fully opened. Heat Rejection begins & also gets over.
- (D-E), rotation of shaft during exhaust stroke. exhaust valve remains fully opened. ~~A/E~~
- At E, end of exhaust stroke, exhaust valve fully closed. Suction stroke begins for the next cycle.



Theoretical Diagram



At A' -  $6^\circ$  Remains for end of the exhaust stroke of the Previous Cycle.  
Inlet Valve begins to open.

→ At A - End of exhaust stroke, then beginning of suction stroke  
inlet valve is fully opened.

→ At B - End of suction stroke, piston is at BDC, beginning of Compression  
Stroke, inlet valve begins to close.

→ At B' -  $15^\circ$  of rotation is completed, from the start of Compression stroke.  
Suction valve is fully closed.

→ At C1 →  $20^\circ$  remain for end of Compression stroke, sparking  
begins.

→ At C2 -  $8^\circ$  Remain for end of Compression stroke. Ignition begins.



→ At C - end of Compression stroke, beginning of expansion stroke  
piston is at TDC.

→ At C' -  $12^\circ$  of rotation is over from the start of the expansion stroke.  
Sparkling stops. Both Sparking & ignition takes place from C<sub>2</sub> to C'.

Only ignition exists beyond this point.

→ At C'' - Ignition stops for  $4^\circ$  of rotation is completed from the  
start of the expansion stroke.  
Only expansion takes place beyond this point.

→ At D' -  $20^\circ$  Remains for end of expansion stroke. ~~Ex~~ Exhaust valve  
begins to open. Both valves remains closed from B'-D'  
Heat Rejection Begins at D'.

→ At D - End of expansion stroke, Piston is at BDC.  
Exhaust valve is fully opened, Heat Rejection Continues.

→ At D<sub>1</sub> -  $25^\circ$  of Rotation is Completed After the end of expansion  
stroke. Heat Rejection gets over. Exhaust process begins.  
Exhaust Continues beyond this point.

→ At E - End of exhaust stroke. Rotation begins for the suction  
stroke of next cycle. Exhaust valve begins to close.

→ At E' -  $7^\circ$  of Rotation is Completed for the next cycle.  
Exhaust valve is fully closed.

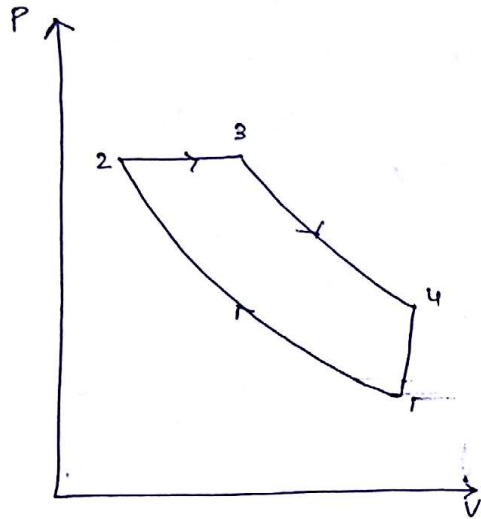
2016  
It may be seen, from the end of exhaust stroke to the beginning  
of the suction stroke, both valves (either partly or fully) remain  
open at the same time and is known as valve overlap of the engine.

This valve overlap, should be for as small an angle, as possible.

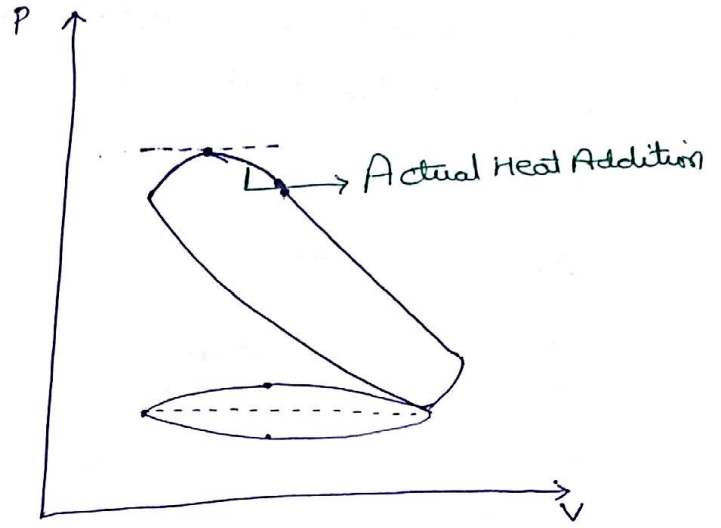
Reason

Otherwise more Amount of fuel in the fresh Air fuel Mixture, entering in through inlet valve will escape out the exhaust Valve.

### → Actual P-v Diagram for Diesel Engine :-



Theoretical P-v  
Diesel



Actual P-v  
Diesel



Qm) Volume Ratio for expansion & Compression for a diesel engine 15.3 & 7.5 respectively. The pressure and temp. at the beginning of Comp<sup>m</sup> 1 bar and 21°C. Determine the mep, then ratio of maximum pressure to mean effective pressure & cycle efficiency. Also find fuel consumption per kW/hr if the Indicated thermal efficiency is 50% of Air standard efficiency.  $\eta_m$  of the engine is 80%. Calorific of the fuel is 42000 kJ/kg

~~Qm~~

Soln)

$$r_c = 15.3 = \frac{V_1}{V_2}$$

$$\frac{r_c}{e} = 7.5 = \frac{V_4}{V_3} \quad \text{Expansion Ratio}$$

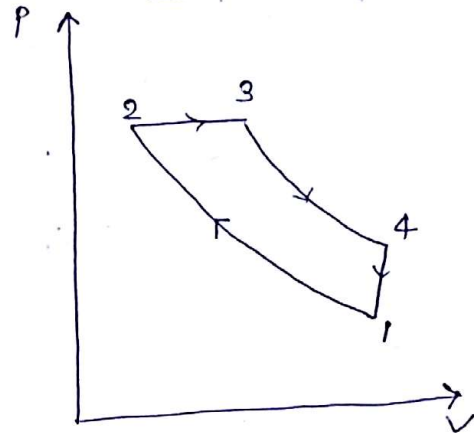
bcz  $\frac{V_3}{V_2} = e$

$$e = \frac{r_c}{7.5} = \frac{15.3}{7.5} = 2.04 \quad r_c = \frac{V_1}{V_2}$$

$$P_1 = 1 \text{ bar}$$

$$T_1 = 27^\circ\text{C} = 300 \text{ K}$$

Diesel Cycle



Standard  $\rightarrow$  Ideal

mep = ?

$$\frac{P_{max}}{P_{mean}} = ?$$

$$\eta_p = ? \quad \text{bsfc} = ? \quad \eta_{IT} = 0.5 \eta_p$$

$$\eta_m = 0.8$$

$$HA / \text{kg fuel} = 42000 \text{ kJ}$$

$$\frac{V_1}{V_2} = \frac{15.3}{2.04} = \frac{V_c + V_s}{V_c}$$

$$\therefore \boxed{V_s = 14.3 V_c} \quad \Rightarrow \quad V_c = \frac{V_s}{14.3} = 0.07 V_s = V_2$$

$$\boxed{V_c = 0.07 V_s = V_2}$$

$$V_1 = V_c + V_s (0.07 V_s + V_s) = 1.07 V_s = V_4$$

$$\boxed{V_1 = 1.07 V_s = V_4}$$

$$V_3 = \frac{V_4}{7.5} = \frac{1.07 V_s}{7.5} = 0.14 V_s$$

$$\boxed{V_3 = 0.14 V_s}$$



$$P_2 V_2^\gamma = P_1 V_1^\gamma$$

$$\therefore P_2 = P_1 \left( \frac{V_1}{V_2} \right)^\gamma \Rightarrow P_2 = 1 \times 15.3^{1.4} \text{ bar}$$

$$\boxed{P_2 = 45.55 \text{ bar} = P_3}$$

$$P_4 V_4^\gamma = P_3 V_3^\gamma$$

$$P_4 = P_3 \left( \frac{V_3}{V_4} \right)^\gamma$$

$$P_4 = 45.55 \left( \frac{1}{7.5} \right)^{1.4} \text{ bar} = 2.71 \text{ bar}$$

$$\boxed{P_4 = 2.71 \text{ bar}}$$

$$W_1 = \frac{P_1 V_1 - P_2 V_2}{\gamma - 1} = \frac{(1 \times 1.07 \text{ Vs} - 45.55 \times 0.07 \text{ Vs})}{1.4 - 1} = -5.29 \times 10^5 \text{ Vs J}$$

$$\boxed{W_1 = -5.29 \times 10^5 \text{ Vs Joules}}$$

$$W_2 = P_2 (V_3 - V_2) = (45.55 \times 10^5) \cdot (0.14 \text{ Vs} - 0.07 \text{ Vs}) \text{ J} = 3.18 \times 10^5 \text{ Vs J}$$

$$\boxed{W_2 = 3.18 \times 10^5 \text{ Vs J}}$$

work for closed cycle

$$W_3 = \frac{P_3 V_3 - P_4 V_4}{\gamma - 1} = \frac{(45.55 \times 0.14 \text{ Vs} - 2.71 \times 1.07 \text{ Vs})}{1.4 - 1} \times 10^5 \text{ J} = 8.69 \times 10^5 \text{ J}$$

$$\boxed{W_3 = 8.69 \times 10^5 \text{ J}}$$

so total work done per cycle,

$$W_1 + W_2 + W_3 = \text{WD Per cycle}$$

$$(-5.29 + 3.18 + 8.69) \times 10^5 \text{ Vs} = P_m \times V_s$$

$$P_m = 6.6 \times 10^5 \text{ N/m}^2 = 6.6 \text{ bar}$$

$$\boxed{P_m = 6.6 \text{ bar}}$$

$$\eta_D = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} \frac{r_c^\gamma - 1}{\gamma(r_c - 1)}$$

$$\eta_D = 1 - \left(\frac{1}{15.3}\right)^{1.4-1} \frac{(2.04)^{1.4} - 1}{1.4(2.04 - 1)}$$

$$\eta_D = 0.6 \text{ or } 60\%$$

$$\eta_{IT} = 0.50 \eta_P = 0.5 \times 0.6 = 0.3$$

$$\eta_m = \frac{\eta_{BT}}{\eta_{IT}} \Rightarrow \eta_{BT} = \eta_m \times \eta_{IT} \Rightarrow \eta_{BT} = 0.8 \times 0.3 = 0.24$$

$$\eta_{BT} = 0.24 \text{ or } 24\%$$

or

$$\frac{\text{BWD/sec}}{\text{HA/sec}} = 0.24$$

$$\text{HA/sec} = \frac{x}{0.24}$$

Ans  
Assuming BWD/sec as x

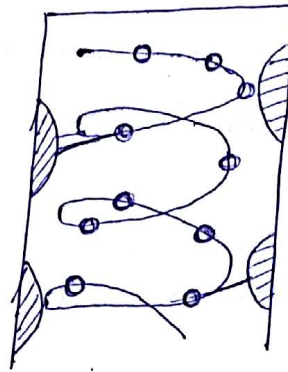
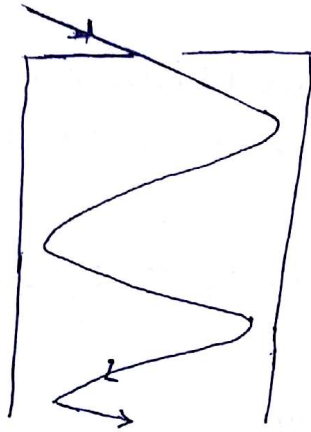
$$\text{HA/ft}^2 \times \text{mf/sec} = \frac{x}{0.24}$$

therefore,  $\text{mf} = \frac{x}{0.24 \times 42000} \text{ kg/sec}$

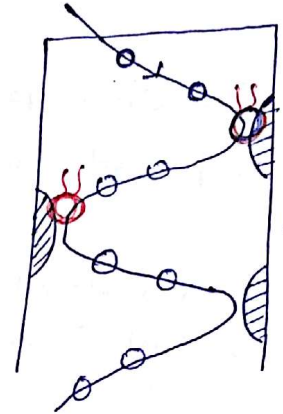
$$\text{bsfc} = \frac{\text{mf/hr}}{\text{B.P}} = \frac{x \times 3600}{(0.24 + 42000) \times x} \text{ kg/kwhr}$$

$$\text{bsfc} = 0.357 \text{ kg/kwhr}$$

# → Preignition or Misfiring :-



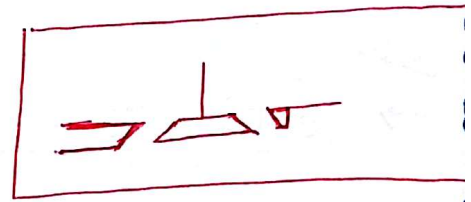
unburnt Hydrocarbons



When unburnt Hydrocarbons Heated



Air get ignited by this heat, and causing Preignition, and Result in Seizing



Misfiring is only for Petrol engine & it is not Applicable for Diesel.

The following are to be noted :-

- During Suction, Air fuel Mixture enters the engine Cylinder with the vortex flow. This vortex flow continues until exhaust.
- During heat addition a few of the fuel particles remains unburnt (unburnt Hydrocarbon) (UBHC). This UBHC will be in circulation along with the hot gases.
- Some of the UBHC particles stick to the inner walls of the cylinder during the circulation.
- During the next cycle, some fuel particles in the fresh AFM contact the UBHC. Some of them get ignited after a chemical rxn. on receiving the heat from the UBHC. This ignition is known as Preignition or Misfiring.



→ Heat From the pre-ignited fuel Particles flows through the Surrounding air and the Particles expands in all dir<sup>n</sup>.

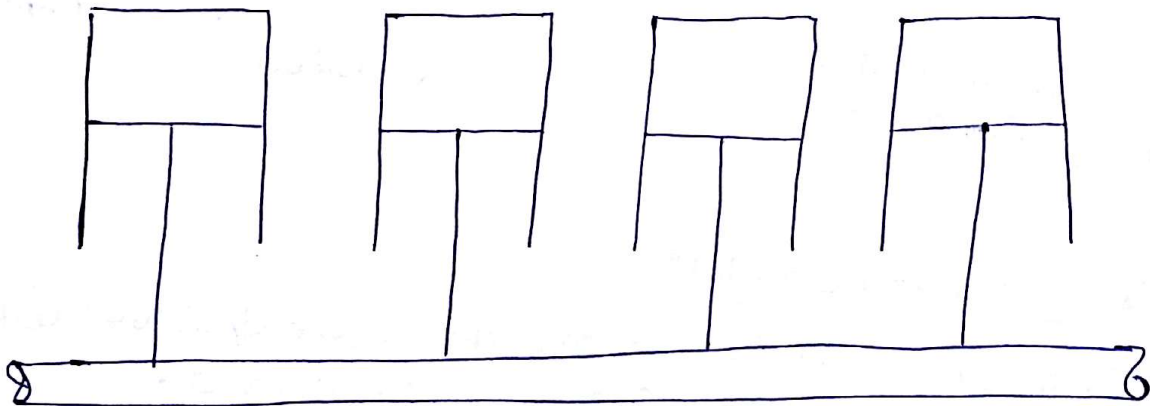
The air expanding downwards Collides with piston moving upwards during the Compression Stroke. Thus, there is loss of Work.

→ Under Worst Condition the entire Work output of the Cycle is Will be lost Completely, due to misfiring.

→ Misfiring Will takes place in SI engine only.

Imp

→ Testing of I.C Engines :- (Morse Key Test) :-



$$\begin{array}{r}
 4I = 4B - 4F \quad - ① \\
 3I = 3B - 4F \quad - ② \\
 \hline
 I = (4B - 3B)
 \end{array}$$

$$4I = 4(4B - 3B)$$

(Bcz Average eg)

$$\begin{array}{r}
 65 \quad 70 \\
 71 \quad 70 \\
 \hline
 74 \quad 70 \\
 210 \quad 210
 \end{array}$$

$$\begin{array}{r}
 70 \times 3 = 210 \\
 \downarrow \\
 \text{Average}
 \end{array}$$

Let us Consider a four Cylinder engine.

Let Brake power per Cylinder = B

Indicated Power Per Cylinder = I

Friction Power Per cylinder = F  
(friction loss Per Cylinder)

Initially, the engine is tested (with a dynamometer) for all the four Working Cylinders and the BP is noted. We have for four Working Cylinder,

$$4I = 4B + 4F \quad \text{--- (1)}$$

Later, one of the Cylinder is cut off (fuel supply is stopped for Diesel engines or spark plug is short circuited in the case of Petrol / SI engines). The Brake Power is then noted for the remaining three Cylinders.

In this manner, different single Cylinder is cut off at a time and the brake power is noted.

Four different readings for the BP of three Working Cylinders will be obtained.

if this readings are  $3B_1, 3B_2, 3B_3 \rightarrow 3B_4$  then, average of these readings will be;

$$3B = \frac{3B_1 + 3B_2 + 3B_3 + 3B_4}{4} \quad \text{--- (A)}$$

We have for three Working Cylinders;

$$3I = 3B + 4F \quad \text{--- (2)}$$

equ<sup>n</sup> (1) & equ<sup>n</sup> (2) gives

$$\begin{array}{r} 4I = 4B + 4F \\ 3I = 3B + 4F \\ \hline I = (4B - 3B) \quad \text{--- (3)} \end{array}$$

Total I.P of engine will be;

$$4I = 4(4B - 3B) \text{ --- (4)}$$

Depending up on other giving data, any other unknowns value can be determined from ~~the~~ this test.

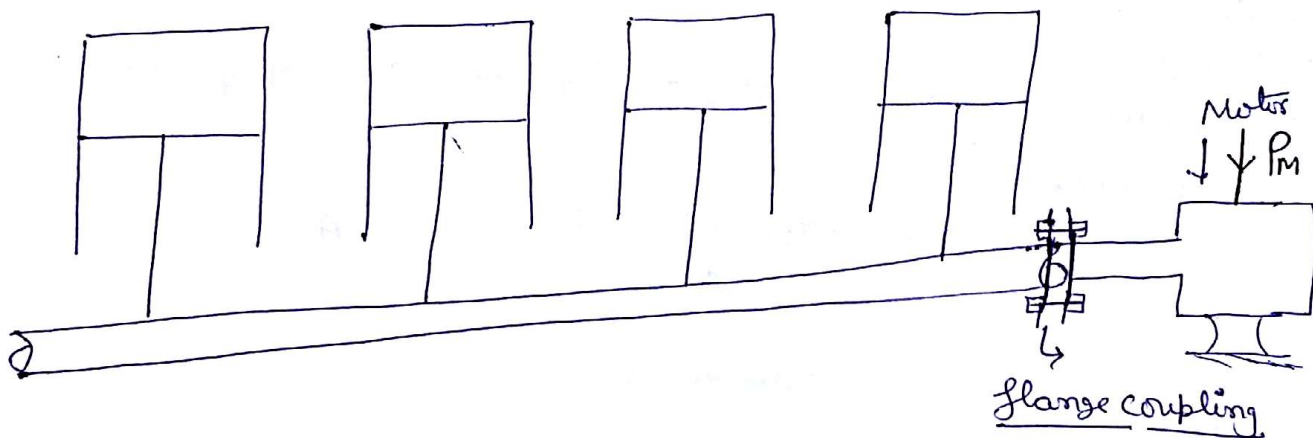
The following points are to be noted :-

$$(4B - 3B) \neq B \text{ --- (i)}$$

$$\& (4B - 3B) \neq (3B - 2B) \text{ --- (ii)}$$

$$\text{Also } 4B \neq 4B \text{ --- (iii)}$$

→ Motoring Test :-



The following points are to be noted :-

- 1) During The Morse Key Test, Speed of engine must be noted
- The engine must be stopped before starting the motoring test.
- The engine is then Coupled to motor attached to the dynamometer.
- On starting the motor, the speed of the motor, must be equally to speed of the engine during the morse test.



→ The Power input to the motor will be equal to the frictional Power of the engine.

→ If the efficiency of the motor is given, then:

$$\text{frictional Power} = (\text{Power input to motor}) \times (\eta_{\text{motor}})$$

→

Qn) The following Readings were taken during the Morse Test of the 4-T Petrol engine.

Cylinder	B. Power (kW)
All cylinders firing	12.5
Cylinder no. 1 cut off	9.5
Cylinder no. 2 cut off	9.2
Cylinder no. 3 cut off	9.0
Cylinder no. 4 cut off	8.8

Determine Mechanical efficiency of the engine?  
 Let  $W$  would be cylinder dimensions if stroke is 1.25 times the bore. The calorific value of the fuel is 42000 kJ/kg. Mass of fuel circulated is 0.07 kg/min. the clearance volume is 75 cm<sup>3</sup>. And the indicated thermal efficiency is 50% of Air standard efficiency?

Soln)  $\eta_m = ?$      $d = ?$      $L = ?$      $L = 1.25d$

$$H.A./\text{kg fuel} = 42000 \text{ kJ}$$

$$\dot{m}_f = 0.07 \text{ kg/min}$$

$$V_c = 75 \text{ cm}^3$$

$$\eta_{IT} = 0.5 \eta_o$$

$$4I = 4B + 4F$$

$$4I = 12.5 + 4F \quad \text{--- (1)}$$

for three cylinder any clockwise one neglected so their average

$$3B = \frac{9.5 + 9.2 + 9.0 + 8.8}{4}$$

$$(3B = 9.125 \text{ kW})$$

$$3I = 3B + 4F \quad \text{--- (2)}$$

Subtracting eqn (2) by (1)

$$\begin{array}{r} 4I = 4B + 4F \\ 3I = 3B + 4F \\ \hline I = (4B - 3B) \end{array}$$

$$\boxed{I = 8.375 \text{ Kw}}$$

So the Indicated Power of engine is;

$$4I = 4 \times 8.375 = 13.5 \text{ Kw}$$

$$\eta_m = \frac{4B}{4I} = \frac{12.5}{13.5} = 0.9259 \text{ or } 92.59\%$$

$$\boxed{\eta_m = 0.9259 \text{ or } 92.59\%}$$

$$HA/sec = \text{KA/kg fuel} \times \text{mf/sec} =$$

$$HA/sec = 42000 \times \frac{0.07}{60}$$

$$\boxed{HA/sec = 49 \text{ KJ}}$$

$$\Rightarrow \eta_{IT} = \frac{IWD/sec}{HA/sec} = \frac{13.5}{49}$$

$$\Rightarrow \eta_v = \frac{\eta_{IT}}{0.5} = \frac{13.5}{0.5 \times 49}$$

$$\text{or } 1 - \left(\frac{1}{r_c}\right)^{\gamma-1} = \frac{27}{49}$$
$$r_c = 7.4$$

$$\Rightarrow \boxed{\eta_v = 1 - \left(\frac{1}{r_c}\right)^{\gamma-1}}$$

$$\frac{V_c + V_s}{V_c} = 7.4$$

$$V_s = 6.4 V_c$$

$$V_s = 6.4 \times 75 \text{ cm}^3 = 480 \text{ cm}^3$$

$$\boxed{V_s = 480 \text{ cm}^3}$$

$$\frac{\pi}{4} d^2 \times L = 480$$

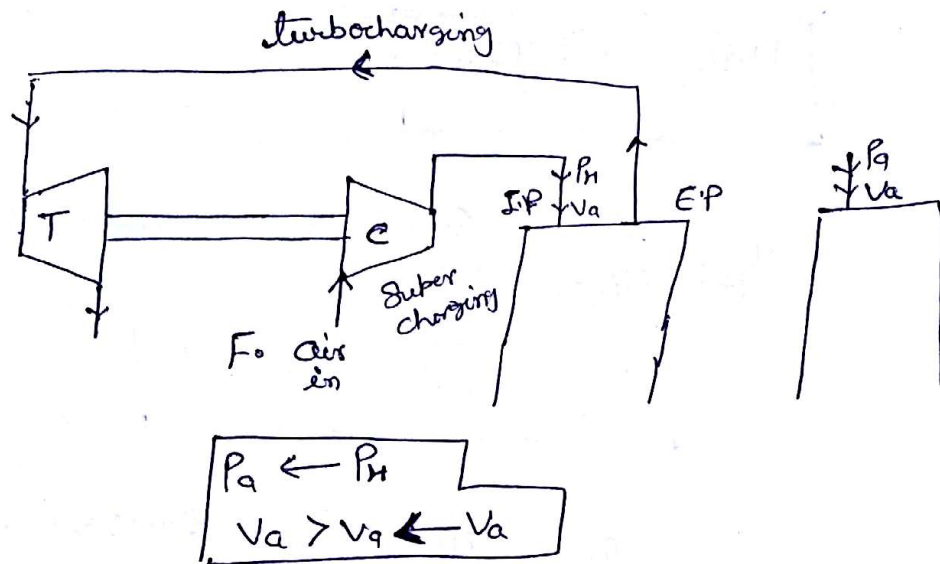
$$\frac{\pi}{4} d^2 \times 1.25d = 480 \text{ cm}^3$$

$$\boxed{d = 7.8 \text{ cm}}$$

$$\boxed{L = 1.25d = 9.84 \text{ cm}}$$



→ Supercharging :- Supercharger (Compressor) :- Rotary Type



- Supercharger is a Rotary Compressor.
- Supercharger is attached to I.C Engines, just before the engine's cylinder (in the case of Petrol engines, it is attached before the carburettor).
- The mass of Air circulated is ↑ due to Supercharging.
- For I.C Engines the pressure after Supercharging is 1.5 times to 2 times the entry pressure.
- Superchargers for I.C Engines are of two types;
  - In one type of Supercharger, it is driven by engine shaft
  - In another type of Supercharger, the exhaust from the engine is used to drive a turbine and the turbine runs the Supercharger.
- Such a Supercharger is known as Turbocharger.

## Following are the Advantage of Supercharging;

- 1) Higher Work output & hence higher thermal efficiency of the engine.
- 2) At higher Altitudes (flight of Aircrafts), Supercharging of Air helps in reducing the consumption of fuel.
- 3) There is an  $\uparrow$  in the volumetric efficiency of the engine i.e. ( $\eta_v$ )
- 4) There is reduction in Specific fuel Consumption of the engine.
- \* 5) The energy in the exhaust gas is utilized to turn the turbocharger.
- \*\* 6) Scavenging is better in a Supercharge engine.

## Disadvantages

- 1) Higher thermal stresses in the different moving parts of the engine, including the bearing of the shaft. This necessitates the replacement of the moving part earlier.
- 2) There is more leakage of air passed the piston.
- \* 3) Supercharging  $\uparrow$  the temperature of Air. This increases 'Knocking in Petrol engines'.
- ④ Using 'Supercharger for petrol engines, an intercooler must be used. This increases the cost of & ~~at~~ overall size of the engine.



# Carburettors

## → Working of a Simple Plain tube Carburettor :-

A Simple Plain tube Carburettor consists of two different sections of chamber.

One section is known as main unit (MU) & the other section is called the float chamber (FC).

A pipe extends from the main unit to the inlet valve of the engine cylinder. This pipe is known as the intake manifold.

During suction inside the engine cylinder, the vacuum extends to the main unit, through the intake manifold.

This vacuum in the main unit sucks the air from the atmosphere (after filtering). The area of cross section of the main unit, keeps on decreasing in the direction of the air flow and at a particular point on main unit, the area of cross section is a minimum and is known as throat or venturie. The velocity of air as flowing through the throat, will be a maximum. It is at the throat that the fuel, from the float chamber is pulled by the air flow into the main unit. The flow of fuel from the float chamber to main unit, takes place through a pipe known as the metering jet.

The tip of the metering jet at the throat is known as the discharge jet or the orifice. The other end of the metering jet, is attached to a screw. This screw is known as metering screw. The flow of the fuel through the metering jet is controlled by the operation of the metering screw. The air and fuel are present in the main unit below the venturie. Hence mixing takes place between them, in this space. Thus, this region is known as the mixing chamber.



The following event takes place during mixing in the mixing chamber:-

### 1) Atomization:-

Fuel, flowing out of the discharge jet, gets divided into very fine & small masses, known as atomization. Due to this reason, fuel spreads over the entire mixing chamber and thus, very good mixing takes place b/w the air and the fuel.

### 2) Vaporization:-

Vaporization is atomization and then change in state of a fuel from liquid to vapour. Vaporization is done to have an efficient combustion of the Air fuel Mixture, during heat addition in the clearance volume (Combustion chamber) of the engine cylinder.

### 3) Uniform Distribution of Air and fuel:-

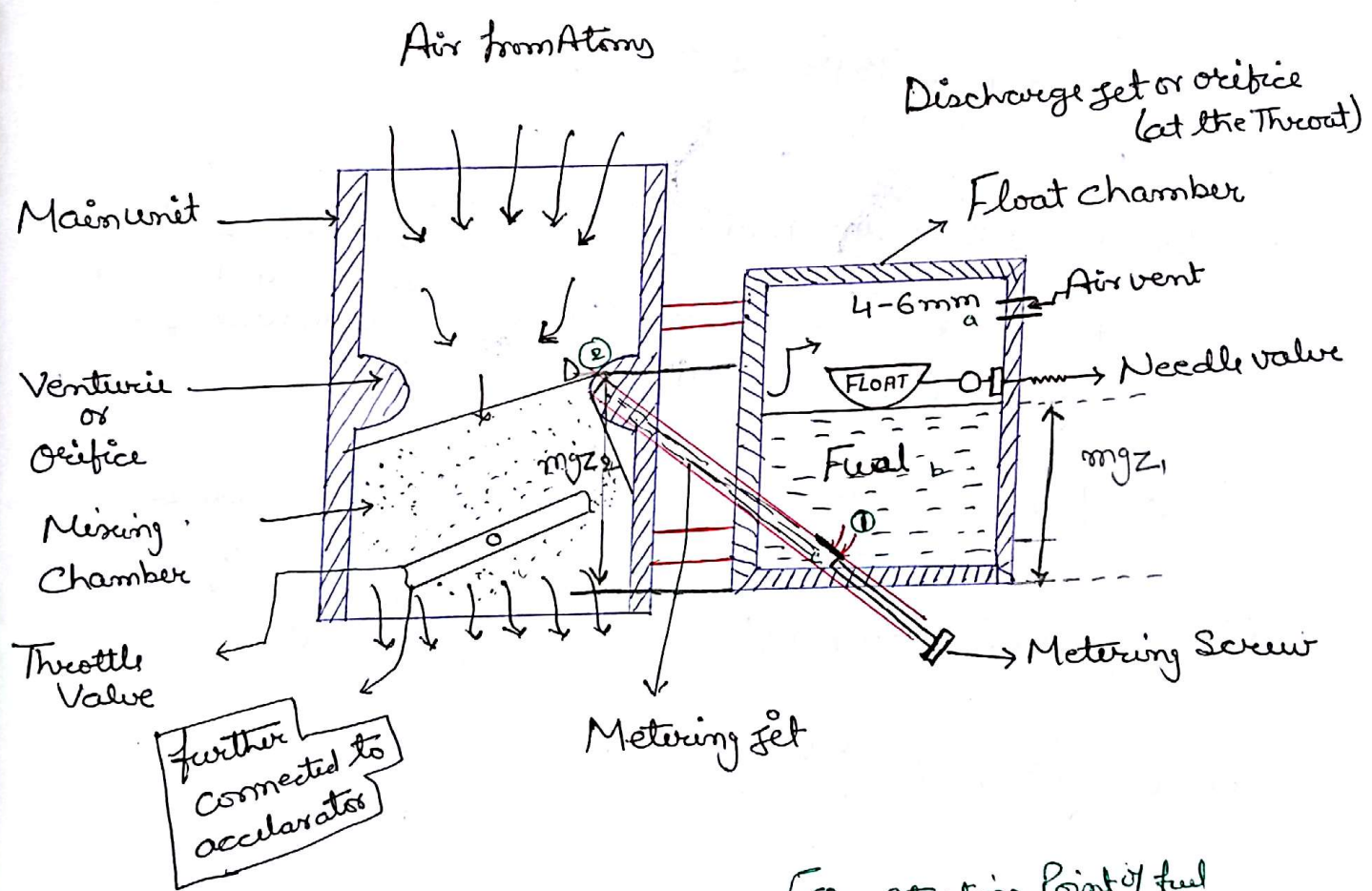
The Air fuel Ratio will be the same at all the points in the mixing chamber.

There is a valve in the main unit, below the mixing chamber, i.e. operator to control the quantity of the air fuel mixture, into the engine cylinder, through the intake manifold. There is a hollow vessel that always floats on the surface of the fuel in the float chamber. A valve is attached to this hollow vessel. A hollow vessel is known as float & the valve is known as the needle valve.

When the level of fuel ↓ in the float chamber, the float goes down and the needle valve opens, fuel from the fuel tank floats into the float chamber, through the needle valve.

As the level rises in the float chamber, the float moves up and the needle valve closes. Thus, the level of the fuel is maintaining in the float chamber. This level is 4-6 mm below the discharge jet in the main unit.

There is a gap in the float chamber, i.e. left open to the atmosphere and is known as the air vent. ~~Air vent~~ This gap is to ensure that atmospheric pressure will act on the surface the fuel, at all time in the float chamber for the different height of the fuel. So that, there will be good flow of fuel always through the metering jet.



(1) - Starting Point of fuel  
 (2) - End of fuel.  
 Pressure at a, b, c is almost Same.



# Air Fuel Ratio :-

Case 1) When the flow of air is adiabatic.  
(from entry ① to throat ②)

$$\text{Density; } \rho = \frac{\text{mass}}{\text{volume}} = \frac{P \times V}{(RT) \times V} \quad \text{or} \quad \boxed{\rho = \frac{P}{R \times T}}$$

$$\text{And, } P_1 V_1^\gamma = P_2 V_2^\gamma \quad \text{or} \quad P_1 \left(\frac{m}{\rho_1}\right)^\gamma = P_2 \left(\frac{m}{\rho_2}\right)^\gamma$$

$$\therefore \boxed{\rho_2 = \rho_1 \times \left(\frac{P_2}{P_1}\right)^{\frac{1}{\gamma}}} \quad \text{sub}$$

Considering the energy equation :-

$$H_1 + \frac{1}{2} m C_1^2 = H_2 + \frac{1}{2} m C_2^2$$

(negligible)

b/w Pt 1 & 2  
Very small change in  
Potential energy so we  
neglect it

$$\therefore \frac{1}{2} m C_2^2 = (H_1 - H_2)$$

$$\text{or } \frac{1}{2} m C_2^2 = m C_p T_1 \left(1 - \frac{T_2}{T_1}\right)$$

As it is Adiabatic Process  
 $\frac{T_2}{T_1} = \left(\frac{P_2}{P_1}\right)^{\frac{\gamma-1}{\gamma}}$

$$\therefore C_2 = \sqrt{2 C_p T_1 \left(1 - \left(\frac{P_2}{P_1}\right)^{\frac{\gamma-1}{\gamma}}\right)} \quad \text{--- (1)}$$

Q. Why Cd is used in carburettor  
beg due to throat b/w main unit flow of air is reduce from  
top to mid part



## Mass flow (at the throat)

$$\text{Actual mass/sec} = C_d \times \text{ideal mass} = C_d (P_2 \times V_2/\text{sec})$$

or

$$m/\text{sec} = C_d \times \rho_1 \left(\frac{P_2}{P_1}\right)^{\frac{1}{\gamma}} \times A_2 \times C_2$$

$V_2 \rightarrow$  volume<sub>2</sub>

$C_d \rightarrow$  Coefficient of discharge  
 $C_d = \frac{m_a}{m_i}$

Case 2:- When the flow of air is incompressible.

Assumptions:-

- (i)  $P_2 = P_1 = P$
- (ii)  $T_2 = T_1$
- iii)  $P_2 V_2 \neq P_1 V_1$

Considering the energy equation:-

$$H_1 + \frac{1}{2} m C_1^2 = H_2 + \frac{1}{2} m C_2^2 \rightarrow \text{or } (U_1 + P_1 V_1) = (U_2 + P_2 V_2) + \frac{1}{2} m C_2^2$$

(negligible) As  $(T_2 = T_1)$

$$\therefore \frac{1}{2} m C_2^2 = P_1 V_1 - P_2 V_2 = P_1 \left(\frac{m}{\rho}\right) - P_2 \left(\frac{m}{\rho}\right)$$

$$\therefore C_2 = \sqrt{\frac{2(P_1 - P_2)}{\rho}} \quad \text{--- (2)}$$

## Mass Flow :- (for Air)

$$\begin{aligned}\text{Actual mass/sec} &= C_d \times \text{ideal Mass/sec} \\ &= C_d \times (\rho \times v_2/\text{sec})\end{aligned}$$

Or

$$\begin{aligned}m/\text{sec} &= C_d \times \rho \times (A_2 \times C_2) \\ &= C_d \times \rho \times A_2 \sqrt{\frac{2(P_1 - P_2)}{\rho}}\end{aligned}$$

$m \text{ per sec}; m/\text{sec} = C_d A_2 \sqrt{2(P_1 - P_2)\rho}$

Important

## Fuel Flow :-

The fuel flow takes place from the entry to the metering jet to the discharge jet. Since, the fuel is a liquid, the fuel flow will be only incompressible.

Considering the energy equation & we get;

$$H_1 + \frac{1}{2} m C_1^2 + mgz_1 = H_2 + \frac{1}{2} m C_2^2 + mgz_1$$

(negligible).

$$\text{or } H_1 - H_2 = \frac{1}{2} m C_2^2 + mg(z_2 - z_1)$$

$mgz_1$  &  $mgz_2$  are height as we considering Potential energy

or

$$(U_1 + P_1 V_1) - (U_2 + P_2 V_2) = \frac{1}{2} m C_2^2 + mgz$$

as  $(T_1 = T_2)$

$$(P_1 V_1 - P_2 V_2) - mgz = \frac{1}{2} m C_2^2$$

or

$$P_1 \left(\frac{m}{\rho}\right) - P_2 \left(\frac{m}{\rho}\right) - mgz = \frac{1}{2} m C_2^2$$

$$C_2 = \sqrt{2 \left( \frac{P_1 - P_2}{\rho} - gz \right)} \quad \text{--- (1)}$$



Mass flow :- for fuel

$$\text{Actual mass/sec} = C_d \times \text{Ideal mass/sec}$$

$$= C_d \times \rho \times v_0 A_2 / \text{sec} = C_d \rho (A_2 \times C_2)$$

$$\therefore m/\text{sec} = C_d \cdot \rho A_2 \sqrt{2 \left[ \frac{P_1 - P_2}{\rho} - gz \right]}$$

$$m/\text{sec} = C_d A_2 \sqrt{2 \rho (P_1 - P_2) - \rho g z}$$

$Z \rightarrow \text{height } z$

# Air Fuel Ratio for Incompressible flow of Air :-

$$\text{Air fuel Ratio} = \frac{\text{Mass of air}}{\text{Mass of fuel}}$$

$$\text{AFR} = \frac{m_a}{m_f} = \frac{C_{d_a} \times A_{2(a)} \sqrt{2(P_1 - P_2) \rho_a}}{C_{d_f} \times A_{2(f)} \sqrt{2(P_1 - P_2) - \rho_f g z}} \quad (\text{negligible})$$

$$\text{AFR} = \frac{m_a}{m_f} = \frac{C_{d_a}}{C_{d_f}} \times \frac{A_{2(a)}}{A_{2(f)}} \sqrt{\frac{\rho_a}{\rho_f}}$$

Or

$$\frac{m_a}{m_f} = \text{AFR} \cdot \alpha \sqrt{\rho_a}$$

At, higher Altitudes (flight of Air crafts), where the density of air is less. The Air fuel ratio from the above equation will be a rich mixture. To Overcome this drawback, an angular space (Jacket) is introduced around the main unit.

The Vacuum in the main unit, extends to the jacket. Hence, some amount of atmospheric air, also enters into the jacket. This air when then mixed with air fuel mixture in the main unit below the throttle valve, Hence, the rich air fuel mixture is transformed into the normal air fuel mixture.

Qn) 13 A simple Combuettor has to supply 5 kg air per minute, the atmospheric air is at 1.013 bar & 27°C. Calculate the diameter at the throat if the flow velocity is 90 m/sec. The  $C_v$  (coefficient of velocity) = 0.8. Assume isentropic flow?

Soln) mass/min (a) = 5 kg  
 $P_1 = 1.013$  bar  
 $T_1 = 27^\circ\text{C} = 300\text{K}$   
 $d_2 = ?$   $C_2 = 90\text{m/s}$   
 $C_v = 0.8$   
 Isentropic flow

$$\rho_1 = \frac{P_1}{RT_1}$$

$$\text{mass/sec} = C_d \times \rho_1 \times \left(\frac{P_2}{P_1}\right)^{\frac{1}{\gamma}} \times A_2 \times C_2 \quad \text{--- (1)}$$

$$C_2 = C_v \sqrt{2\gamma T_1 \left(1 - \left(\frac{P_2}{P_1}\right)^{\frac{\gamma-1}{\gamma}}\right)} \quad \text{--- (2)}$$

$$\text{or } 90 = 0.8 \sqrt{2 \times 1000 \times 300 \left(1 - \left(\frac{P_2}{P_1}\right)^{\frac{1.4-1}{1.4}}\right)}$$

$$\text{So, } \frac{P_2}{P_1} = 0.928$$

$$\rho_1 = \frac{P_1}{RT_1}$$

$$= \frac{1.013 \times 10^5}{287 \times 300} \text{ kg/m}^3$$

$$\rho_1 = 1.176 \text{ kg/m}^3$$

from eqn (1)

$$\text{mass/sec} = C_d \times \rho_1 \times \left(\frac{P_2}{P_1}\right)^{\frac{1}{\gamma}} \times A_2 \times C_2$$

$$\frac{5}{60} = 1 \times 1.176$$

$$\frac{5}{60} = 1 \times 1.176 \times (0.928)^{\frac{1}{1.4}} \times \frac{\pi}{4} d_2^2 \times 90$$

$$d_2 = 0.0318 \text{ m or } 31.8 \text{ mm}$$



Qn 14 Very important

↳ A Venturi of Simple Carburettor has a throat diameter of 20mm and fuel orifice diameter is 1.120mm. The level of petrol surface in the float chamber is 6mm below the throat. Assume the incompressible flow.

$$C_{d0} = 0.85$$

$$C_{df} = 0.78$$

$$\rho_f = 750 \text{ kg/m}^3$$

Calculate;

- 1) AFR (Pressure drop is 0.08 bar)
  - 2) Petrol Consumption in kg/hr
  - 3) Critical air velocity.
- (Take  $P_1 = 1 \text{ bar}$  &  $T_1 = 29^\circ\text{C}$ )

Soln)  $d_2(a) = 20 \text{ mm}$

$$d_2(f) = 1.12 \text{ mm}$$

$$z = 6 \text{ mm}$$

flow is incompressible  $= \frac{6}{1000} \text{ m}$

$$C_{d0} = 0.85$$

$$C_{df} = 0.78$$

$$\rho_f = 750 \text{ kg/m}^3$$

$$\Delta P = (P_1 - P_2) = 0.08 \text{ bar}$$

$$P_1 = 1 \text{ bar}, T_1 = 29^\circ\text{C} = 302 \text{ K}$$

As flow is incompressible, considering eqn<sup>n</sup>;

$$(i) \quad AFR = \frac{C_{d0}}{C_{df}} \times \frac{A_2(a)}{A_2(f)} \sqrt{\frac{2(P_1 - P_2) \rho_a}{2 \rho_f (P_1 - P_2) - \rho_f g z}}$$

$$AFR = \frac{0.85}{0.78} \times \frac{20^2}{1.12^2} \sqrt{\frac{2 \times 0.08 \times 10^5 \times 1.15}{2 \times 750 [0.08 \times 10^5 - 750 \times 9.8 \times \frac{6}{1000}]} } = 13.6$$

$AFR = 13.6$

$$(ii) \quad m_f = C_d(f) \times A_2(f) \sqrt{2 \rho(f) (P_1 - P_2) - \rho(f) g z}$$

or

$$m_f = 0.78 \times \frac{\pi}{4} \times \left(\frac{1.12}{1000}\right)^2 \sqrt{2 \times 750 \left[0.08 \times 10^5 - 750 \times 9.8 \times \frac{6}{1000}\right]}$$

$$\boxed{m_f = 9.56 \text{ Kg/hr}}$$

iii) Critical Air velocity:

Critical velocity of Air is that velocity, when the fuel is at the verge of flowing (about to flow) into metering jet. hence in this case, the mass of fuel flow is just zero.

We thus, have mass of fuel flow = 0

$$m_f = 0$$

or

$$C_d(f) \times A_2(f) \sqrt{2 \rho(f) \left[ (P_1 - P_2)_{\text{crit}} - \rho(f) g z \right]} = 0$$

$$\therefore (P_1 - P_2)_{\text{critical}} - \rho(f) g z = 0$$

$$(P_1 - P_2)_{\text{crit}} = \rho(f) g z = 750 \times 9.8 \times \frac{6}{1000}$$

$$(P_1 - P_2)_{\text{crit}} = 44.1 \text{ N/m}^2$$

$$(C_2)_{\text{crit}} = \sqrt{\frac{2 (P_1 - P_2)_{\text{crit}}}{\rho_a}} = \sqrt{\frac{2 \times 44.1}{1.15}} \text{ m/s} = 8.7 \text{ m/s}$$

$$\boxed{(C_2)_{\text{crit}} = 8.7 \text{ m/s}} \quad \text{Ans}$$

Qm T: [ ]

Qm) Determine the AFR at 6000m altitude in a carburettor adjusted to give an AFR of 15 at sea level, where the air temp is  $27^{\circ}\text{C}$  and pressure is 1.013 bar. The temp. of air at any altitude is given by the equation  $t_h(^{\circ}\text{C}) = t_s(^{\circ}\text{C}) - 0.0065h$ . The pressure at any height is given by the equation,

$$h = 19220 \log_e \frac{1.013}{P(\text{bar})}$$

Soln  $\text{AFR} \propto \sqrt{P_a}$

implies  $\text{AFR} \propto \sqrt{P_a}$

$$\text{AFR} = K \sqrt{P_a}$$

$$(\text{AFR})_h = K \sqrt{P_h}$$

$$(\text{AFR})_s = K \sqrt{P_s}$$

$$\frac{(\text{AFR})_h}{(\text{AFR})_s} = \sqrt{\frac{P_h}{P_s}} \quad \text{--- (1)}$$

$$P_s = \frac{P_1}{RT_1} = \frac{1.03 \times 10^5}{287 \times 300} = 1.176 \text{ kg/m}^3$$

$$\boxed{PV = mRT}$$
$$\frac{m}{V} = \rho = \frac{P}{RT}$$

$$\boxed{P_s = 1.176 \text{ kg/m}^3}$$

or  $t_h = (27 - 0.0065 \times 6000)^{\circ}\text{C} = -12^{\circ}\text{C} = 261 \text{ K}$

$$\boxed{t_h = -12^{\circ}\text{C} \text{ or } 261 \text{ K}}$$

Also,  $\log_e \frac{1.013}{P_h} = \frac{6000}{19220} \text{ or } \frac{1.013}{P_h} = e^{\frac{6000}{19220}}$

$\therefore P_h = 0.74 \text{ bar}$



$$P_n = \frac{P_h}{R_{Th}} = \frac{0.74 \times 10^5 \text{ kg/m}^3}{287 \times 261} = 0.989 \text{ kg/m}^3$$

$$P_n = 0.989 \text{ kg/m}^3$$

from (i)

$$(AFR)_h = 15 \times \sqrt{\frac{0.989}{1.15}} = 13.76$$

$$(AFR)_h = 13.76 \text{ Ans}$$

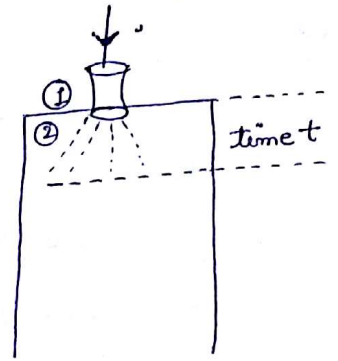
# Diesel Fuel Injection

$$t = \frac{\theta}{60} \quad \text{--- (1)}$$

$$\rho = \frac{m/\text{sec}}{\text{vol}/\text{sec}} \quad \text{--- (2)}$$

$$C_2 = \sqrt{\frac{2(P_1 - P_2)}{\rho}} \quad \text{--- (3)}$$

$$\text{Vol}/\text{sec} = \text{Vol}/\text{cycle} \times \text{No. of Cycles}/\text{sec} \quad \text{--- (4)}$$



Speed of Shaft is const.  
i.e. = N rpm  
Oscillation  $\rightarrow$  Cycles

$$\frac{1}{t} = f = \frac{\text{No. of Cycles}}{\text{Sec}}$$

$$\text{Vol}/\text{sec} = \text{Vol}/\text{cyc} \times \text{No. of Cycles}/\text{sec}$$

or

$$\text{Vol}/\text{sec} = \text{Vol}/\text{cycle} \times f = \text{Vol}/\text{cycle} \times \frac{1}{t}$$

$$\therefore \text{Vol}/\text{cyl} = \text{Vol}/\text{sec} \times t$$

that for ideal Cycle.

$$\text{Vol}/\text{cycle} = C_d \times \text{Vol}/\text{sec} \times t$$

for Actual Cycle.

$$\text{Vol}/\text{cycle} = C_d \times A_2 \times C_2 \times t \quad \text{--- (5)}$$

Qn)

Qn) A Single Cylinder 4T diesel engine running at 1500 rpm, uses 2.5 kg of fuel per hour. The specified gravity of fuel is 0.88. The injection pressure is 150 bar & the cylinder pressure is 30 bar. Find the diameter of fuel orifice. The injection period is  $25^\circ$ .

$C_d = 0.88$  for fuel orifice.

Soln)

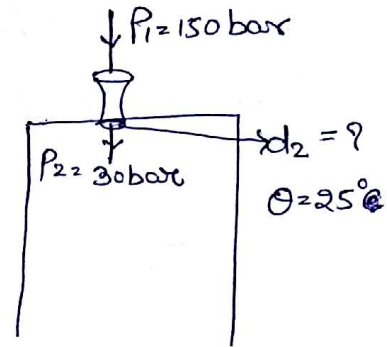
4 Stroke Diesel engine

$$N = 1500 \text{ rpm}$$

$$m_f = 2.5 \text{ kg/hr} \rightarrow \text{m/sec (divide by 360)}$$

$$\rho = 880 \text{ kg/m}^3$$

$$C_d = 0.88$$



$$t = \frac{\theta}{6N} = \frac{25}{6 \times 1500} \text{ sec} = \frac{1}{360} \text{ sec}$$

$$t = \frac{1}{360} \text{ sec}$$

$$\text{Vol/sec} = \frac{m/\text{sec}}{\rho} = \frac{2.5}{3600 \times 880} \text{ m}^3 = 7.89 \times 10^{-7} \text{ m}^3$$

$$\text{Vol/sec} = 7.89 \times 10^{-7} \text{ m}^3$$

$$C_2 = \sqrt{\frac{2(P_1 - P_2)}{\rho}} \Rightarrow C_2 = \sqrt{\frac{2(150 - 30)10^5}{880}} \text{ m/s}$$

$$C_2 = 165.14 \text{ m/s}$$

$$\text{Vol/sec} = \text{Vol/cycle} \times \frac{N}{2 \times 60} \quad (\text{As it is 4T})$$

$$\text{Vol/cycle} = \frac{7.89 \times 10^{-7} (2 \times 60)}{1500} \text{ m}^3$$

$$\text{Vol/cycle} = 6.31 \times 10^{-8} \text{ m}^3$$



$$C_d \times \frac{\pi}{4} d_2^2 \times C_2 \times t = 6.31 \times 10^{-8}$$

$$0.88 \times \frac{\pi}{4} d_2^2 \times 165.14 \times \frac{1}{360} = 6.31 \times 10^{-8}$$

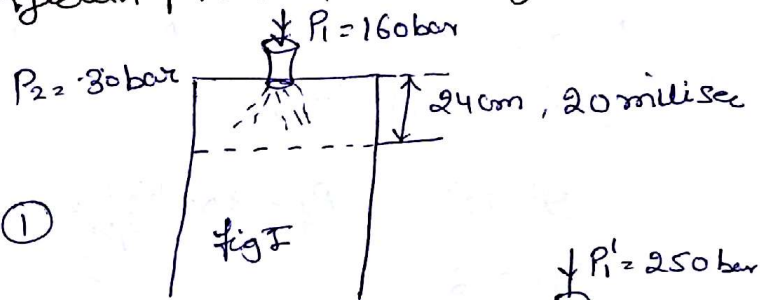
$$\therefore d_2 = 0.446 \times 10^{-3} \text{ m} = 0.446 \text{ mm}$$



When the Pressure inside the Comb<sup>n</sup>. Chamber is 30 bar. Injection Pressure is 160 bar, the fuel Penetrates 24 cm in 20 ms. Find the time taken for the fuel to penetrate the same distance when the injection pressure is changed to 250 bar?

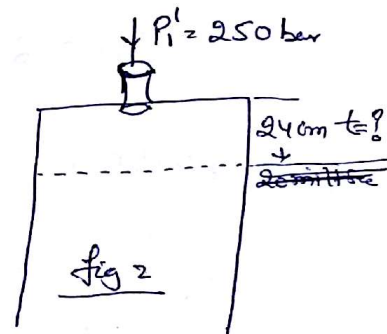
for fig 1

$$\frac{24}{20} = C_2 = \sqrt{\frac{2(P_1 - P_2)}{\rho}} \quad \text{--- (1)}$$



for fig 2

$$\frac{24}{t} = C_2' = \sqrt{\frac{2(P_1' - P_2)}{\rho}} \quad \text{--- (2)}$$

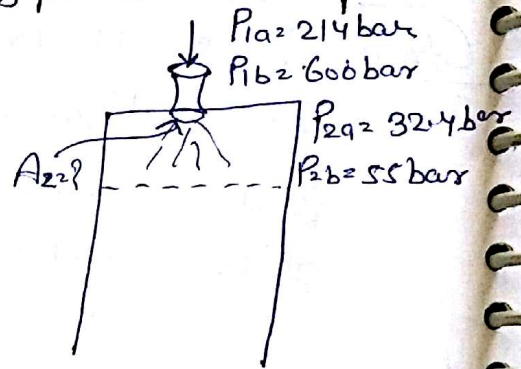


divide eq<sup>n</sup> (1) by eq<sup>n</sup> (2)

$$t = 20 \sqrt{\frac{160 - 30}{250 - 30}} \text{ ms}$$

$$t = 15.34 \text{ milisee.}$$

Qn 16 A 16 Cylinder diesel engine has a Power out of 800 kW at 900 rpm. The engine works on the 4T cycle & has fuel consumption of 0.238 kg/kwhr. The pressure in the cylinder at the beginning of injection is 32.4 bar & the max. cylinder pressure is 55 bar. The injector is set at 214 bar & has a max. of 600 bar.  $C_d = 0.6$ ,  $\rho_f = 860 \text{ kg/m}^3$  find the orifice area if injection takes place over  $10^\circ$  of the Crank angle.



Soln) 16 Cylinder, 4 stroke

Power = 800 kW       $N = 900 \text{ rpm}$

$Sfc = 0.238 \text{ kg/kwhr}$

$\theta = 10^\circ$        $\rho_f = 860 \text{ kg/m}^3$

$C_d = 0.6$

1-Cylinder - Injection

from specific fuel consumption for 1 cylinder

$$\frac{m_f / \text{hr}}{\text{Power (for 1 cyl)}} = Sfc$$

$$P_1 = \frac{214 + 600}{2} \text{ bar} = 407 \text{ bar}$$

$$P_2 = \frac{32.4 + 55}{2} = 43.7 \text{ bar}$$

$$m_f = 0.238 \times \frac{800}{16} \text{ kg/hr} = 11.9 \text{ kg/hr}$$

$$t = \frac{\theta}{6N} = \frac{10}{6 \times 900} \text{ sec} = \frac{1}{540} \text{ sec.}$$

$$\text{Vol/sec} = \frac{m/\text{sec}}{\rho} = \frac{11.9}{3600 \times 860} \text{ m}^3 = 3.84 \times 10^{-6} \text{ m}^3$$

or  
 $\hookrightarrow \text{Vol/cycle} \times \frac{N}{2 \times 60} = 3.84 \times 10^{-6}$

$$\therefore \text{Vol/cycle} = \frac{3.84 \times 10^{-6} (2 \times 60)}{900} \text{ m}^3 = 5.12 \times 10^{-7} \text{ m}^3$$

$$C_2 = \sqrt{\frac{2(P_1 - P_2)}{\rho}} = \sqrt{\frac{2 \times 407 - 43.7 \times 10^5}{860}} \text{ m/sec} = 290.66 \text{ m/sec}$$

Ans.

$$Q_{\text{or}}/C_{\text{or}} = C_d \times A_2 \times C_2 \times t$$

$$5.12 \times 10^{-7} = 0.2 \times A_2 \times 290.66 \times \frac{1}{150}$$

$$\therefore A_2 = 1.58 \times 10^{-6} \text{ m}^2$$

$$A_2 = 1.58 \text{ mm}^2$$

Ans

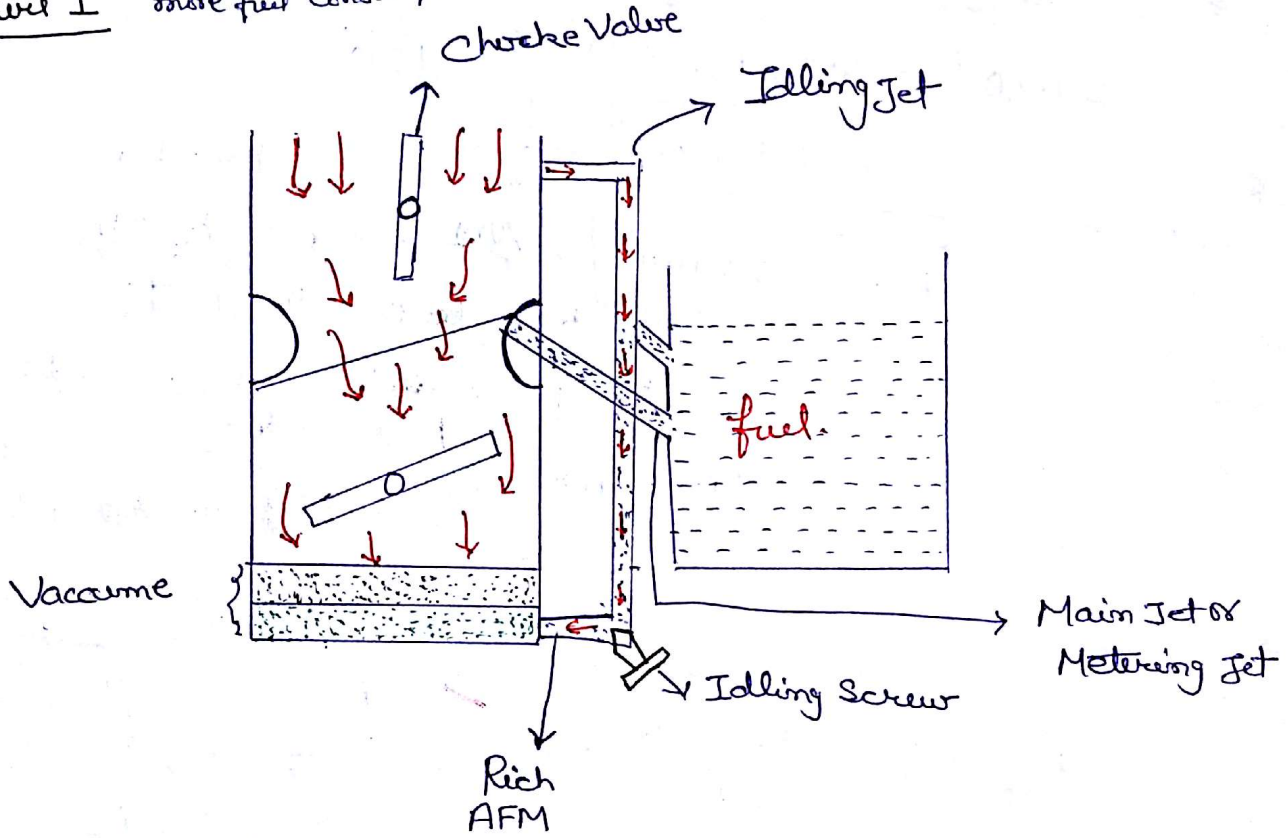


# Advanced Carburettor System

## The Idling System

### Down flow Carburettor

Figure 1 Speed (0-15) more fuel consumption



## The Accelerating System

### UP flow Carburettor

Figure 2

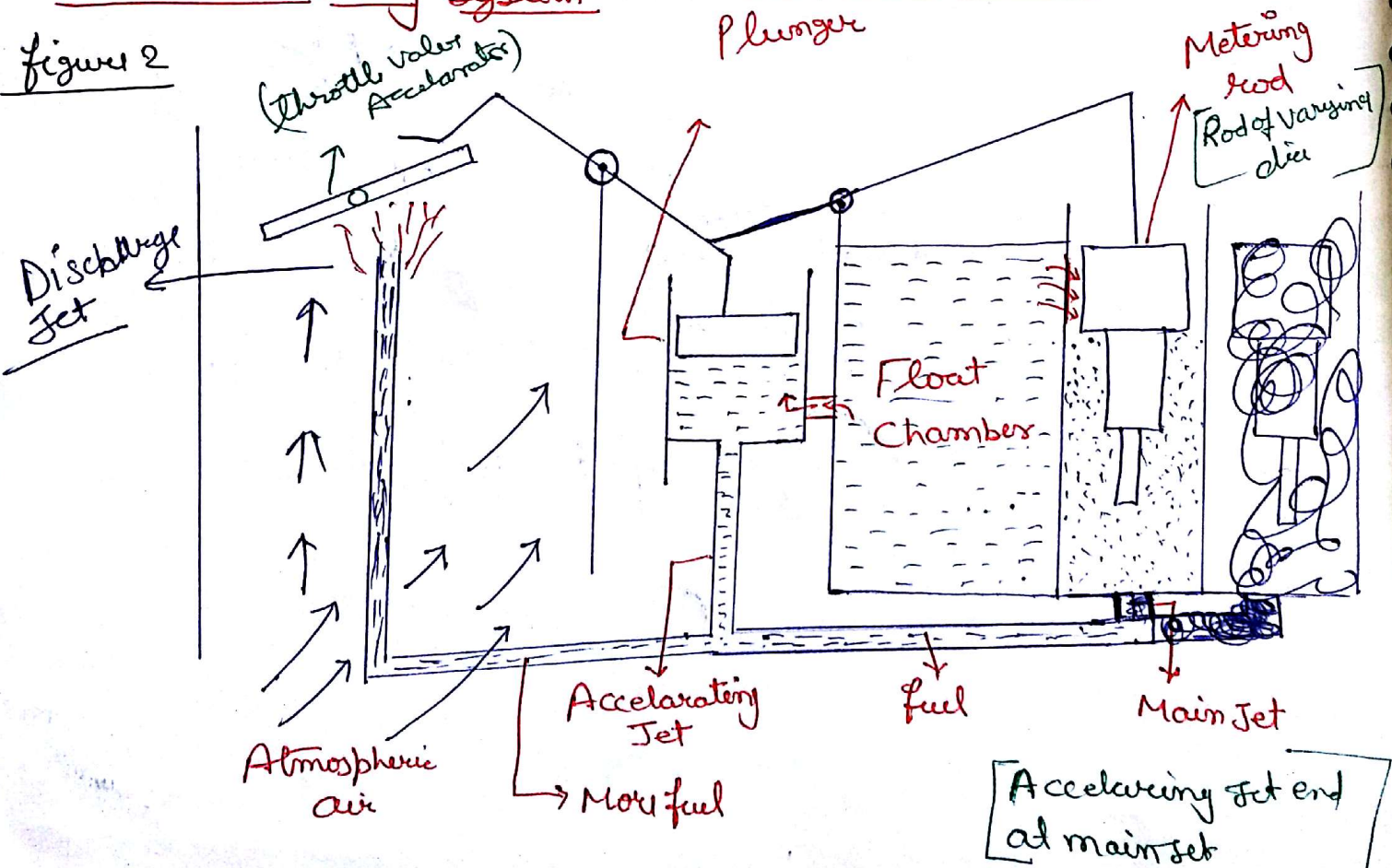


Figure 3a

Side flow  
Carburettor

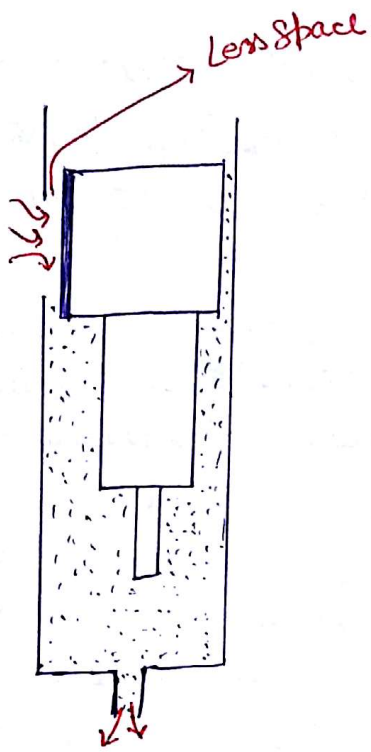
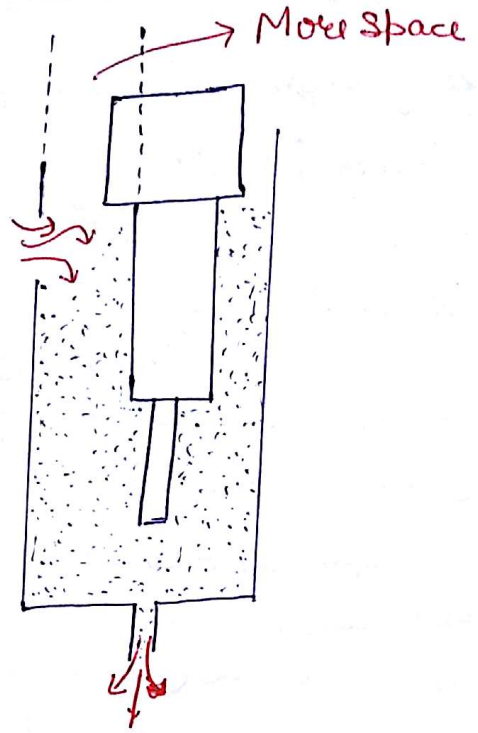


Figure 3b



The Economiser  
or

The Metering Rod System



# Idling System :-

Idling System Consist of a jet Known as idling Jet.

The idling jet start from a Point near the choke valve (entry to the main unit) and ends up at a Point below the throttle Valve of the main unit.

The Design of idling jet is the same as that of the main jet; But is much smaller in size. Thus, less air flows through the idling jet & the AFM will be a rich mixture.

For Slow Speeds, the throttle opening is less. Thus, less air fuel mixture flows from the metering jet and crosses the throttle Valve to fill the Vacuum (The metering jet is also known as main jet).

The remaining vacuum will act on the idling jet & hence, some air enters into the idling jet for the flow of the rich Air fuel mixture. This rich Air fuel mixture fills the remaining Vacuum in the main unit. hence more amount of fuel enters in Combustion chamber and more heat will be liberated during heat addition, due to which the engine continues to run without Stopping.

On opening the throttle Valve further Additional Air fuel mixture will flow from the main jet, to fill the Vacuum. At one stage the throttle opening will be such that the entire Vacuum will be completely filled by the Air fuel mixture from the main jet. The throttle opening at this instant is about 10-12% and the engine speed is nearly 15 km/h.

The Air fuel ratio for idling

Conditions is between 5-9.



## The Accelerating System :-

The Accelerating System consist of Piston-cylinder arrangement known as the Plunger. The plunger is placed in the float chamber. There is a jet leaving the plunger and joining the metering jet. This jet is known as the Accelerating jet.

There is an orifice through which the fuel from float chamber flows into the plunger.

When, the throttle valve is open by above 60%, it operates a lever and the lever moves the piston down the plunger. The fuel inside the plunger is pushed into the Accelerating jet and thus, the more fuel will flow through the main jet and then out of the discharge jet. There is rapid increase in the speed of the engine (Acceleration).

On reversing the throttle valve, the lever pushes the piston up the plunger, creating a partial vacuum inside. Fluid from the float chamber, rushes into the plunger through the orifice to fill the vacuum.

The air fuel ratio for the accelerating system, is between 12-13.

## The Economiser or Metering Rod System :-

This arrangement consist of rod of varying diameters and is placed in front of the entrance to the main jet.

The piston inside the plunger, at the metering rod are linked in such a manner that it always moves in opposite dir<sup>ns</sup>.

When accelerator is stop in new position, the piston inside the plunger will also stop. in a new downward position.

The flow of fuel through the accelerating jet is stopped.

At this instant, the metering rod will stop in a new higher position. The smaller diameter will face the fuel flow, at entrance to the main jet. Hence, additional fuel, will flow out of metering jet, that will compensate for the stoppage of the fuel flow in the accelerating jet. Hence, high speed of the engine will be maintained.

On Reversing the throttle valve, the piston inside the plunger moves up & the metering rod will moves down. The bigger diameter will face the fuel flow. Hence, less amount of fuel will flow through the main jet. Besides, a part of this fuel flow is directed into the accelerating jet in the opposite direction, to fill the vacuum. Thus, very less fuel will flow out of the discharge jet and the speed decreases rapidly (Deceleration).

It may be noted that UBHC will be a max. when the engine is undergoing Deceleration.



## Choke Valve :-

Choke Valve is placed under the main unit at entrance to air. Normally, the Choke Valve remains in an open position. On closing the Choke Valve, very little or low air will enter the main unit. Hence the Vacuum will be filled by only large quantity of the fuel.

The Choke Valve is operated when the engine is very old or under old weather condition. On closing the Choke Valve, large amount of fuel enters the combustion chamber and plenty of energy is liberated. Part of this heat is taken by the different parts of the engine, and the remaining is transferred to air and thus the engine gets started easily.

Once, the engine get started, care must be taken to open the throttle valve immediately. Otherwise it will result in the early damage of the engine.

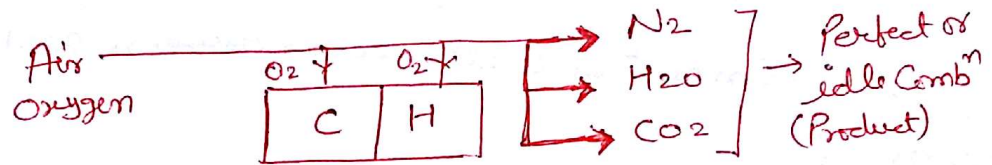
The air fuel Ratio, for cold weather conditions is b/w 2-3.



# Analysis of fuel and Exhaust Gas :-

O - 1-2  
C - 2010 - Now

When Combustion of air takes place in such a manner that there is no fuel remaining in any form After Combustion, nor is any free oxygen left. Then Combustion known as ideal or perfect Combustion and the air fuel Ratio for such a Combustion is known as Stoichiometric Air fuel ratio.



## Lower Calorific Value :-

When the steam in the exhaust gas is allowed to escape, then, the total heat available due to the Combustion of 1 kg of fuel is known as the Lower Calorific Value of fuel (LCV).

The Calorific value of fuel, from I.C engine in Lower Calorific Value.

## Higher Calorific Value :-

When the steam in exhaust gas (Flue gas) is recirculated for useful heating (In this case the steam is condensed to water) then, additional heat Heat available due to the Combustion of the fuel for one 1 kg is known as Higher Calorific Value of the fuel.

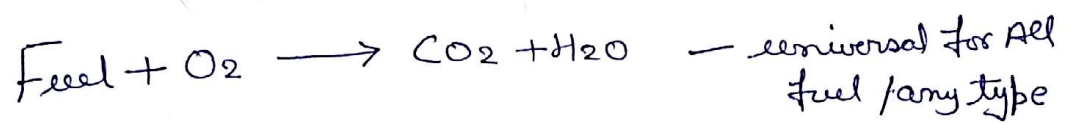
Higher Calorific Value is available for Stationary & Large Power Plant.

# Products of Combustion :-

In the analysis of exhaust gas, when steam is also taken into account, then the exhaust gases are known as the total products of Combustion or wet product of Combustion.

When steam is not taken into account for analysis, then the exhaust gases are called dry product of Combustion.

Any fuel on Combustion will receive oxygen and give out  $\text{CO}_2$  &  $\text{H}_2\text{O}$ .  
Therefore;



## Avagadro's Law

Equal volume of All gases contain equal number of molecule.

Vol	Molecule
Gas 1 x	*
Vol 2 x	z

This find avagadro's Law

In air	by mass	mass vol.
$\text{N}_2$	77%	79%
$\text{O}_2$	23%	21%

Oxygen is heavier than nitrogen.



Qn) Methane burns with stoichiometric quantity of air.

The air fuel ratio by weight

(a) 4	(b) 14.7
(c) 15	(d) 17.16

Methane  $\rightarrow$  CH<sub>4</sub>



$$44 \text{ kg} + 36 \text{ kg}$$

by means of molecular weight  
 16 kg + 64 kg  
 on divide entire by 16.  
 1 + 4

$$\frac{44}{16} \text{ kg} + \frac{36}{64}$$

in 100 kg air there is 23% of oxygen

$$23 \text{ — } 100$$

$$4 \text{ — } \frac{100 \times 4 \text{ kg}}{23} \text{ / kg fuel}$$

$d = 17.16 \text{ Kg / kg fuel}$
----------------------------------

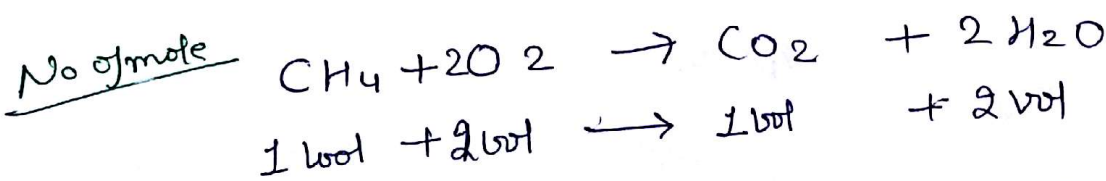
Qn) If methane undergoes combustion with stoichiometric quantity of air, the air fuel ratio on the <sup>basis of</sup> molar ratio basis,

(a) 15.22

(b) 12.3

(c) 14.56

(d) 9.52



$$\text{AFR} = \frac{100 \times 2}{21} \text{ (by volume / molar basis)}$$

$\text{A.F.R} = 9.52$
-----------------------



Qn) dry flue gas with composition of  $\text{CO}_2 = 10.4\%$ ,  $\text{O}_2 = 7.6\%$ ,  $\text{N}_2 = 80\%$ . Indicate that,

- a) Excess air is used
- b) Air is insufficient
- c)  $\text{H}_2$  is not present in the fuel
- d)  $\text{N}_2$  is  $80\%$

dry  $\rightarrow$  Hydrogen is present but not taking into account

for d) choice d is incorrect as  $80\%$  of Nitrogen in the exhaust gas analysis doesn't mean that the Percentage of  $\text{N}_2$  in air will also be  $80\%$

for c) choice c is incorrect as, Hydrogen is present but will not be included for dry gas analysis.

for B) choice B is wrong as for insufficient air Carbon will not completely burn the  $\text{CO}_2$  & not will there be any free oxygen left in the exhaust gas.

for A) only A is correct.

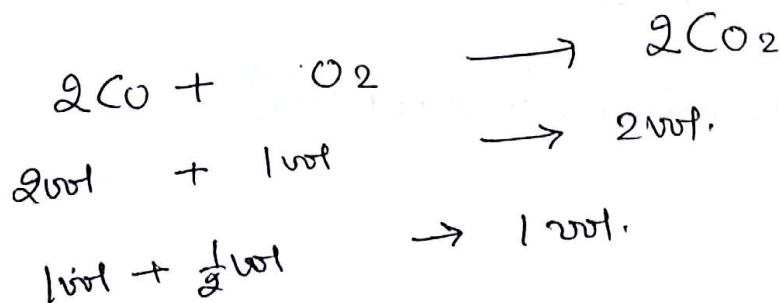
Qn) The Stoichiometric Air/Fuel Ratio by volume for Comb<sup>n</sup> for CO in air,

(A) 1.19

(C) 2.45

(b) 2.38

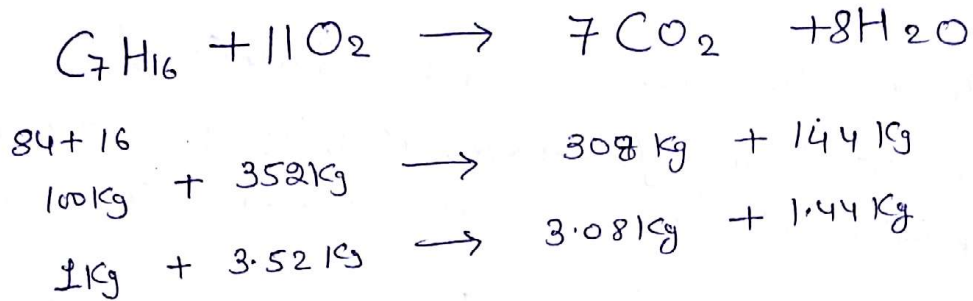
(d) 4.76



AFR (by vol)  $\frac{100}{21} \times \frac{1}{2} = 2.38$  Ans

Qn) A liquid fuel  $C_7H_{16}$  is burnt with <sup>10%</sup> more air. Assume Complete Combustion. Calculate

- 1) The mass of air per kg of fuel
- 2) Volumetric Analysis of dry product of combustion



Theoretical Air =  $\frac{100}{23} \times 3.52 \text{ kg} = \underline{15.3 \text{ kg}}$ .

For 10% excess air, 100 + 10 = 110 1.1  
air supply

$$m_a = 1.1 \times 15.3 \text{ kg} \quad m_a = 16.8 \text{ kg}$$
 ~~$m_a = 15.3 \text{ kg}$~~

$$M_{N_2} = 0.77 \times M_a = 0.77 \times 16.8 \text{ kg} = 12.9 \text{ kg}$$

$M_{O_2} = 16.8 - 12.9$

$$M_{O_2} = 3.9 \text{ kg}$$

$$(0.23 \times M_a = 0.23 \times 16.8 \text{ kg} = 3.8 \text{ kg})$$

∴ Excess air in  $O_2$  (excess) in exhaust gas,  
= total supply of oxygen - 3.52 kg  
= 0.38 kg

Analysis of dry exhaust gas			mol. wt	Analysis by vol	0.07/0.1542/100 = 12.9
SNo	Constituent	Analysis by mass			
1	$CO_2$	3.08	44	$3.08/44 = 0.070$	
2	excess oxygen	0.38	32	$0.38/32 = 0.012$	$0.0127$
3	$N_2$	12.9	28	$12.9/28 = 0.460$	$0.0542 \times 100 = 5.42$
				$\Sigma \text{Vol} = 0.542$	By diff = 84.9



Q.m T<sub>1</sub>

Lignite — Peat — Bitum — Anthracite

Q.m T<sub>1</sub>)

C = 0.819 = 81.9%

H<sub>2</sub> = 0.049 = 4.9%

O<sub>2</sub> = 0.06 = 6%

N<sub>2</sub> = 0.023 = 2.3

Ash = 0.049 = 4.9

these sum must be equal to 1.  
if not then question is not solved.

Q.m) The stoichiometric air fuel ratio for complete Comb<sup>n</sup>

Q.m) The volumetric analysis of wet & dry products of Comb<sup>n</sup> when the air supplied is 25% in excess of that required for complete combustion

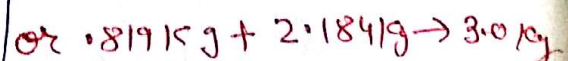
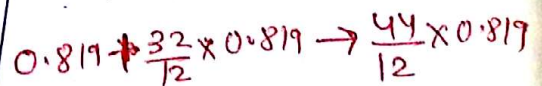
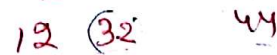
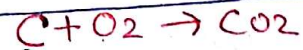
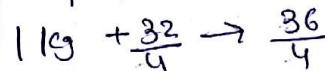
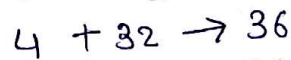
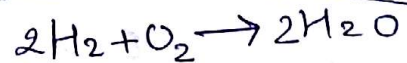
S.No	Analysis by wt.	O <sub>2</sub> Required / kg fuel	Mass of CO <sub>2</sub>	Mass of H <sub>2</sub> O
C	0.819	$\frac{32}{12} \times 0.819 = 2.184$	3 kg.	—
H <sub>2</sub>	0.049	$0.049 \times 8 = 0.392$	0.44	0.44
O <sub>2</sub>	0.06	<del>0.06</del> - 0.06		
N <sub>2</sub>	0.023	—		

total O<sub>2</sub> = 2.516 kg

∴ stoichiometric ratio =  $\frac{100}{23} \times M_{O_2}$

$= \frac{100}{23} \times 2.516 \text{ kg}$

$= 10.94 \text{ kg}$



$\frac{32 \cdot 16}{12 \cdot 6}$



for 25% excess air supplied

$$M_{\text{air}} = 1.25 \times 10.94 \text{ kg} = 13.671 \text{ kg}$$

$$M_{\text{N}_2} = 0.77 \times M_{\text{a}} = 10.521 \text{ kg}$$

$$\begin{aligned} \text{Excess O}_2 &= (0.23 \times M_{\text{a}} - \text{O}_2 \text{ for fuel}) = \\ &= 0.23 \times 13.67 - 2.516 \text{ kg} \\ &= 0.63 \text{ kg} \end{aligned}$$

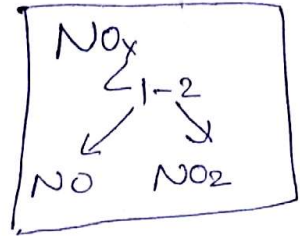
### Analysis of Exhaust Gas

S.No	Constituents	Analysis by wt%	Mol. wt	Analysis by wt
1	CO <sub>2</sub>	3	44	$3/44 = 0.068$
2	N <sub>2</sub>	10.52	28	$10.52/28 = 0.376$
3	O <sub>2</sub>	0.63	32	$0.63/32 = 0.019$ Σ dry = 0.488
4	H <sub>2</sub> O	0.44	18	$0.44/18 = 0.024$ Σ wet = 0.487

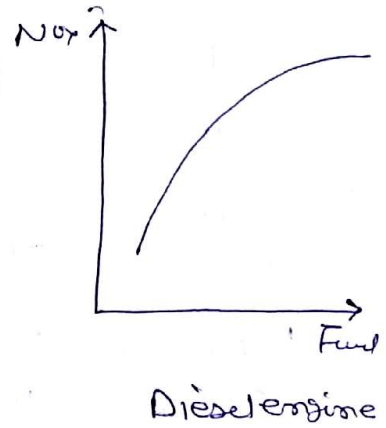
	Analysis of dry gas	Analysis of wet gas
CO <sub>2</sub>	$\frac{0.068}{0.488} \times 100 = 14.68$	$\frac{0.068}{0.487} \times 100 =$
N <sub>2</sub>	$\frac{0.376}{0.488} \times 100 = 81.2$	$\frac{0.376}{0.487} \times 100 =$
O <sub>2</sub>	$\frac{0.019}{0.488} \times 100 = 4.12$	$\frac{0.019}{0.487} \times 100 =$
H <sub>2</sub> O		$\frac{0.024}{0.487} \times 100 =$

# Pollution In Exhaust Gases :-

↑ temp ↑ fuel supply ↑ ~~Nox~~ Production



Exhaust Gas Recirculation



# Pollution In exhaust Gases :-

## 1) CO :-

→ It is Poisonous, will cause dizziness, when taken in small quantities can also prove fatal.

## 2) HC :-

→ Causes Skin Cancer & affects the lungs, when exposed to atmosphere. Also affects plants and animals.

## 3) NO<sub>x</sub> :-

When NO<sub>x</sub> is exposed, it forms Photochemical Smog (Smog) Affects is same as HC. Also affects under water creatures. NO<sub>x</sub> is form when,

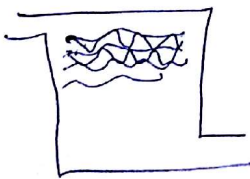
- i) Temp. of Comb<sup>n</sup> chamber is very high.
- ii) Access air is supplied
- iii) Incomplete Comb<sup>n</sup> of the fuel.

One of the Method of Reducing NO<sub>x</sub> is By exhaust gas

### Recirculation (EGR)

in India - 70-80 octane no. of petrol

Octane No. of petrol 70.



Catalytic convert in vehicles

Oxidation  
Rxn

[ Costly

Catalyst

Platinum

Palladium

Rhodium

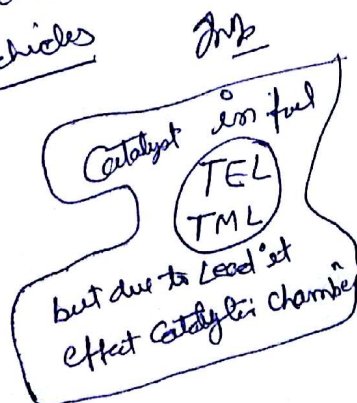
Costly fuel  
combust fuel

↓

HC → H<sub>2</sub>O, CO<sub>2</sub>

CO → CO<sub>2</sub>

NO<sub>x</sub>



Rhodium first bcz it break Nitrogen & oxygen so that oxygen from oxide is less used and some Rhodium oxygen produced by Rhodium is used for this process.

ethylmerci Bromide is used as catalyst in fuel / petrol



# Methods of Preventing Pollution in Exhaust Gas:

- A Slightly Leaner mixture (more than 10% excess air).
- Slightly Lower Compression Ratio.
- Use of Thermal Converter.

Thermal Converter is use for oxidising HC to H<sub>2</sub>O & CO<sub>2</sub>, and for converting CO to CO<sub>2</sub>.

Thus, thermal Converter are also known as two way converters.

- Use of Catalytic Converters.

- 1) Passage of Stainless Steel Box, has,
- 2) Has Alumina (Al<sub>2</sub>O<sub>3</sub>) inside in the form of Honey comb.
- 3) Has three different catalyst to accelerate reactions. for removing the pollutants.
- 4) The different catalyst are;

Platinum — for oxidation of HC.

Palladium — for oxidation of CO

Rhodium — for Reducing NO<sub>x</sub> into ~~Hydrogen~~ Oxygen & Nitrogen

## Unleaded Petrol :

To improve the Quality of Petrol, Chemicals like TEL (Tetra ethyl lead) and TML (Tetra methyl lead) are used.

During Combustion lead from the above chemical gets separated and is in circulation, as lead itself in the exhaust gas. This lead corrodes the different Catalyst in the Catalytic Converter. Hence, ethylene di bromide is used instead of the lead compound for improving the anti knock quality of Petrol. Such a fuel is known as unleaded Petrol.

## Rating of Fuel :

In order to determine the anti knock quality of fuels, the fuel is compared with the standard fuel. The standard fuel is a mixture of two ~~or~~ other fuels.

For Petrol, the standard fuel is a mixture of isooctane (Zero Knock) and normal Heptane Readily Knock.

The % of isooctane in standard fuel is a measure of anti knock quality of Petrol. If the % of octane in the standard fuel is 70% (Heptane is 30%) then, matches with the quality of Petrol, then Petrol ~~Octane~~ is said to have an octane number of 70. Higher the Octane number, better will be the quality of fuel.

In India, Octane number of

Petrol is b/w 70-80.

For special quality fuels like Speed, extra premium etc the Octane number is b/w 90-94.

For the Diesel fuel, the standard fuel is a mixture of Normal Cetane (Zero Knock) and alpha methyl Neptilene (Readily Knocks). Higher the Cetane No. of the fuel, better will be its

Anti Knock Quality.

In India Cetane no. of Diesel fuel is b/w 40-50.

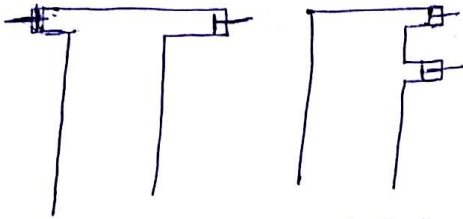


Equivalence Ratio ( $\phi$ ) :-  $\phi = \frac{\text{Act. FAR}}{\text{I. FAR}} = \frac{\text{Act. mf}}{\frac{\text{ma}}{\text{Ideal mf}}} = \frac{\text{Act. mf}}{\text{Ideal mf}}$

FAR - Fuel Air Ratio

Equivalence Ratio is the Ratio of FAR under actual conditions (when the engine is running) to the FAR under Stoichiometric Cond<sup>n</sup>. Ideal ↑

Side Valve engine

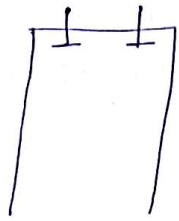


T shaped engine

F shaped engine

Knocking is ↑

Overhead engine



flat shaped engine

Knocking is Present



Hemispherical shaped engine

Interview :-

When Equivalence Ratio is less than 1,

It means that there will be

shortage of fuel supply & Power output will also be less. The Temperature of the charge will also be the less. In Petrol engines, Knocking will be reduced.

When Equivalence Ratio is b/w 1.1 & 1.3,

Then good amount of energy will

be liberated from the fuel. The Power output & the Temp of the charge will be high. tendency to knock will be more for Petrol engines.

When equivalence Ratio is

greater than 1.4,

then the fuel supply will be so much in excess that the air supplied will be not enough for complete combustion. Hence less fuel will undergo combustion & the effect will be the same as well the equivalence Ratio is less than 1.

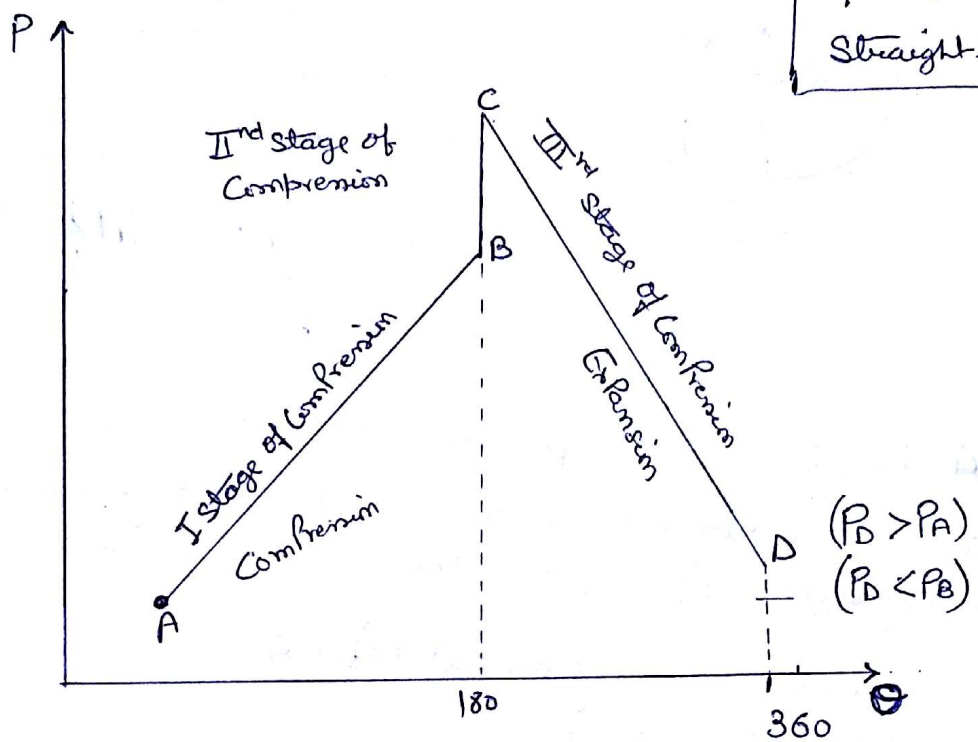


# Combustion In I.C Engine :-

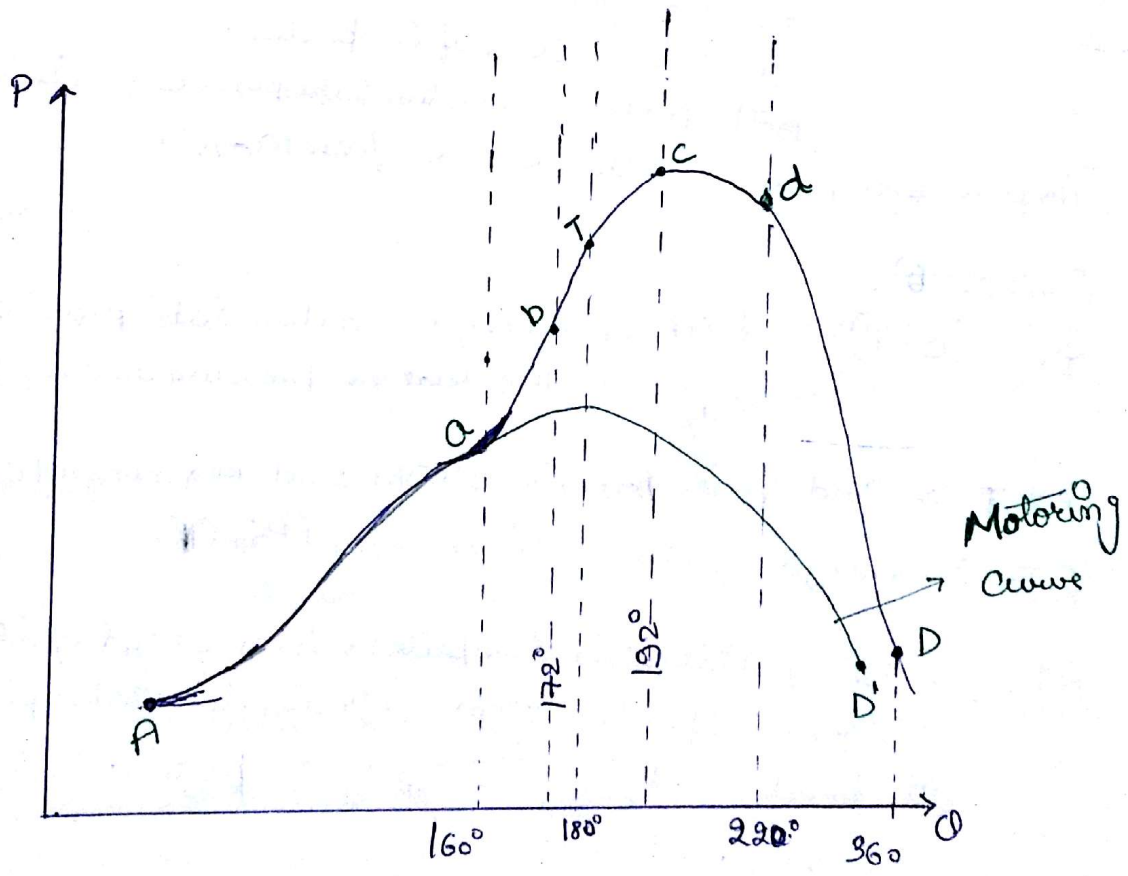
## Combustion in SI Engine :-

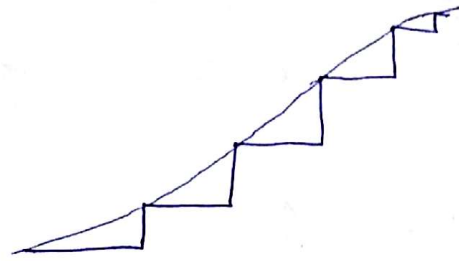
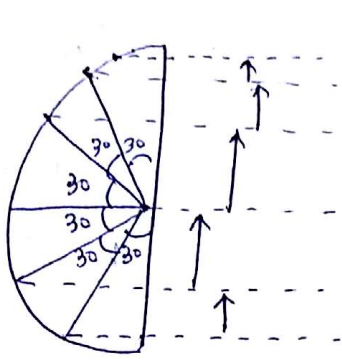
$\Delta P \propto \theta$   
 $\Delta P = m \theta$   
 $y = m x$   
 Straight line

Theoretical Diagram



Actual Diagram :-





CS	CSI	SIE	IE
↑	↑	↑	↑

→ At A, beginning of Compression stroke.

→ At a, 160° of rotation is over from the start of the Compression. Sparking begins. From A-a, there is normal rise in Pressure.

First Stage of Combustion begins at Point A.

Chemical Rm begins at a.

From (a-b) → 12° of Rotation is Completed After the beginning of Sparking.

[ Ignition begins at point b.

End of first stage of Combustion.

Both Sparking & ignition takes place beyond point b.

There is sharp rise in the pressure from (a-b).

~~From (b-B)~~

from (b-T) → Both Sparking & ignition takes place along with Compression. The rise in pressure is very sharp.

At T → end of Compression stroke and beginning of expansion stroke.

Both Sparking & ignition continues beyond Point T.

At c → 12° of rotation is Completed, from start of the expansion stroke. Sparking stops. only ignition takes place beyond this point. end of II<sup>nd</sup> stage of Combustion. Third stage begins at point C.



At d:-  $40^\circ$  of rotation is completed, from the start of the expansion stroke. Ignition stops. End of third stage of Combustion. There is a drop in pressure during III<sup>rd</sup> stage of Combustion.

There is a little rise in Pressure during, the 1<sup>st</sup> of rotation after expansion has started.

### Motoring Curve:

It is the curve traced by a similar engine in which there is no combustion taking place (only compression & expansion will exist).

It may be seen from the motoring curve that the rise in pressure is mainly due to combustion. Thus, the engine in which the combustion takes place will only have a higher efficiency.

### First Stage of Combustion:-

When the spark plug contact the fuel in a particular area, ~~then~~ then, chemical action begins for the fuel in this region. Heat is generated, that spreads to the other areas of fluid/fuel. Chemical action begins also in these areas. There is a rise in the Temp<sup>o</sup> of the fuel. There is a propagation of the nucleus of the area in which chemical action taking place. During the chemical action, different amount of heat get stored in different areas of the fuel.

At the end of the chemical action, if the temp<sup>o</sup> of the fuel is below the self ignition temp<sup>o</sup>, then, the fuel particle remains as UBHC. And is in circulation with the hot gases until exhaust.

When the temp<sup>o</sup> of the fuel particle is equal to or above the self ignition temperature at the end of the chemical action, then there is distribution of heat in the different areas of the fuel. The temp<sup>o</sup> remains same, during this heat distribution. Equal amount of heat stored in the equal different area of the fuel, - then ignition begins for the fuel particles.

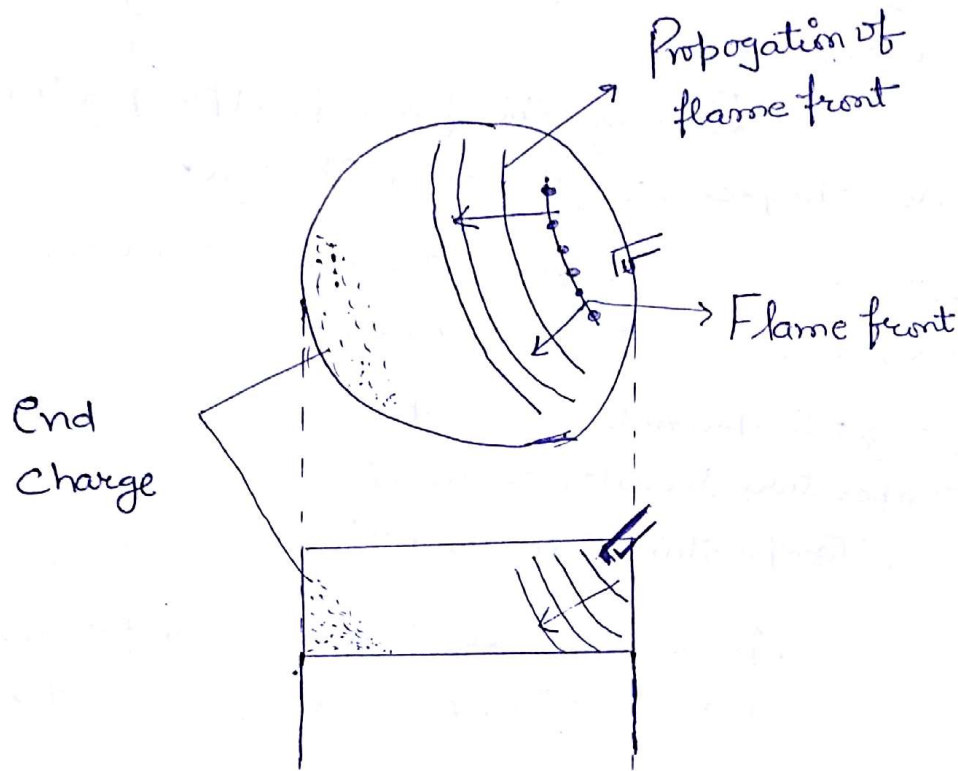


The time taken, from beginning of ~~chem~~ ignition  
chemical action to beginning of ignition is known as  
the chemical lag / Ignition Lag.

For Petrol engines chemical  
Lag is also known as ignition Lag.

Chemical Lag is also the duration  
for I<sup>st</sup> stage of Combustion, which is even known as the  
Preparatory Phase.

# Abnormal Combustion In SI Engines



## Flame front:-

During Sparking, the fuel particles near the spark plug gets ignited. The line joining the ignited fuel particles is known as the flame front.

## Propogation of flame front:-

After the formation of first flamefronts Heat from this flame front is received by the nearby fuel particles & another flamefront is formed. At the same instant the fuel particles in the first flamefront gets completely burnt. It will thus appear that the first flame front has only reached the new position. This erroginary movement of the flame front is known as the Propogation of the flame front.



## End Charge:

The AFM and the other end of flame front propagation is known as the end charge.

During, the flame front propagation, the following events takes place for the end charge:-

- 1) The Air particles near the flame front gets heated and expands. This expanding air, Compresses the end charge.
- 2) As the end charge get Compressed, the temperature of end charge  $\uparrow$ . This increasing temperature results in chemical action being set up in the end charge. Temperature of the end charge increases further.
- 3) During the flame front propagation, there is heat transfer, from the flame front to the end charge. Temperature of the end charge continues to increase.

If the temperature of the end charge becomes equal to the self ignition of end charge or above, a separate flame front is formed & the charge. The two flame fronts move in opposite directions & collides with another one. This collision is known as

## Detonation.

If the flame front from the spark plug reaches the end charge, before the formation of the flame front at the end charge, then knocking will not occur.

## Following are disadvantages of detonation:-

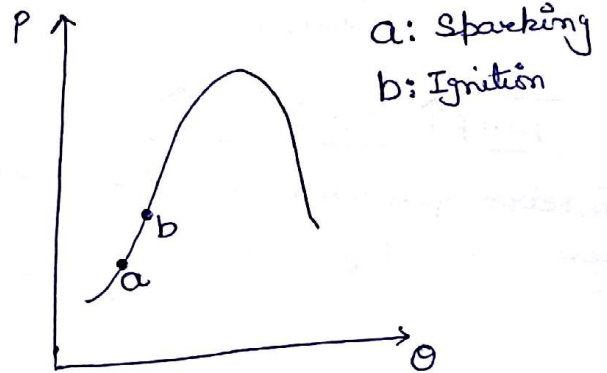
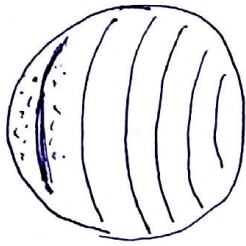
- 1) When the two flame front collide, a high energy wave is set up at the point of collision, that can travel in any direction at a speed of about 2500 - 5000 Cycles/sec. This wave start pushing the piston sidewalls, & at the piston knock against at a cylinder. Hence detonation is known as knocking. Due to knocking a crack can be develop in the piston or in the cylinder.



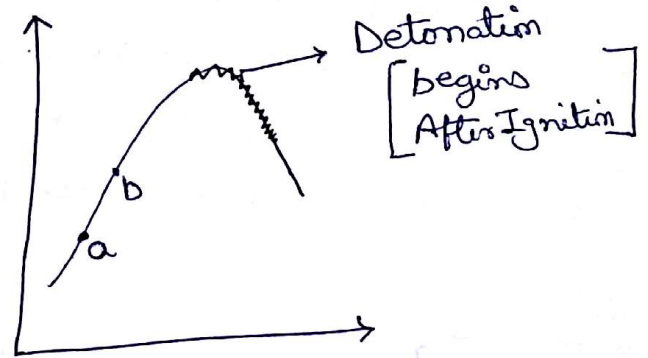
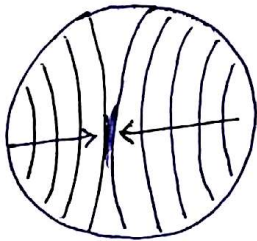
2) Due to Knocking, a high metallic sound is ~~heard~~<sup>heard</sup>, known as pinging. Hence, detonation or knocking is also known as Pinging.

3) Vibrations are set up in the engine.

4) There is loss of work.



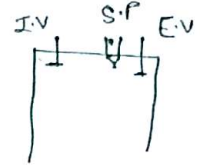
### Normal Combustion



### Abnormal Combustion

### 3) Advancing the Spark :-

Advancing the spark will result in more duration of sparking. The pressure and temperature of charge, will have a higher increase. Tendency to knock will be more. Hence, sparking should not be in advanced. Instead sparking should be retarded for minimum detonation.



Interiors

### 4) Distance of flame Travel :-

Distance travel by the flame must be such that, the time taken by it should be less than the chemical lag of the end charge. For this purpose, the diameter of the cylinder is

limited to 15 cm. (By maintaining the dia of cylinder and ↑ the Power, such that no. of extra cylinder used in petrol)  
In diesel dia. of cylinder must be high to avoid knock)

### 5) Location of Spark plug :-

The Spark plug must be kept nearest to the Centre of cylinder Head & away from the inlet Valve. closer to exhaust Valve.

### 6) Engine Speed :-

Imp. Turbulence) Interiors)  
Increasing the Speed will result in turbulence being Setup. The flame front will travel faster in all directions. Detonation will be minimum.

### 7) Air Fuel Ratio :-

A See equivalence Ratio for Details.....



### 8) Rating of fuel :-

See Octane number.

Qn) A Conventional SI engine, what is the Value of Fuel air Ratio in the normal operating range? → Economic speed

a) 0.056 to 0.083

(C) 0.0056 to 0.83

$$\text{Normal FAR} = \frac{16}{1} = \frac{1}{16}$$

b) 0.083 to 0.96

(D) 0.056 to 0.83

Choice d Matches with the the normal operating Range fuel air Ratio.

(A)  $\frac{0.056}{0.083} = 0.675$

(B)  $\frac{0.0056}{0.08} = 0.00675$

(C)  $\frac{0.083}{0.76} = 0.148$

(D)  $\frac{0.056}{0.83} = 0.0675$

Very imp

Qn) In SI Engine, Combustion in Stage 1 takes 1 millisecond and Stage 2 takes 1.5 milliseconds. When the engine runs at 1000 RPM. If the Stage 1, time is independent of the Speed, what will be the additional spark advance, when the engine speed is doubles.

Sol.  $1000 \text{ RPM} = \frac{1000}{60} = \left( \frac{1000 \times 360}{60 \times 1000} \right) \text{ degree}$   
 $= 6^\circ \text{ in } 1 \text{ mill Sec.}$

1s - 1000 millisecc.

1 rotation - 3600

1000 rotation = 3600/1000

Speed	Stage 1	Stage 2
1000	1 msec	1.5 msec
2000	1 msec	?

(A)  $0^\circ$

(B)  $6^\circ$

(C)  $12^\circ$

(D)  $24^\circ$

When speed is 2000 RPM, Angle turns is  $2 \times 6^\circ = 12^\circ$  in 1 millisecc  
 therefore spark Advance is  $12 - 6 = 6^\circ$ .



Qm) To prevent detonation in SI engines, the end charge should have

a) Low temp

All choices are correct

b) Low density

c) Long ignition delay

Explanation of b - low density  
For less density, the mass of fuel in end charge will be less. Hence the heat liberated during the chemical action of the fuel particles in the end charge will also be less.

$$\frac{P_2 m}{V}$$
$$P_2 = \frac{mRT}{V}$$
$$\frac{P_2 m}{RT} = \frac{m^2}{V}$$

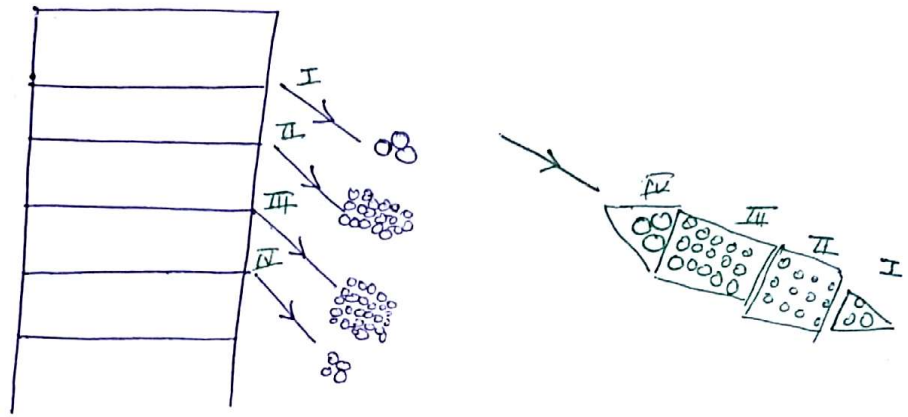
Temperature of the end charge will also be less.

Chemical charge of the end charge will be longer. Hence, detonation will not occur.

# Combustion in C.I Engines :- Vortex flow

## Different Stages of Section

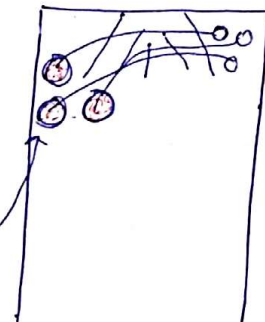
## Different Stages of Section :-



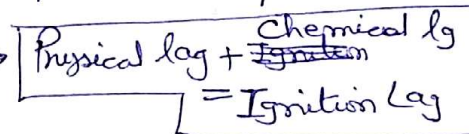
## I<sup>st</sup> Stage of Combustion :-

→ Less air is circulated. Hence, the many fuel spread is also less. As the air crosses the fuel spray, it will be in contact with fuel for some times. The time for which air & the fuel are physical in contact with one another is known as the Physical delay.

## After Compression



→ For Diesel engines, Physical delay + Chemical delay = Ignition delay.



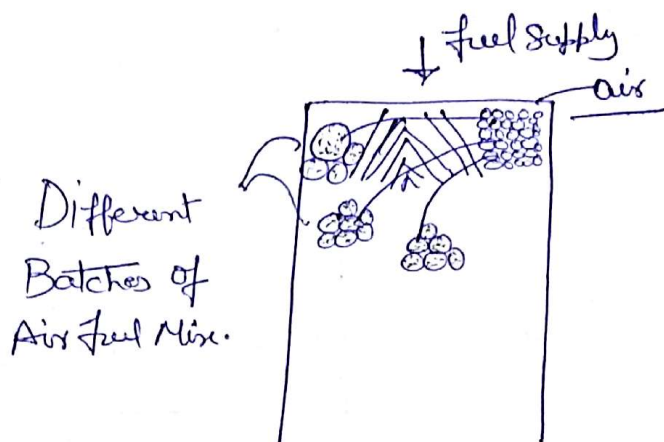
→ The temperature of the combustion chamber, at the start of the first stage of combustion (end of compression) is slightly above the self-ignition temperature.

→ The chemical delay during the first stage of combustion is longer. The first stage of combustion is known as the delay period.



→ The Temperature, at the end of first stage of Compression is much above the self ignition temperature.

## II<sup>nd</sup> Stage of Combustion :-



- Large mass of air is circulated, hence, the mass of fuel spray is also large.
- The temp. of the Combustion chamber at the start of the second stage of Combustion is much above the self ignition temperature. Hence, Combustion is faster, during the second stage.
- Due to large quantity of passing through the fuel spray, it crosses the fuel in different batches.
- If, the Combustion takes place for the different batches of air fuel mixture. one after another until the last batch, then Combustion is said to be normal or smooth.
- On the other hand, if for some reason or other, the air particles in a particular batch carries less amount of fuel with it, then less heat will be developed during chemical action. due to which the temp. of this charge is less. Hence, the chemical delay for this batch of air fuel mixture will be longer. In the mean time, more batches of air fuel mixture will get ~~connected~~ collected along with this batch and Combustion will take place for all these batches at the same time.

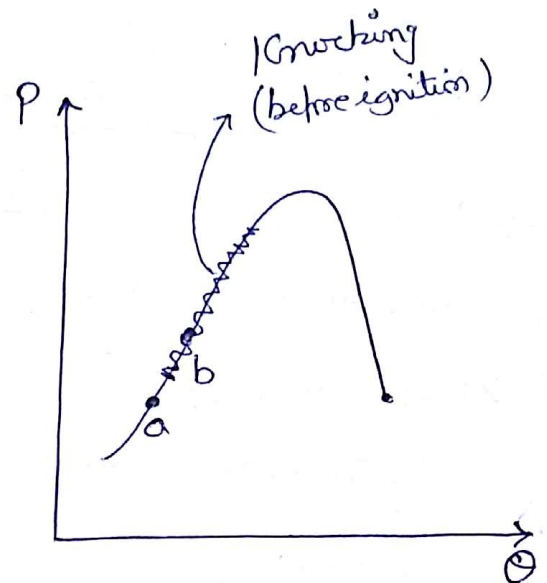


due to which, enormous amount of heat is liberated. that the piston is not able to handle and knocking occurs.

## Abnormal Combustion :-

a:- Injection of fuel (20° before TDC during Compression)

b:- Ignition



→ The Second Stage of Combustion is known as uncontrolled Comb<sup>n</sup>.

→ The temp<sup>o</sup> of the Combustion Chamber is ~~much~~ very much above the self ignition temperature.

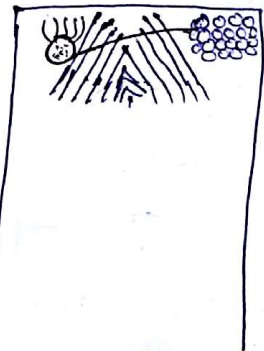
→ 3<sup>rd</sup> Stage of Combustion :- (Knocking less Stage) No/Knock

→ Large quantity of Air is circulated. Hence, the fuel's spray will also be large.

→ The air crosses the fuel spray in different batches.

→ Since, the temp<sup>o</sup> of the Combustion Chamber is much above the self ignition temp<sup>o</sup>, Chemical lag is very short.

→ Combustion takes place for the Air fuel mixture, immediately after crossing the fuel spray.



→ Knocking Doesn't take place, during the third stage of Combustion.

→ The Third Stage of Combustion is known as Controlled Comb<sup>n</sup>.

### 4<sup>th</sup> Stage of Combustion :-

→ Very Less quantity of Air remains during IV stage of Combustion. hence, Very less fuel left remains.

→ 4<sup>th</sup> stage of Combustion takes place After burning of major quantity of fuel during the earlier stages.

→ The 4<sup>th</sup> Stage of Combustion is known as After burning.

### Factors Affecting Knocking in CI engines :-

#### 1) Compression Ratio :-

— ↑ Compression Ratio will results in ↑ temp of the charge. Tendency to Knock will decrease. For this reason, the Compression Ratio in diesel engines is kept as ↑ as b/w 16-20.

The Affect will be the same, when inlet valve temp is higher or a supercharger is used. ~~then increasing the work~~



## 2) Increasing Work output :-

Increasing the load, that is Work output on Power will result in the more supply of fuel.

Temp. of the charge will be higher. Tendency to knock will decrease.

## 3) Increasing the Speed :-

Increasing the speed will result in more supply of fuel during the first stage of combustion (delay period I<sup>st</sup> stage).

Hence, less fuel will be available for the second stage.

Temperature of the charge in the second stage will be lower. Tendency to knock will ↑.

Hence, The idle

Combination for min knocking in diesel engines will be low speed & high load.

## 4) Atomization :-

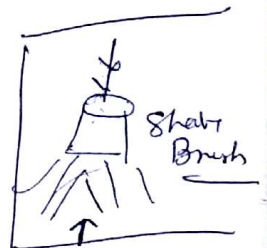
For better Atomization, the fuel will spread to more space. The physical lag will be more.

The air will be in contact with fuel for longer time.

Hence, more fuel will be carried by air. More heat will be developed during second stage of combustion.

Tendency to knock will decrease.

It is noted that, for good atomization, the injection pressure should be as high as possible. and the cylinder pressure (After Compression) should be near to the Compression Ratio 16 in the range of





### 5) Advancing the Injection of Fuel:-

Advancing the fuel injection, will result in lesser compression. Temperature of the charge will be less. Tendency to knock will be higher.