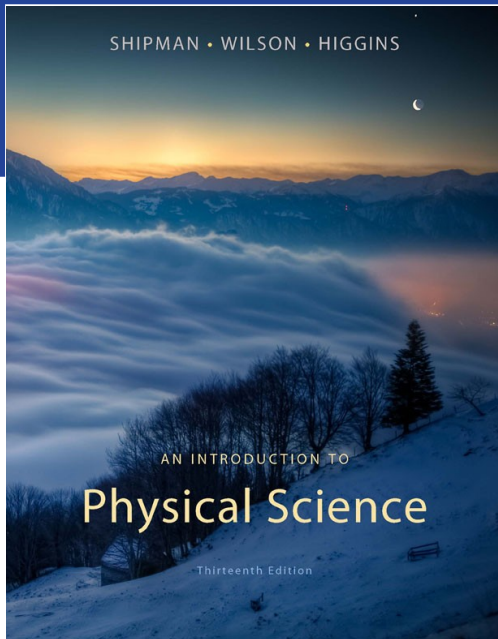


SHIPMAN • WILSON • HIGGINS



 BROOKS/COLE  
CENGAGE Learning™

*James T. Shipman*  
*Jerry D. Wilson*  
*Charles A. Higgins, Jr.*

# Chapter 6

## *Waves and Sound*

# Waves



- We know that when matter is disturbed, energy emanates from the disturbance. This propagation of energy from the disturbance is known as a wave.
  - We call this transfer of energy wave motion.
- Examples include ocean waves, sound waves, electromagnetic waves, and seismic (earthquake) waves.

[Audio Link](#)

# Wave Motion



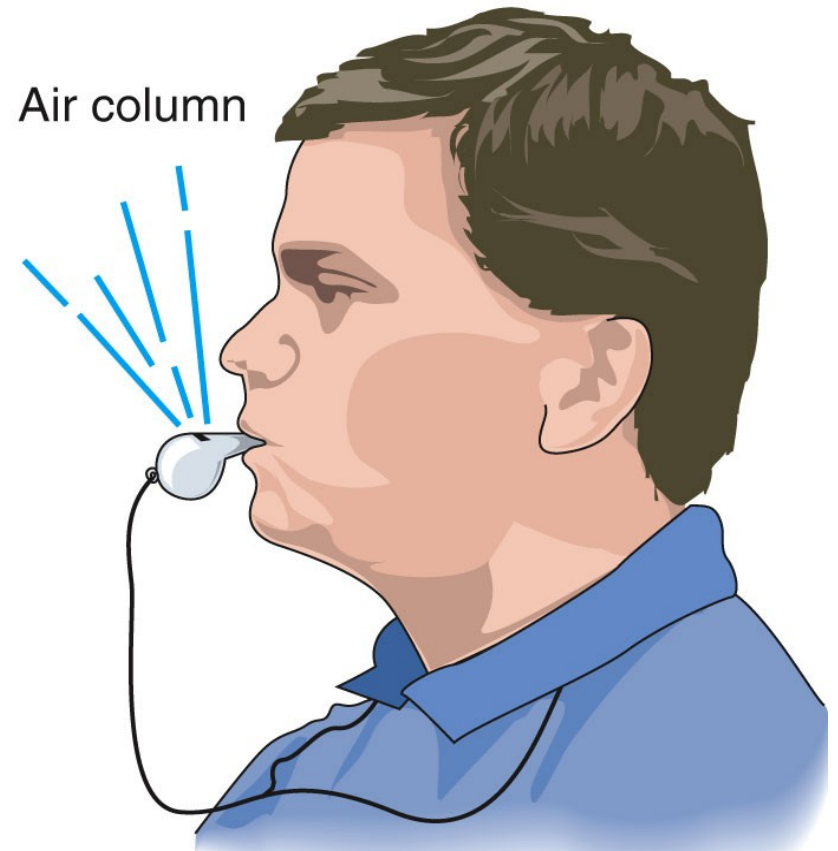
- Waves transfer energy and generally not matter through a variety of mediums.
  - The wave form is in motion but not the matter.
- Water waves (liquid) essentially bob you up and down but not sideways.
- Earthquakes waves move through the Earth. (solid)
- Sound waves travel through the air. (gas)
- Electromagnetic radiation waves travel through space. (void)

# Wave Properties

- A disturbance may be a single pulse or shock (hammer), or it may be periodic (guitar string).



Steel or nylon string



Air column

# Longitudinal and Transverse Waves

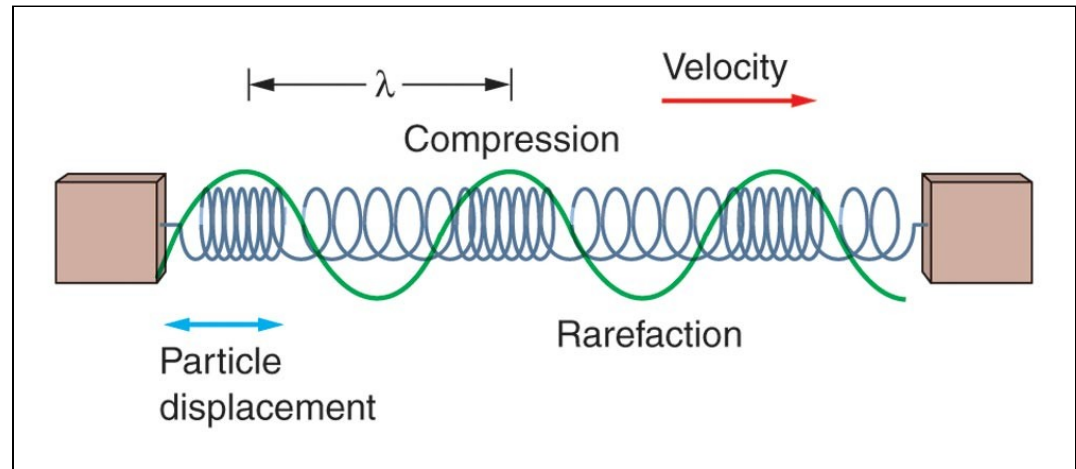


- Two types of waves classified on their particle motion and wave direction:
- Longitudinal – particle motion and the wave velocity are parallel to each other
  - Sound is a longitudinal wave.
- Transverse – particle motion is perpendicular to the direction of the wave velocity
  - Light is an example of a transverse wave.

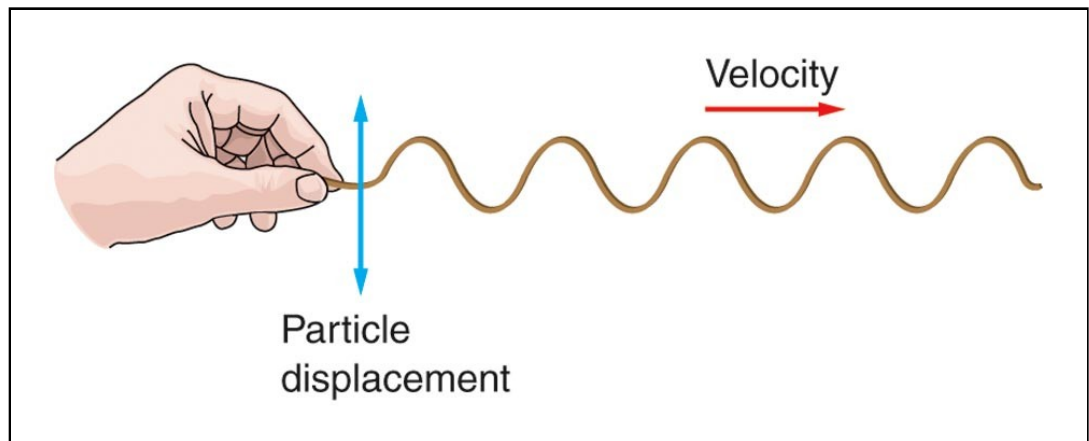
# Longitudinal & Transverse Waves



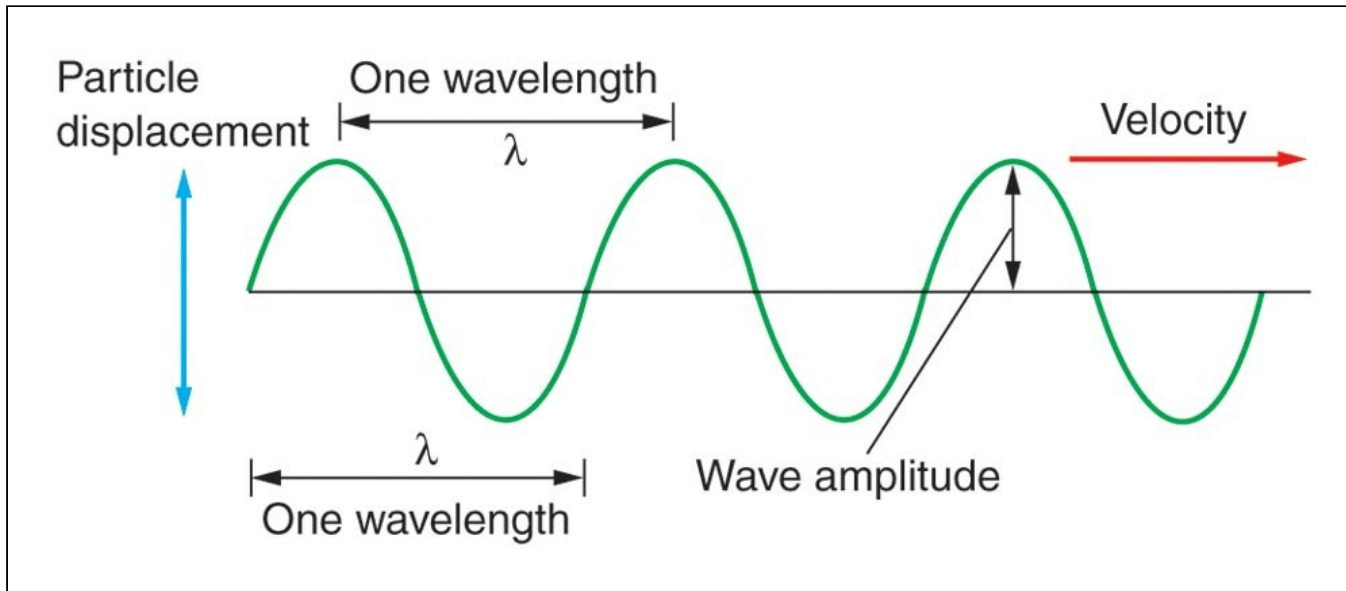
## Longitudinal Wave (sound)



## Transverse Wave (light)



# Wave Description



- Wavelength ( $\lambda$ ) – the distance of one complete wave
- Amplitude – the maximum displacement of any part of the wave from its equilibrium position. The energy transmitted by the wave is directly proportional to the amplitude squared.

# Wave Characterization



- Frequency ( $f$ ) – the number of oscillations or cycles that occur during a given time (1 s)
  - The unit usually used to describe frequency is the hertz (Hz).
  - One Hz = one cycle per second
- Period ( $T$ ) – the time it takes for a wave to travel a distance of one wavelength
- Frequency and Period are inversely proportional
- frequency = 1 / period      $f = \frac{1}{T}$

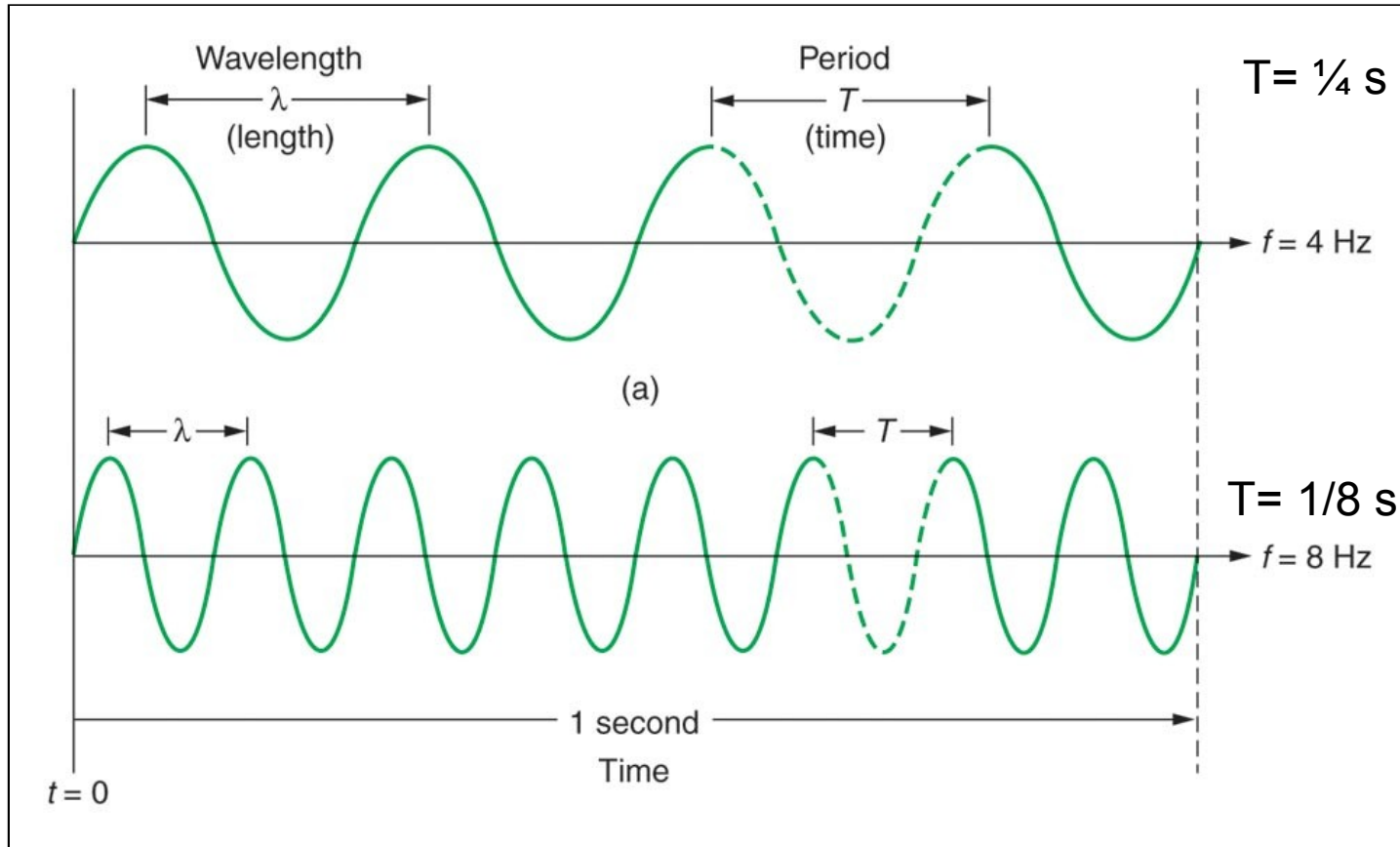


# Wave Characterization



- Frequency and Period are inversely proportional
- Frequency = cycles per second
  - If a wave has a frequency of  $f = 4$  Hz, then four full wavelengths will pass in one second
- Period = seconds per cycle
  - If 4 full wavelengths pass in one second then a wavelength passes every  $\frac{1}{4}$  second ( $T = 1/f = \frac{1}{4}$  s)

# Wave Comparison



# Wave Speed ( $v$ )



- Since speed is distance/time then
- $v = \lambda/T$  or  $v = \lambda f$
- $v$  = wave speed (m/s)
- $\lambda$  = wavelength
- $T$  = period of wave (s)
- $f$  = frequency (Hz)

# Calculating Wavelengths – Example



- *For sound waves with a speed of 344 m/s and frequencies of (a) 20 Hz and (b) 20 kHz, what is the wavelength of each of these sound waves?*
- GIVEN:  $v = 344 \text{ m/s}$ , (a)  $f = 20 \text{ Hz}$ ,  
(b)  $f = 20 \text{ kHz} = 20 \times 10^3 \text{ Hz}$
- FIND:  $\lambda$  (wavelength)
- Rearrange formula ( $v = \lambda f$ ) to solve for  $\lambda = v/f$ 
  - $\lambda = v/f = (344 \text{ m/s})/(20 \text{ Hz}) = 17 \text{ m}$
  - $\lambda = v/f = (344 \text{ m/s})/(20 \times 10^3 \text{ Hz}) = 0.017 \text{ m}$

# Calculating Frequency Confidence Exercise



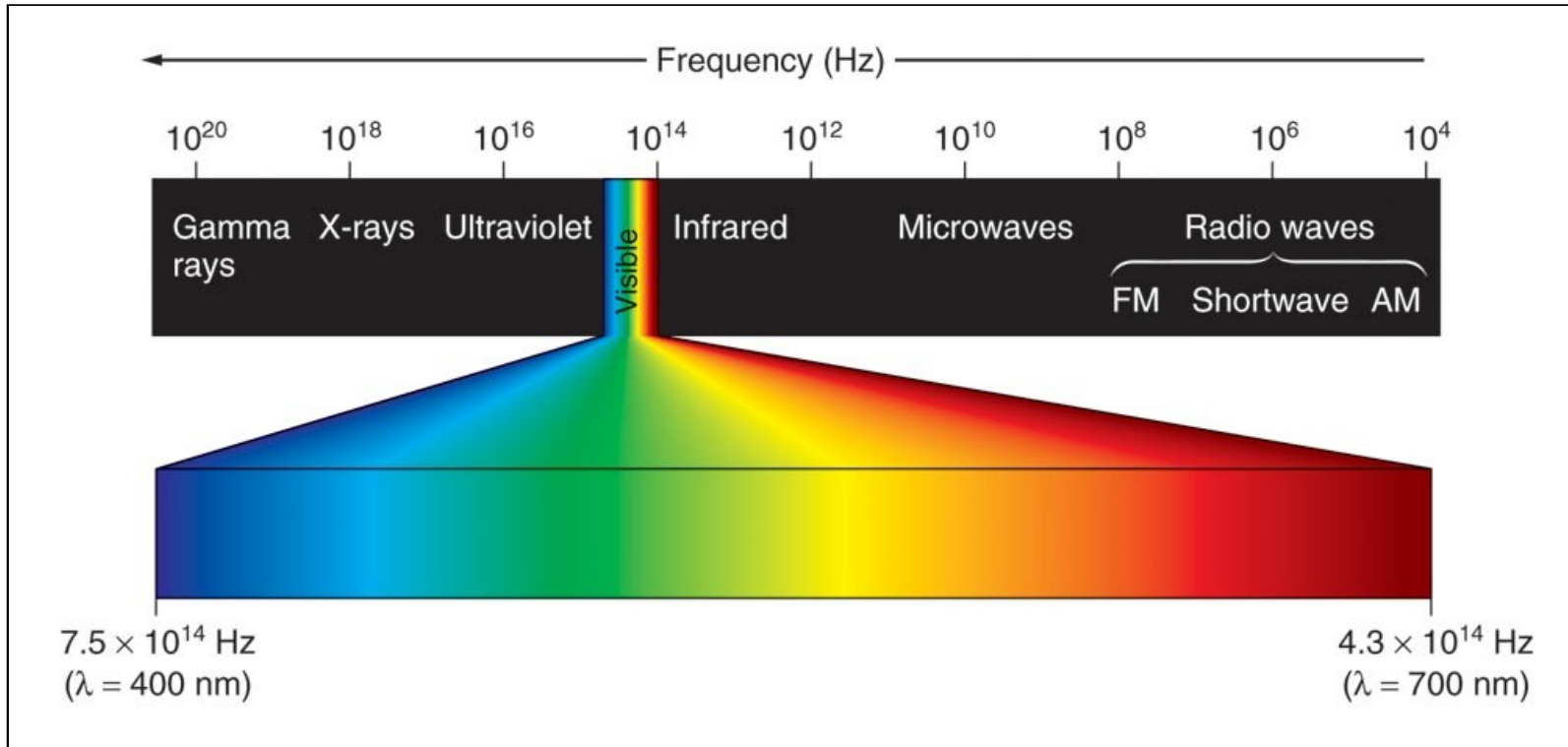
- *A sound wave has a speed of 344 m/s and a wavelength of 0.500 m. What is the frequency of the wave?*
- GIVEN:  $v = 344 \text{ m/s}$ ,  $\lambda = 0.500 \text{ m}$
- FIND:  $f$  (wavelength)
- Rearrange formula ( $v = \lambda f$ ) to solve for  $f = v/\lambda$
- $f = v/\lambda = (344 \text{ m/s})/(0.500 \text{ m/cycle}) =$
- $f = \underline{688 \text{ cycles/s}}$

# Electromagnetic Waves



- Consist of vibrating electric and magnetic fields that oscillate perpendicular to each other and the direction of wave propagation
- The field energy radiates outward at the speed of light ( $c$ ).
- The speed of all electromagnetic waves (“speed of light”) in a vacuum:
  - $c = 3.00 \times 10^8 \text{ m/s} = 1.86 \times 10^5 \text{ mi/s}$
  - To a good approximation this is also the speed of light in air.

# Electromagnetic (EM) Spectrum



The human eye is only sensitive to a very narrow portion of the electromagnetic spectrum (lying between the infrared and ultraviolet.) We call this “light.”

# Computing Radio Wave Wavelength Example



- *What is the wavelength of the radio waves produced by a station with an assigned frequency of 600 kHz?*
- Convert kHz to Hz:
- $f = 600 \text{ kHz} = 600 \times 10^3 \text{ Hz} = 6.00 \times 10^5 \text{ Hz}$
- Rearrange equation ( $c = \lambda f$ ) and solve for  $\lambda$
- $\lambda = c/f = (3.00 \times 10^8 \text{ m/s}) / (6.00 \times 10^5 \text{ Hz})$
- $\lambda = 0.500 \times 10^3 \text{ m} = 500 \text{ m}$



# Radio Wavelengths: AM vs. FM



- AM approx. = 800 kHz =  $8.00 \times 10^5$  Hz
- FM approx. = 90.0 MHz =  $9.0 \times 10^7$  Hz
- Since  $\lambda = c/f$ , as the denominator ( $f$ ) gets **bigger** the wavelength becomes **smaller**.
- Therefore, AM wavelengths are longer than FM.

# Visible Light



- Visible light waves have frequencies in the range of  $10^{14}$  Hz.
- Therefore visible light has relatively short wavelengths.
- $\lambda = c/f = (10^8 \text{ m/s})/(10^{14} \text{ Hz}) = 10^{-6} \text{ m}$
- Visible light wavelengths ( $\sim 10^{-6} \text{ m}$ ) are approximately one millionth of a meter.

# Visible Light



- Visible light is generally expressed in nanometers ( $1 \text{ nm} = 10^{-9} \text{ m}$ ) to avoid using negative exponents.
- The visible light range extends from approximately 400 to 700 nm.
  - $4 \times 10^{-7}$  to  $7 \times 10^{-7} \text{ m}$
- The human eye perceives the different wavelengths within the visible range as different colors.
  - The brightness depends on the energy of the wave.

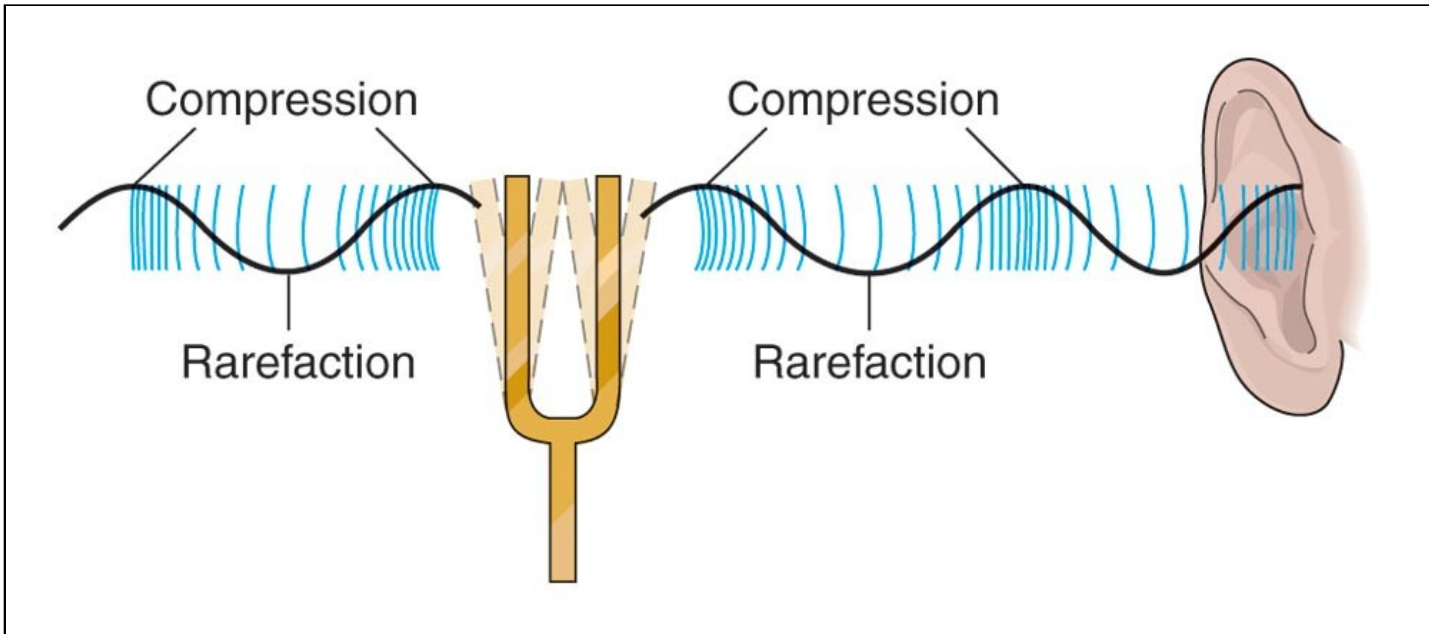
# Sound Waves



- Sound - the propagation of longitudinal waves through matter (solid, liquid, or gas)
- The vibration of a tuning fork produces a series of compressions (high pressure regions) and rarefactions (low pressure regions).
- With continual vibration, a series of high/low pressure regions travel outward forming a longitudinal sound wave.

[Audio Link](#)

# Tuning Fork



- As the end of the fork moves outward, it compresses the air. When the fork moves back it produces an area of low pressure.

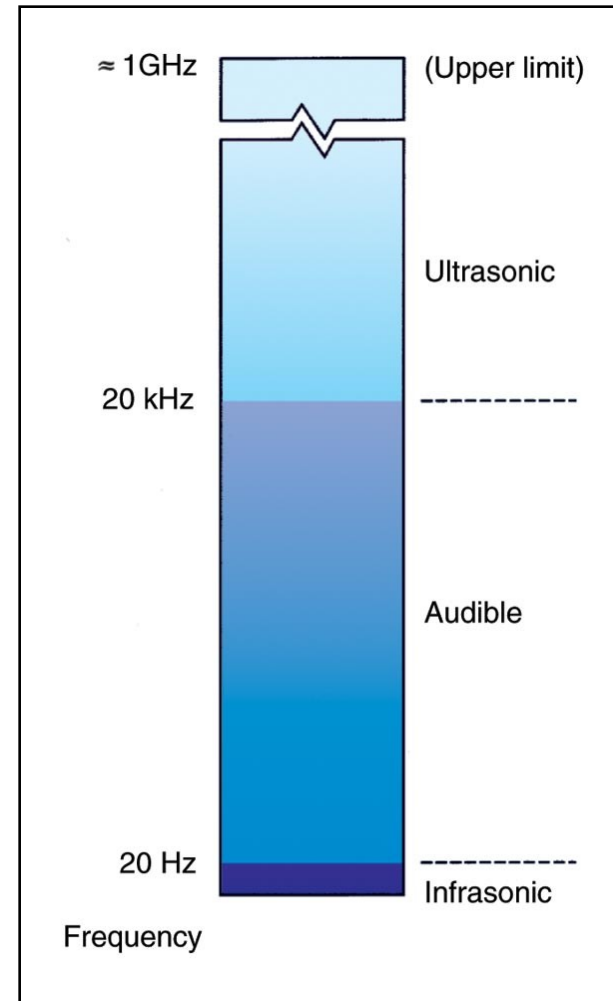
# Sound Spectrum



- Similar to the electromagnetic radiation, sound waves also have different frequencies and form a spectrum.
- The sound spectrum has relatively few frequencies and can be divided into three frequency regions:
  - Infrasonic,  $f < 20$  Hz
  - Audible,  $20 \text{ Hz} < f < 20 \text{ kHz}$
  - Ultrasonic,  $f > 20 \text{ kHz}$

# Audible Region

- The audible region for humans is about 20 Hz to 20 kHz.
- Sounds can be heard due to the vibration of our eardrums caused by the sound waves propagating disturbance.



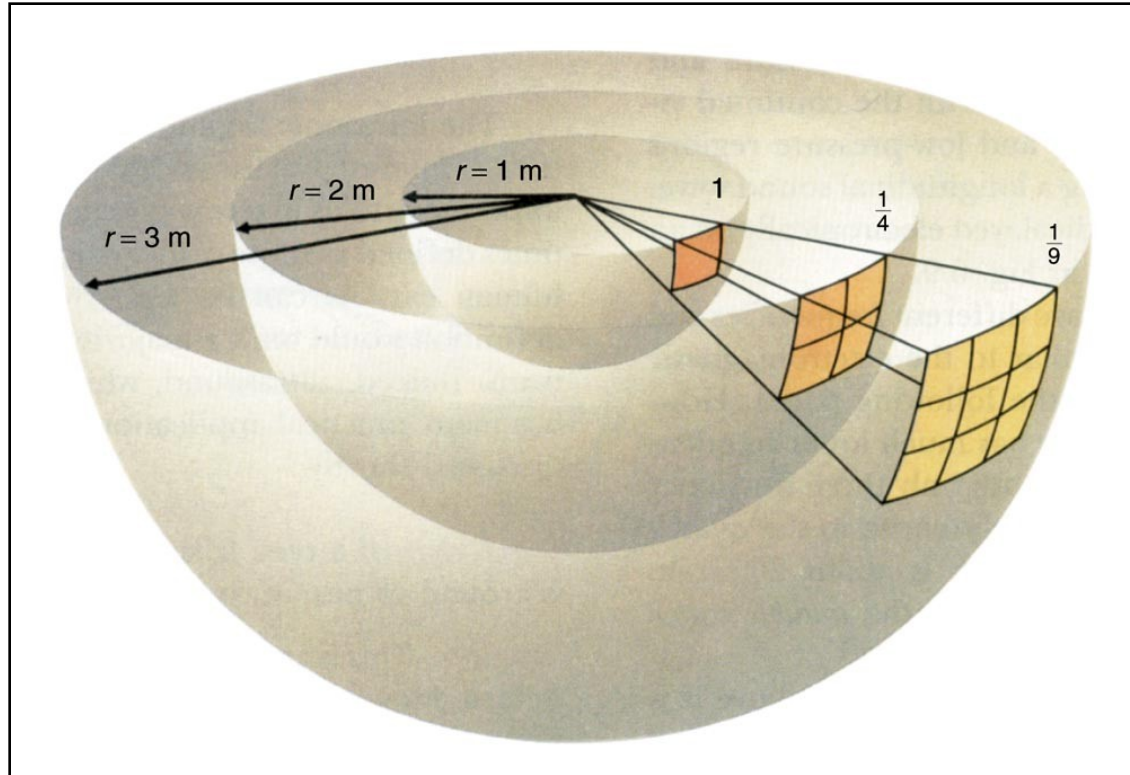
# Loudness/Intensity



- Loudness is a relative term.
- The term intensity ( $I$ ) is quantitative and is a measure of the rate of energy transfer through a given area .
- Intensity is measured in  $\text{J/s/m}^2$  or  $\text{W/m}^2$ .
  - The threshold of hearing is around  $10^{-12} \text{ W/m}^2$ .
  - An intensity of about  $1 \text{ W/m}^2$  is painful to the ear.
- Intensity decreases with distance from the source ( $I \propto 1/r^2$ ).
  - This is called an inverse square relation.



Sound Intensity decreases inversely to the square of the distance from source ( $I \propto 1/r^2$ ).

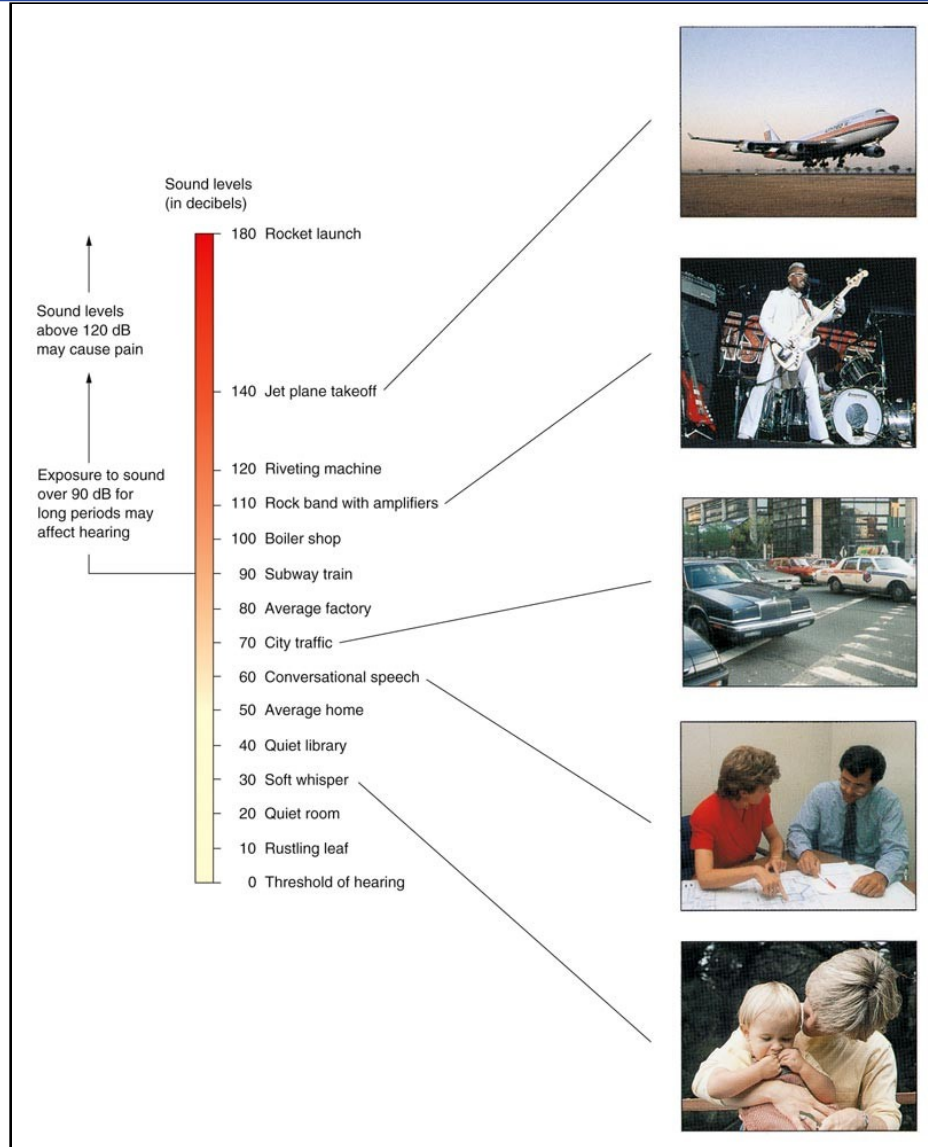


# Decibel Scale



- Sound Intensity is measured on the decibel scale.
- A decibel is 1/10 of a bel.
  - The bel (B) is a unit of intensity named in honor of Alexander Graham Bell.
- The decibel scale is not linear with respect to intensity, therefore when the sound intensity is doubled, the dB level is only increased by 3 dB.

# The Decibel Scale





**Table 6.1 Sound Intensity Levels and Decibel Differences**

Source of Sound	Sound Intensity Levels (dB)	Times Louder Than Threshold	Decibel Difference ( $\Delta$ dB)
Riveting machine	120	1,000,000,000,000	—
Rock band with amplifiers	110	100,000,000,000	—
Boiler shop	100	10,000,000,000	—
Subway train	90	1,000,000,000	—
Average factory	80	100,000,000	—
City traffic	70	10,000,000	— (and so on)
Conversational speech	60	1,000,000	$\Delta$ 60 dB 1,000,000 increase*
Average home	50	100,000	$\Delta$ 50 dB 100,000 increase
Quiet library	40	10,000	$\Delta$ 40 dB 10,000 increase
Soft whisper	30	1,000	$\Delta$ 30 dB 1,000 increase
Quiet room	20	100	$\Delta$ 20 dB 100 increase
Rustling leaf	10	10	$\Delta$ 10 dB 10 increase
Threshold of hearing	0	0	$\Delta$ 3 dB 2 increase

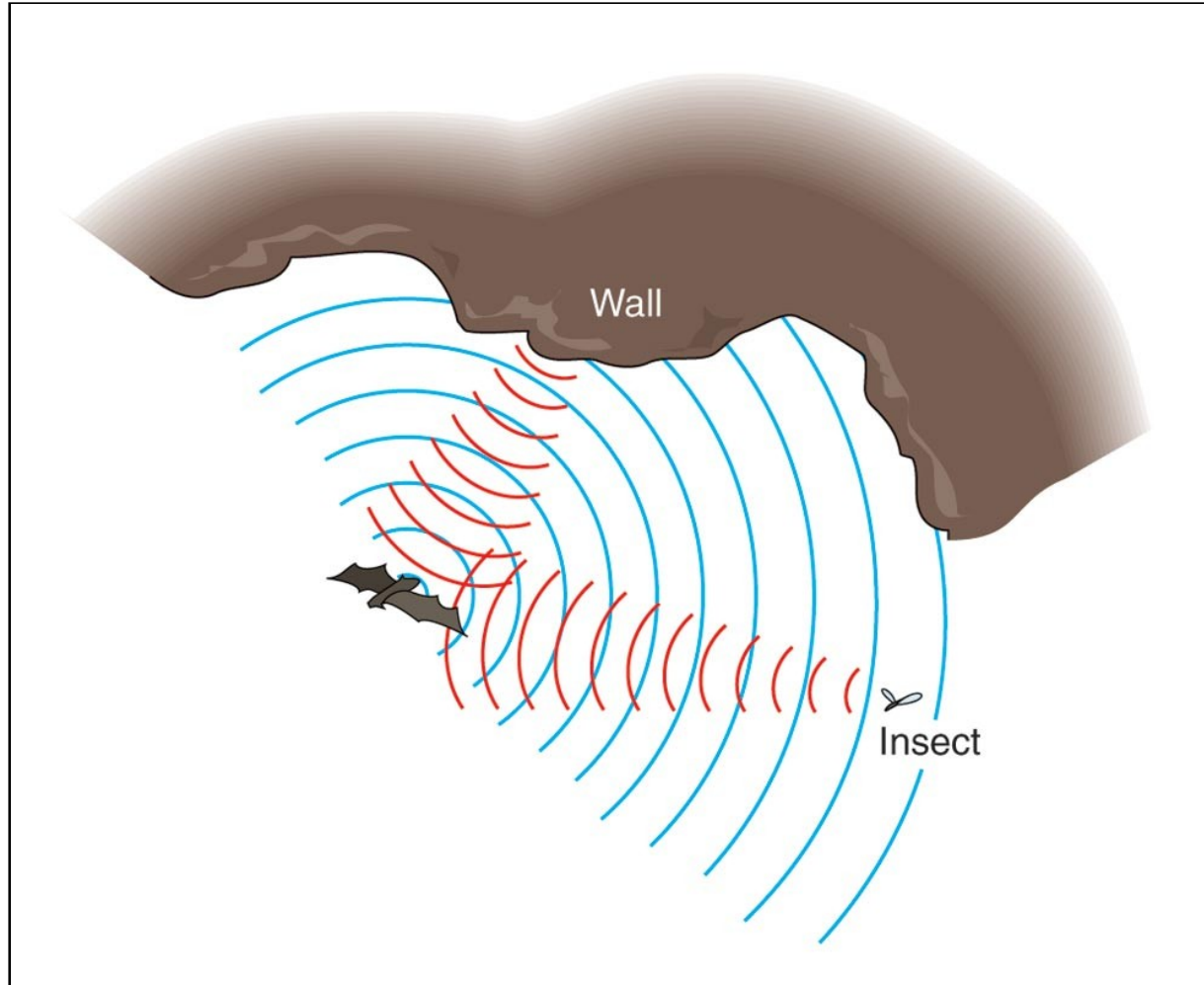
\*Similar decreases in intensity occur for  $-\Delta$ dB.

# Ultrasound



- Sound waves with frequencies greater than 20,000 Hz cannot be detected by the human ear, although may be detected by some animals (for example dog whistles).
- The reflections of ultrasound frequencies are used to examine parts of the body, or an unborn child – much less risk than using x-rays.
- Also useful in cleaning small hard-to-reach recesses – jewelry, lab equipment, *etc.*

Bats use the reflections of ultrasound for navigation and to locate food.



# Speed of Sound



- The speed of sound depends on the makeup of the particular medium that it is passing through.
- The speed of sound in air is considered to be,  $v_{\text{sound}} = 344 \text{ m/s}$  or  $770 \text{ mi/h}$  (at  $20^{\circ}\text{C}$ ).
  - Approximately  $1/3 \text{ km/s}$  or  $1/5 \text{ mi/s}$
- The velocity of sound increases with increasing temperature. (at  $0^{\circ}\text{C} = 331 \text{ m/s}$ )
- In general the velocity of sound increases as the density of the medium increases. (The speed of sound in water is about 4x that in air.)

# Sound



- The speed of light is MUCH faster than the speed of sound. So in many cases we see something before we hear it (lightening/thunder, echo, *etc.*).
- A 5 second lapse between seeing lightening and hearing the thunder indicates that the lightening occur at a distance of approximately 1 mile.



# Computing the $\lambda$ of Ultrasound Example



- What is the  $\lambda$  of a sound wave in air at 20°C with a frequency of 22 MHz?
- GIVEN:  $v_{\text{sound}} = 344 \text{ m/s}$  and  $f = 22\text{MHz}$
- CONVERT:  $22 \text{ MHz} = 22 \times 10^6 \text{ Hz}$
- EQUATION:  $v_{\text{sound}} = \lambda f \rightarrow \lambda = v/f$ 
  - $\lambda = (344 \text{ m/s}) / (22 \times 10^6 \text{ Hz}) =$
  - $\lambda = (344 \text{ m/s}) / (22 \times 10^6 \text{ cycles/s}) = 16 \times 10^{-6} \text{ m}$

# The Doppler Effect

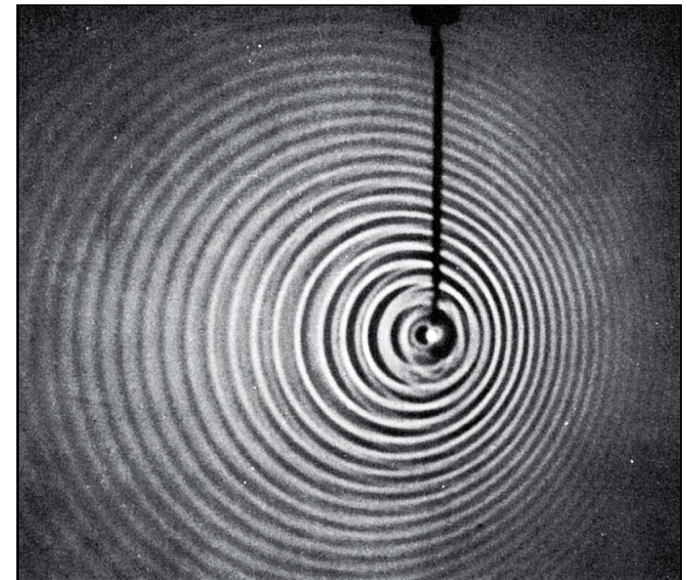
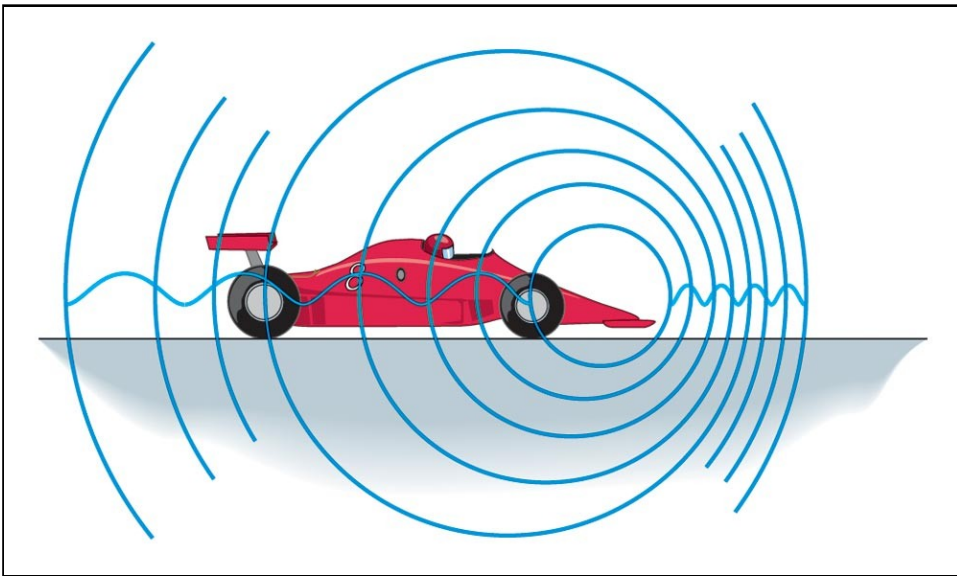


- The Doppler effect - the apparent change in frequency resulting from the relative motion of the source and the observer
- As a moving sound source approaches an observer, the waves in front are bunched up and the waves behind are spread out due to the movement of the sound source.
- The observer hears a higher pitch (shorter  $\lambda$ ) as the sound source approaches and then hears a lower pitch (longer  $\lambda$ ) as the source departs.

# The Doppler Effect Illustrated



- Approach – the waves are bunched up → higher frequency ( $f$ )
- Behind – waves are spread out → lower frequency ( $f$ )



# The Doppler Effects – all kinds of waves



- A general effect that occurs for all kinds of waves – sound, water, electromagnetic
- In the electromagnetic wavelengths the Doppler Effect helps us determine the relative motion of astronomical bodies.
  - 'blue shift' – a shift to shorter  $\lambda$  as a light source approaches the observer
  - 'redshift' – a shift to longer  $\lambda$  as a light source moves away from the observer
- These 'shifts' in  $\lambda$  tell astronomers a great deal about relative movements in space.

# Sonic Boom

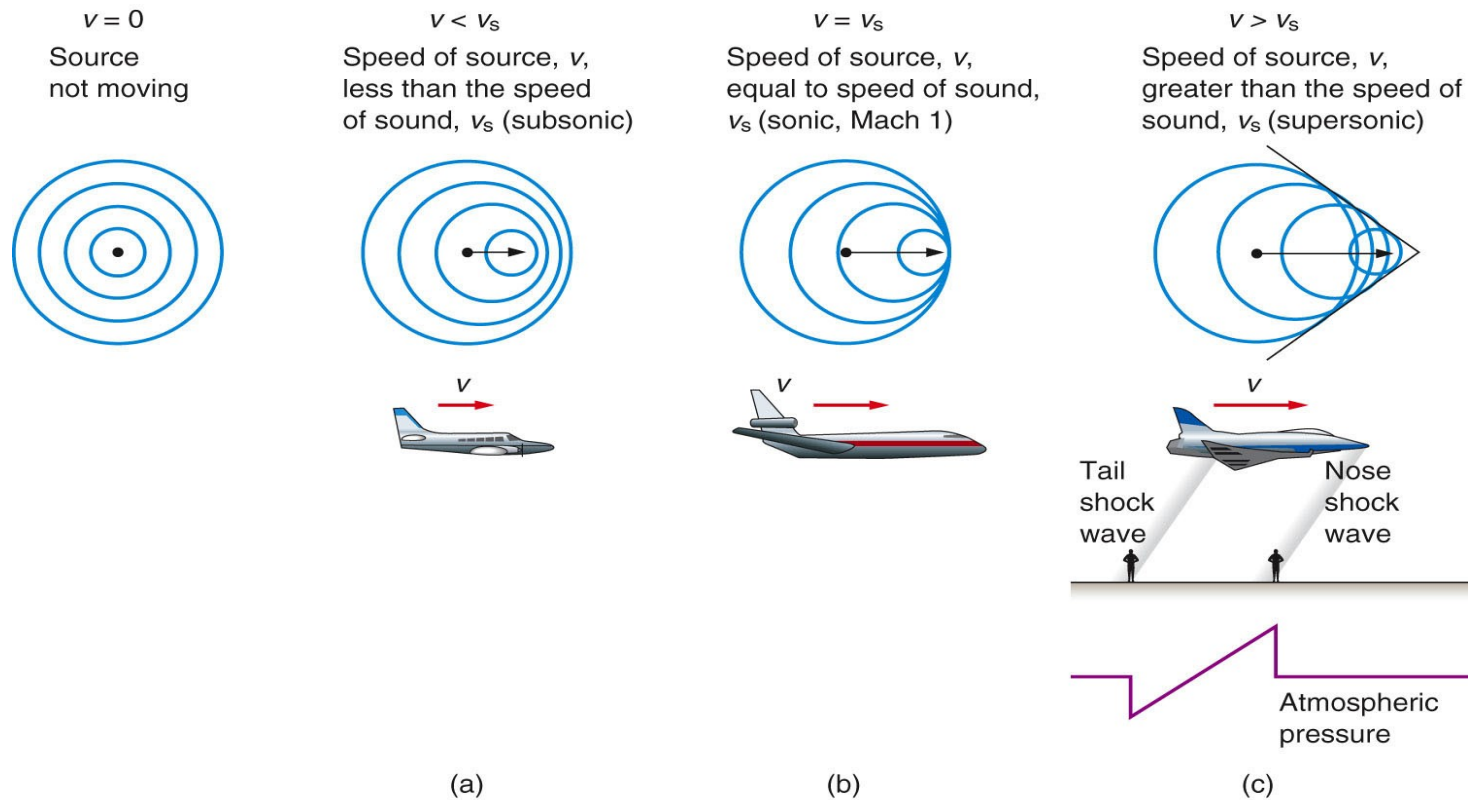


- Consider the Doppler Effect as a vehicle moves faster and faster.
- The sound waves in front get shorter and shorter, until the vehicle reaches the speed of sound. (approx. 750 mph – depending on temp.)
- As the jet approaches the speed of sound, compressed sound waves and air build up and act as a barrier in front of the plane.

# Bow Waves and Sonic Boom



- As a plane exceeds the speed of sound it forms a high-pressure shock wave, heard as a 'sonic boom.'



# Mini-Sonic Boom – Crack of a Whip



- With the flick of a wrist, a wave pulse travels down a tapering whip.
- The speed of the wave pulse increases as the whip thins, until the pulse is traveling faster than sound.
- The final “crack” is made by air rushing back into the area of reduced pressure, created by the supersonic final flip of the whip’s tip.

# Standing Waves



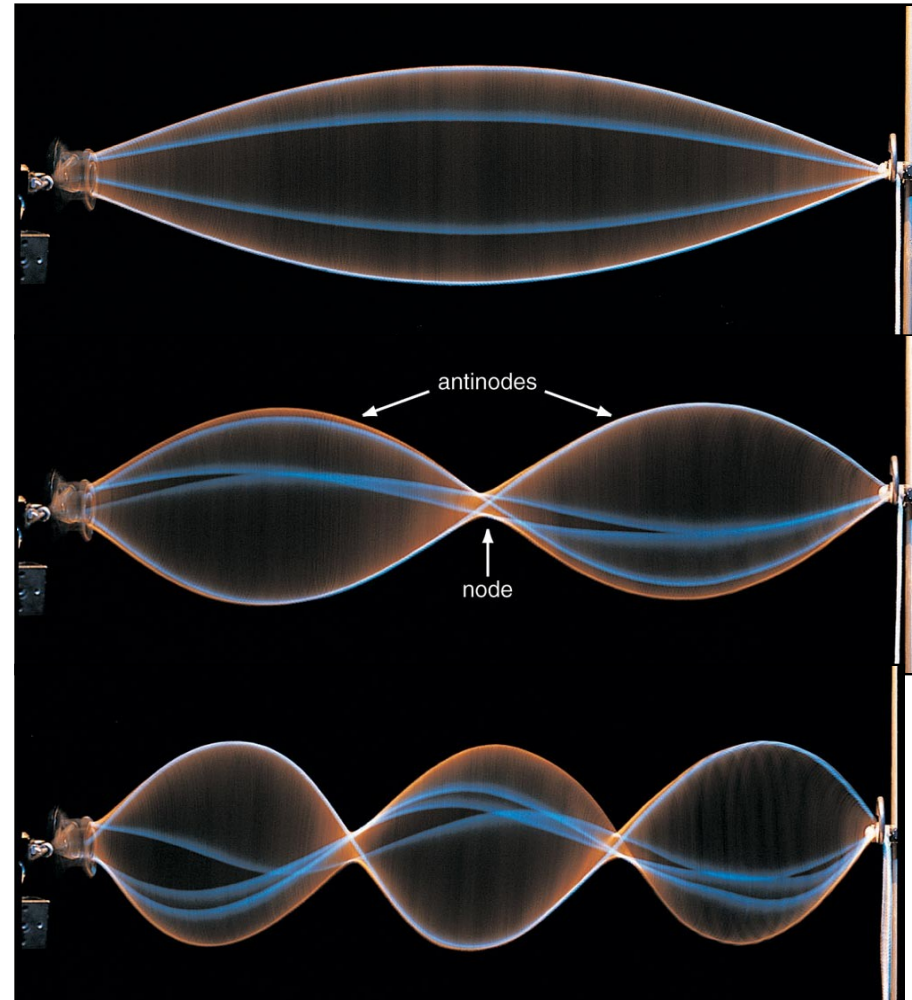
- Standing wave – a “stationary” waveform arising from the interference of waves traveling in opposite directions
- Along a rope/string, for example, waves will travel back and forth.
  - When these two waves meet they constructively “interfere” with each other, forming a combined and standing waveform.



# Standing Waves



- Standing waves are formed only when the string is vibrated at particular frequencies.



# Resonance



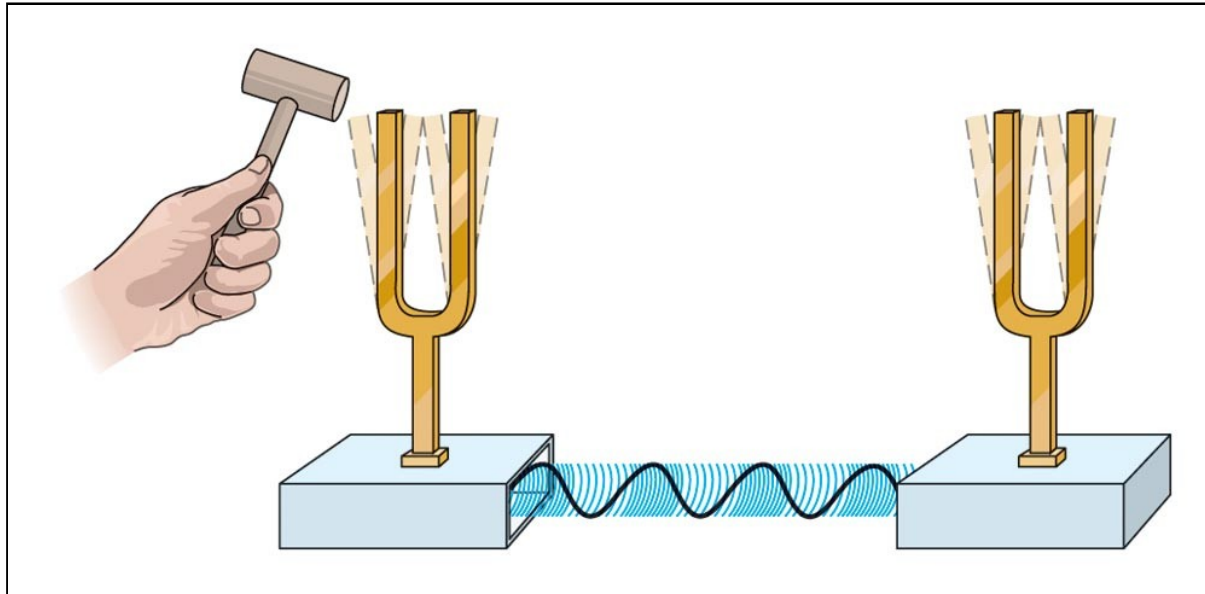
- Resonance - a wave effect that occurs when an object has a natural frequency that corresponds to an external frequency.
  - Results from a periodic driving force with a frequency equal to one of the natural frequencies.
- Common example of resonance: Pushing a swing – the periodic driving force (the push) must be at a certain frequency to keep the swing going

Here are two links that do a really nice job with resonance.

<http://www.youtube.com/watch?v=BE827gwnnk4>

<http://www.youtube.com/watch?v=wwJAgrUBF4w>

# Resonance



- When one tuning fork is struck, the other tuning fork of the same frequency will also vibrate in resonance.
- The periodic “driving force” here are the sound waves.

# Musical Instruments



- Musical Instruments use standing waves and resonance to produce different tones.
- Guitars, violins, and pianos all use standing waves to produce tones.
- Stringed instruments are tuned by adjusting the tension of the strings.
  - Adjustment of the tension changes the frequency at which the string vibrates.
- The body of the stringed instrument acts as a resonance cavity to amplify the sound.

# Chapter 6 - Important Equations



- $f = 1/T$  Frequency-Period Relationship
- $v = \lambda/T = \lambda f$  Wave speed
- $3.00 \times 10^8$  m/s Speed of Light